

# Flood frequency analysis using mean daily flows vs. instantaneous peak flows

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**Abstract.** In many cases flood frequency analysis (FFA) needs to be carried out on mean daily flows (MDF) instead of instantaneous peak flows (IPF), which can lead to underestimation of design flows. Typically, correction methods are applied on the MDF data to account for such underestimation. In this study we first analyse the error distribution of MDF derived flood quantiles over 648 catchments in Germany. The results show that using MDF instead of IPF data can lead to underestimation of the mean annual peak flow (MHQ) up to 80% and is mainly dependable on the catchment area but appears to be influenced as well from gauge elevation. This relationship is shown to be different for summer vs winter floods. To correct such underestimation, different linear models based on predictors derived from MDF hydrograph and catchment characteristics are investigated. Apart from the catchment area, a key predictor in these models is the event-based ratio of flood peak and flood volume ( $p/V$  ratio) obtained by MDF data. The  $p/V$  models applied either on MDF derived events or statistics, seem to outperform other reference correction methods. Moreover, they require a minimum data input, are easily applied and valid for the entire study area. Best results are achieved when the L-Moments of the MDF maximum annual series are corrected with the proposed model, which reduces the flood quantile errors up to 60%. The approach behaves particularly well in smaller catchments ( $<500\text{km}^2$ ) where reference methods fall short. However, the limit of the proposed approach is reached for catchment sizes below  $100\text{ km}^2$ , where the hydrograph information from the daily series is no longer capable of approximating instantaneous flood dynamics, and gauge elevation below  $100\text{m}$ , where the difference between MDF and IPF floods is very small.

## 1 Introduction

Common flood frequency analysis (FFA) is based on samples of maximum flows, e.g. annual maximum flows series (AMS). The magnitude and variability of these maxima pose the baseline for the choice of probability distribution, the estimation of its parameters and eventually the deduction of flood quantiles as design criteria for various water works (Maidment, 1993). For FFA to be as accurate as possible, two criteria need to be met; first a large number of observed peak flows is necessary to ensure an adequate selection and fitting of the probability distribution, and secondly it is important that the peak flows are measured with high precision to account for the best description of maximum flood magnitude and dynamics. However, embracing the true dimension of a peak requires continuous measurement of the flow on a high temporal resolution (e.g. at  $15\text{min}$  time steps). Such data is rarely available or at the best case only available for short periods, which is insufficient for

25 flood frequency analysis. Typically, long observation of floods are available as mean daily flow records and oftentimes FFA needs to be carried out on these records instead. The daily averaging naturally flattens the flood peak and the true maximum becomes unknowable. Particularly for small basins, there is a considerable underestimation of flood peak by the mean daily flows (Fill and Steiner, 2003). Hence it becomes essential to develop new methods based on easily accessible data to correct the mean daily flows for a better representation of the flood peaks.

30 The degree of the above-mentioned smoothing, i.e. the difference between the true instantaneous peak flow (IPF) and the maximum mean daily flow (MDF) (here addressed as the peak ratio), depends on the response time of a system, which is controlled by a multitude of factors. The average relationship between MDF and IPF peaks at a site depends greatly on its basin area (Fuller, 1914) and characteristics related to topography; like altitude, relief and channel slope (Canuti and Moisello, 1982). For instance, there is a visible trend that the IPF-MDF ratio is decreasing with larger basin areas, which is expected as  
35 larger basins have higher baseflows (Ellis and Gray, 1966). Furthermore, the internal variability of the IPF-MDF ratio within a site's flow record is largely determined by the type of meteorological input causing the individual flood events (Viglione and Blöschl, 2009; Gaál et al., 2015). This means that the peak ratio of rainfall and snowmelt events are different from one another. A variety of studies make use of the dependencies named above in order to estimate IPFs from MDFs, and can be generally classified as methods based only on catchment characteristics as in Fuller (1914); Ellis and Gray (1966); Canuti and Moisello  
40 (1982); Ding et al. (2015) or including also climate characteristics as in Muñoz et al. (2012), Taguas et al. (2008) and Gaál et al. (2015). Mostly these methods are in the form of linear models based on maximum MDFs and the selected catchment or climate predictors.

Other IPF estimation methods aim at using the bare minimum of available data, i.e. solely the available mean daily flow record (MDF). In these cases, the shapes of hydrographs are used to estimate the instantaneous peaks of events. The shape of a  
45 hydrograph can hold important information regarding an event's or even the entire site's flashiness and thus its peak ratio. Short flood events with steep rising and falling limbs are typical of a quickly reacting system, due to limited storage capacity and/or high intensity rainfall or due to moderate intensity rainfall on snow. In such events, the discrepancy between IPF and MDF will be significantly larger than for hydrographs with long durations and gentle slopes. For example, Ellis and Gray (1966) found that the peak ratio distinctively decreases with increasing hydrograph width.

50 Several approaches use the maximum mean daily flow and the discharge of the previous and/or successive day (e.g. Langbein (1944)) to estimate IPFs. Chen et al. (2017) compared three of these methods, namely those of Sangal (1983), Fill and Steiner (2003) and their own new method (referred to as the slope-method). These methods are based on the rising and falling slopes of the event hydrograph, estimated from the three consecutive days around the peak, and differ on how the information is integrated in the formula. They found out that their slope-method and Fill and Steiner's method outperform the other two  
55 approaches and Fullers' method (Fuller, 1914) (estimation method based on basin area), and are probably applicable under a wide range of climates. However, both methods' performances deteriorate with decreasing catchment size and work best for areas larger than 500 km<sup>2</sup>.

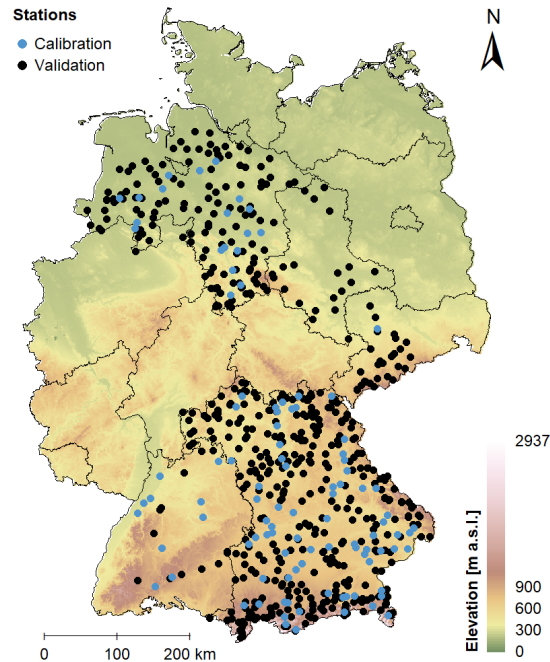
Of course, there exist more complex means to correct the divergence between MDFs and IPFs. This includes disaggregation of the daily flow series to a finer scale, as done by e.g. Stedinger and Vogel (1984); Tarboton et al. (1998); Kumar et al.

60 (2000); Tan et al. (2007); Acharya and Ryu Jae (2014). Also, hydrological modelling may be applied for IPF estimation, e.g. in combination with high-resolution disaggregated rainfall (Ding et al., 2016) or by using regionalized model parameters (Ding and Haberlandt, 2017). Several studies have applied machine learning techniques to estimate instantaneous peaks from mean daily flows, including Shabani and Shabani (2012); Dastorani et al. (2013); Jimeno-Sáez et al. (2017). While disaggregation, hydrological modeling and machine learning proved to be very effective in their studies, they often requires a number of  
65 computational steps and/or a variety of data sources. Indeed, the estimation methods based on the catchment or hydrograph characteristics remain still more desirable due to their simplicity, as they are based on easily accessible data and popular methods (i.e. linear models).

So far, the two main IPF estimation methods are developed distinctive from one another with no combination of both catchment and hydrograph information. In this study we propose linear models that facilitate IPF estimation using a combination of  
70 daily event hydrographs and functional dependencies with catchment descriptors, while keeping the data input to a minimum. Key predictor in these linear models is the ratio of direct event peak runoff to direct event volume. This ratio is expected to effectually describe the shape of a flood event, which in turn gives an idea about the expected instantaneous peak: the larger the daily peak and the smaller the event volume, the larger the expected difference between IPF and MDF and vice versa. We assume that the peak-volume ratio ( $p/V$ ) holds important information on the general behavior of flood events (Gaál et al., 2015;  
75 Fischer, 2018; Tan et al., 2007), and thus the expected magnitude of the IPF peaks. Moreover, the  $p/V$  of individual events can describe the internal variability at a site by reflecting different types of floods caused by different rainfall and/or snowmelt inputs. At the same time the  $p/V$  accounts for the variability between sites caused by local flood generating processes governed by general physiographic and climatic conditions.

Another important point to be considered is that most of the studies mentioned before investigate the performance on the  
80 IPF maximum series and pay little attention on how these methods estimate the design flows with specific return periods. The general assumption is that, if the IPF maximum series are estimated well enough on average, so are the IPF quantiles. However, a well estimated average IPF maximum may still lead to underestimation of design flows with a high return period (say 100years). It makes sense to investigate as well if linear models based on MDF- moments, parameters or quantiles are more favorable for the estimation of the IPF quantiles. Accordingly,  $p/V$  models are employed here to correct MDF information  
85 at different levels; correction of individual flood events from MDF, correction of MDF annual or seasonal maximum series, and the direct correction of MDF-derived statistics (like mean maximum flow, L-moments, distribution parameters or even flood quantiles).

In this study, the linear models based on the  $p/V$  as key predictor (referred here as  $p/V$  models) are developed and assessed based on flow data from 648 catchments in Germany (as described in Section 2). The description of methods and models used here for  
90 the estimation of the IPF from MDF information is given in Section 3.2. We then analyze the performance of the models in two main parts: their ability to estimate the mean maximum flow (MHQ) (see Section 4.1) and their ability to estimate probability distribution and the respective design floods (see Section 4.2). For the best model achieved, an uncertainty estimation is tackled by means of spatio-temporal resampling (see Section 4.3). Finally the range and limitations of the proposed methodology and conclusions are given respectively in Sections 4.4 and 5.



**Figure 1.** The spatial distribution of 648 catchments and their respective discharge gauges employed in this study. The 103 sites used for model calibration are marked in blue. The elevation is shown in the background colours and is provided by Jarvis et al. (2008), while the borders of the German federal states are shown with black lines.

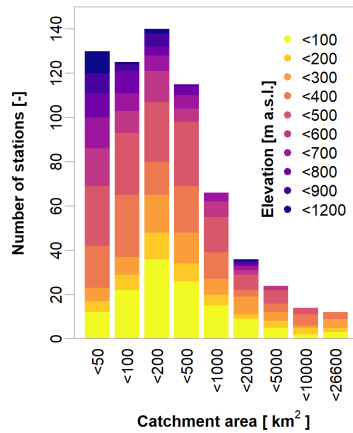
## 95 2 Study area and data

This study uses flow data from 648 catchments distributed over Germany as shown in Figure 1. For the analyses, continuous average daily flow (MDF) and instantaneous peak flows provided for each month as monthly peaks (IPF) are available. The selected sites represent the datasets of the federal agencies, who provide online access to both datasets (Lower Saxony, Saxony-Anhalt, Saxony, Bavaria and Baden-Württemberg; see section 5).

100 Germany poses a transition zone from an oceanic climate in the northwest to a humid continental climate in the southeast. The northwestern parts are influenced by wet air and have mild winters, while the more southeastern parts are drier and exhibit larger temperature ranges. The average temperature for the entire country is 8.9 °C, the monthly averages ranging between 0.4°C in January and 18°C in July (reference period 1981-2010 Deutscher Wetterdienst (DWD) (2021)). The average annual precipitation is 819 mm, where amounts generally decrease in west-east direction and in strong dependence on topography.

105 Annual rainfall sums are generally highest over the Alps at the very Southern border and the various secondary mountain ranges. The flat continental east is the driest. Temporally, the summer months are wettest with rainfall often occurring in convective events. Snowfall occurs between October and April, where amount and depth of snow cover increase with decreasing oceanic influence and increasing altitude.

Even though not the entire area of Germany is covered by the available data, the selected sites provide a cross section through



**Figure 2.** Distribution of catchment size and elevation for all the 648 sites employed in this study.

110 the climatically and topographically distinct regions, from the flat oceanic northwest to the mountainous continental southeast. The lengths of the discharge records vary substantially from 11 to 183 years with a mean of 48.4 years (temporal span from 1831 to 2021). For the general assessment of differences in IPF and MDF floods and final model validation, all 648 sites with their variable record lengths are considered. For assessment of flood frequency criteria only those sites with at least 30 years of observations are used (486). Model fitting (herein referred as calibration) was carried out on a subset of 103 sites, whose  
 115 discharge data were thoroughly checked. Also, their records were cropped to a common period from 1979 to 2012, to eliminate potential non-stationary effects. For the 103 sites used for calibration a catalogue of catchment descriptors is available. For the remaining sites only rudimentary information was obtained, i.e. catchment size, geographical position and altitude of the gauges. Figure 2 shows how the 648 discharge gauges are distributed in terms of catchment size and elevation. It is evident that the majority of the sites have catchment areas below 500km<sup>2</sup> and gauges situated at elevations higher than 100m a.s.l..

## 120 3 Methods

### 3.1 Flood frequency analysis

Flood frequency analysis (FFA) is applied on the two datasets for the available catchments in Germany: mean daily flows (MDF) and instantaneous monthly peak flows (IPF). First the maximum series are extracted from each dataset either on an annual basis (annual maximum series - AMS) or for each season summer and winter (seasonal maximum series). For extrapolation of the maximum series and estimation of floods with specific return periods, distributions were fitted to the annual and  
 125 seasonal samples of both IPF and MDF datasets. This enables the direct comparison of both flood quantiles and distribution parameters. For this study, the General Extreme Value distribution (GEV) of the following form was used for all samples

(Maidment, 1993):

$$F(x) = exp\left\{-\left[1 - \frac{\kappa \cdot (x - \xi)}{\alpha}\right]^{\frac{1}{\kappa}}\right\}, \quad (1)$$

130 with location parameter  $\xi$ , scale parameter  $\alpha$  and shape parameter  $\kappa$ . The parameters are estimated using sample L-moments (Hosking and Wallis, 1997). The GEV has been proven before to be a suitable distribution for different catchments in Germany as indicated at Haktanir and Horlacher (1993); Villarini et al. (2011); Ding et al. (2015, 2016); Ding and Haberlandt (2017), and therefore has been chosen in our study as well. The goodness of fit of the distributions was determined with the Cramer-von-Mises test.

135 When extracting annual maximum series (AMS) different flood peaks from different genesis (i.e. from convective/stratiform rainfall, from snowmelt and so on) are mixed together and described by a single GEV distribution. However, if a certain flood type is dominating the annual maxima sample but is not typical for extremely large floods, then the fitted GEV distribution becomes misleading. To consider the different genesis in the flood peaks, maximum series are derived here for two seasons; summer (May-October) and winter (November-April). Then a mixed-model is applied, which combines two GEV distributions  
 140 fitted to each of these sub-samples of the data; summer and winter floods. A simple maximum mixing approach is used to combine the individual distributions to assess the annual non-exceedance probability of specific flood values:

$$F_{mix}(x) = \prod_{i=1}^n f_i(x), \quad (2)$$

with  $f_i(x)$  as the annual non-exceedance probability calculated for each sub-sample (summer and winter) and  $F_{mix}(x)$  as the mixed-model annual non-exceedance probability for a flood value  $x$ . This approach allows the combined estimation of flood  
 145 quantiles from multiple underlying distributions and thus the assessment of errors in seasonal FFA. The approach is described in detail in Fischer et al. (2016). In their study they used thresholds in order to determine whether a seasonal maximum is actually a flood event, which may not be the case during dry summers. This threshold was defined as the minimum annual maximum flow. We do not censor our data with thresholds, i.e. for matters of simplicity we assume that every seasonal maximum is indeed a flood event.

## 150 3.2 Analysis and estimation of instantaneous peak flows (IPF)

### 3.2.1 Calculation of the $p/V$ predictor from mean daily flows

Motivated by the recent findings of Fischer et al. (2016); Fischer (2018) regarding different flood types, here the flood peak-volume ratio ( $p/V$ ) extracted from mean daily flows (MDF) is considered an important predictor that can help to estimate more accurately the IPF series from the MDF ones. This ratio is computed for each flood event extracted from the MDF dataset as  
 155 shown by Eqn. 3:

$$p \setminus V\left(\frac{1}{d}\right) = \frac{Q_{dir}[m^3 d^{-1}]}{Vol_{dir}[m^3]}, \quad (3)$$

where  $p/V$  is the peak-volume ratio,  $Q_{dir}$  the direct peak flow,  $Vol_{dir}$  the direct flood volume. Both  $Q_{dir}$  and  $Vol_{dir}$  are calculated on flood events extracted from MDF series (see below) after subtracting the baseflow.

For separation of the flood events from MDF, the initial steps of the procedure used by Tarasova et al. (2018) are carried out, which have proven effective and convenient for the German catchments. For the initial step of baseflow separation they selected the simple non-parametric algorithm by the (Institute of Hydology, 1980), which is able to identify the starting points of events in daily flow series in a wide range of catchments. The same method is applied to the series of mean daily flows in our study, which involves the following steps. First, 5-day non-overlapping blocks are used to find the minima, which are identified as turning points if they are more than 1.1 times smaller than their neighboring minima. The baseflow is then derived by simple linear interpolation between the turning points. Discharge peaks are subsequently determined from the flow series and for every peak the start and end of the belonging flow event is defined by the nearest surrounding turning points. To prevent false identification of events due to natural variability, events are discarded if their peak discharge is not at least 10% larger than the baseflow. Tarasova et al. (2018) suggested a second step of re-defining events with multiple peaks in an iterative procedure. This step is not carried out here, as it requires rainfall and snowmelt information, which are not available in our case. It is assumed that most of events, especially the larger ones relevant for FFA, are separated correctly.

### 3.2.2 Estimation of instantaneous peak flows

In this study we propose linear models to estimate IPF from the MDF data, where the peak-volume ratio (as described in Eqn. 3) is one of the main predictors (herein referred as  $p/V$  models). Additionally other predictors that describe the catchment physiology or climate (referred for simplicity as catchment descriptors) are integrated and investigated. The combination of hydrograph shape and catchment characteristics as predictors is expected to better reproduce both the at-site and between-site variability in the IPF-MDF relationship and yield a more universal model. Several catchment descriptors describing land use, soil type, average climate variables, geographic information and catchment morphology were investigated prior to the study. Two main descriptors, namely basin area and gauge elevation, were found to be more important for the linear model and hence are included in the study shown here.

Since the  $p/V$  ratio is calculated for each event, the first  $p/V$  model investigated aims to correct individual flood events from MDF series. All events that contain maximum instantaneous monthly peak are identified. For these events the daily  $MDF_{event}$  and instantaneous  $IPF_{event}$  peaks, as well as the  $p/V_{event}$  are computed. Then a linear model of the following form is fitted:

$$IPF_{event} = \frac{MDF_{event}}{a + b_1 \cdot p/V_{event} + b_2 \cdot CD_1 + \dots + b_{n+1} \cdot CD_n}, \quad (4)$$

where  $CD$  denotes additional catchment and climate descriptors that may be included in the models,  $a$  and  $b$  are the parameters of the linear model fitted by the calibration procedure. The fitting of the model parameters is performed on the calibration set (as indicated in Section 2) only for the period 1972-2012.

To assess the performance of the new methodology, we employ here also the slope-method developed by Chen et al. (2017) as reference. The slope-method estimates an instantaneous event peak flow  $IPF_{event}$  based on the slopes of the daily peak  $Q_{peak}$

to its preceding  $Q_{pre}$  and following daily flows  $Q_{suc}$  as shown in Eqn. 5:

$$190 \quad IPF_{event} = Q_{peak} + \frac{(Q_{peak} - Q_{pre}) \cdot (Q_{peak} - Q_{suc})}{2 \cdot Q_{peak} - Q_{pre} - Q_{suc}}, \quad (5)$$

Both of these estimation methods need information from the MDF-hydrograph selected for each flood event observed. Hence these methods can be applied in two ways: 1) IPFs are estimated for all separated events in the average daily flow (MDF) series, even if these events have small daily peaks. Then the flood frequency analysis is performed on the estimated event-based IPFs (after selecting maximum events for each year or season). 2) IPFs are estimated for the maximum daily peak only. This means  
 195 that the event hydrograph corresponding to the annual or seasonal daily maximum is considered for the calculation of  $p/V$  in Eqn. 4 or the peak discharges in Eqn. 5. The obtained annual/seasonal maximum series is then used as a basis for the flood frequency analysis. In both cases statistics are derived from the estimated IPF series and compared to the observed IPF ones. Procedure 1) is theoretically more accurate, since maxima in IPF and MDF do not necessarily occur at the same time (no temporal overlap). More precisely, events with maximum instantaneous peaks can have rather small mean daily peaks in some  
 200 instances. Correcting only the maximum MDFs would lead to underestimation of the IPFs in these cases. On the other hand, Procedure 2) may prove more robust in cases where smaller events are not properly separated, i.e. their volumes are over- or underestimated. These events would lead to unrealistic IPF estimates, when using the  $p/V$  as a primary predictor. The larger events containing the annual maximum MDF are expected to be more properly separated by the algorithm described above. Alternatively to the event-based estimation, the proposed  $p/V$  model can be applied also directly to the MDF derived statistics  
 205 with the aim to reproduce the IPF statistics. These involve the estimation of flood statistics, i.e. mean annual and seasonal maximum flows (MHQ), sample L-moments, estimated distribution parameters and derived flood quantiles based on averaged peak-volume ratios ( $p/V_{mean}$ ). These average  $p/V$ s are obtained from all annual/seasonal maximum MDF events at each site. As described before, these maximum events are expected to be properly separated and although the maximum MDF events may not necessarily be identical to the maximum IPF events, their shape may hold important information on local processes. The  
 210 model set up is analogous to the event correction approach:

$$IPF_{stat} = \frac{MDF_{stat}}{a + b_1 \cdot p/V_{mean} + b_2 \cdot CD_1 + \dots + b_{n+1} \cdot CD_n}, \quad (6)$$

where  $stat$  is the desired statistic being estimated,  $CD$  the selected catchment or climate descriptors,  $a$  and  $b$  the parameters of the model as fitted on the calibration set,  $p/V_{mean}$  is the average  $p/V_{event}$  for annual or seasonal series. The model is expected to represent the average conditions that determine the average deviation of MDF from IPF estimates. The  $p/V_{mean}$  in itself is  
 215 expected to be a good predictor that reflects local conditions like spatial scale, climate, geology and other external factors that control flow variability obtainable from daily flow records. The additional inclusion of catchment descriptors is tested case by case and may contribute to the reproduction of spatial variability of the target variable.

An overview of all the methods employed here together with their description is given in Table 1. All methods consisting of the linear models based on the  $p/V$  ratio as a main predictor ( $p/V$  - method) have been optimized based on the calibration set  
 220 only for the period 1972-2012. For the selection of the best model, the coefficient of determination ( $R^2$ ) and the significance of model parameters (based on the p-value) are considered. For validation all sites with their respective observed period are used.



Through the validation we compare and assess the ability of the proposed models to capture the mean maximum flow (MHQ) and the probability distribution and the respective design floods.

**Table 1.** Description of all the methods employed here for the computation of IPF series and its respective statistics.

Application	Name	Description
Reference	MDF	IPFs are taken directly without correction from average daily flows MDF
event-based analysis	slope-events	estimate IPF for all flood events derived from MDF according to Eqn. 5
	p/V-events	estimate IPF for all flood events derived from MDF according to Eqn. 4
AMS-based analysis	slope-AMS	estimate IPF as per Eqn. 5 only for the flood events that correspond to annual/seasonal maxima from MDF series
	p/V-AMS	estimate IPF as per Eqn. 4 only for the flood events that correspond to annual/seasonal maxima from MDF series
Statistics-based analysis	p/V-Lmoments	estimate IPF L-moments as per Eqn. 6 based on L-moments derived from annual/seasonal maximum series of MDF data set
	p/V-params	estimate IPF GEV parameters as per Eqn. 6 based on GEV parameters derived from annual/seasonal maximum series of MDF data set
	p/V-quants	estimate IPF quantiles as per Eqn. 6 based on quantiles derived from annual/seasonal maximum series of MDF data set
	p/V-MHQ	IPF mean annual maxima (MHQ) as per Eqn. 6 based on average daily MHQ.

### 3.2.3 Analysis of the instantaneous peak flows

225 Since the IPF series are not continuous rather a maxima per month (see Section 2), a direct comparison for each flood event is not possible. Instead, we focus here on the analysis of flood statistics. For this purpose the general difference between IPF statistic  $IPF_{stat}$  and MDF-estimated flood statistics  $MDF_{stat}$  are calculated as following:

$$Error(\%) = \frac{MDF_{stat} - IPF_{stat}}{IPF_{stat}} \cdot 100, \quad (7)$$

where the *Error* is computed at each site for any desired statistical quantity *stat*, like the mean annual maximum flow (MHQ),  
 230 L-moments (Hosking, 1990), distribution parameters and flood quantiles.

Apart from the *Error (%)* at each site, two additional performance criteria are calculated over all sites: the normalized root mean square error *nRMSE* as per Eqn. 8 and the percent bias *pBIAS* as per Eqn. 9:

$$nRMSE(\%) = 100 \cdot \frac{\sqrt{\frac{1}{N} \cdot \sum_{i=1}^N (MDF_{stat_i} - IPF_{stat_i})^2}}{sd_{IPF_{stat}}}, \quad (8)$$

$$235 \quad pBIAS(\%) = \frac{\sum_{i=1}^N MDF_{stat_i} - IPF_{stat_i}}{\sum_{i=1}^N IPF_{stat_i}}, \quad (9)$$

where  $N$  is the number of the validation sites,  $MDF_{stat_i}$  and  $IPF_{stat_i}$  are the respective statistics from MDF and IPF series, and  $sd_{IPF_{stat}}$  is the standard deviation of IPF statistics over all considered sites. These criteria are computed for each of the methods described in Table 1.

### 3.3 Uncertainty Analysis

240 Since both distribution fitting and IPF estimation via p/V models are approximations and not fully accurate, we eventually  
 assess the overall level of uncertainty in the final IPF flood quantile estimates. As it will be later shown in Section 4.2 the  
 best correction approach is chosen to be the p/V-Lmoms - the model correcting directly the L-moments of the MDF series.  
 This is done using simple resampling with replacement procedures; resampling in time when selecting the maximum series for  
 FFA, resampling in space when selecting the sites for the p/V model (either for calibration or validation of the models) and  
 245 resampling both in space and time. In a first step, the series of annual/seasonal maximum from both MDF and IPF datasets are  
 analogously resampled 1000 times with replacement (temporal sample and parameter uncertainty). For each resampling the  
 desired flood quantiles are estimated using L-moments. The range of these estimates provides the baseline level of uncertainty  
 due to sample and parameter uncertainty. The temporal sample uncertainty is calculated at each site for the original IPF and  
 MDF series (respectively IPF-bs and MDF-bs) and are considered as a benchmark for comparison.

250 In a second step, p/V models are fitted to each pairing of temporally resampled IPF and MDF series while considering all sites  
 in the study area that have more than 30 years of observations. This means that the temporal sample uncertainty is propagated  
 through the p/V model (p/V-full). To assess the uncertainty of the selected p/V model, another resampling is carried out, this  
 time shuffling the set of considered sites, where original MDF-Lmoments are resampled again 1000 times with replacement  
 before fitting the p/V model (p/V-bs). Lastly the total uncertainty both in space and time is assessed by combining the temporal  
 255 sample and parameter uncertainty with the uncertainty of the fitted models: this means the maximum series are resampled  
 1000 times, and for each of these sets, the sites are resampled 1000 times as well before fitting the p/V model. So, the total  
 uncertainty will be derived by  $1000 \cdot 1000$  quantile estimates (p/V-bs-bs).

To assess the overall level of uncertainty, several indices are computed at each site. The first one is the relative width of the  
 95% confidence intervals (*CI*) calculated for all aforementioned resampling estimates of the desired flood quantile:

$$260 \quad CI_{95\%_{bs}} = \frac{x_{bs;0.975} - x_{bs;0.025}}{x_{bs;0.5}}, \quad (10)$$

where  $x_{bs\ 0.025}$  and  $x_{bs\ 0.975}$  are the 2.5% and 97.5% quantile and  $x_{bs\ 0.5}$  the median of the respective sample.

The second one is the deviation of the IPF estimated samples from the IPF original sample, which allows the assessment of  
 error distributions:

$$error_{bs} = \frac{x_{bs} - IPF_{bs}}{IPF_{bs}} \cdot 100\%, \quad (11)$$

265 where  $IPF_{bs}$  is the temporal resample of the IPF original data and  $x_{bs}$  is the resampled estimated either from the original MDF  
 series or from the modelled IPF series. From the resulting error vector, a variety of statistics can be computed for comparison.  
 Finally, the agreement of the 95% confidence intervals of the MDF and p/V-model samples with the IPF confidence bands are  
 determined as percentage overlap at each site:

$$overlap = \frac{\min(X_{bs\ 0.975}, IPF_{bs\ 0.975}) - \max(X_{bs\ 0.025}, IPF_{bs\ 0.025})}{\max(X_{bs\ 0.975}, IPF_{bs\ 0.975}) - \min(X_{bs\ 0.025}, IPF_{bs\ 0.025})} \cdot 100\%, \quad (12)$$

270 where  $IPF_{bs}$  is the temporal resample of the IPF original data and  $x_{bs}$  is the resampled estimated either from the original MDF series or from the modelled IPF series.

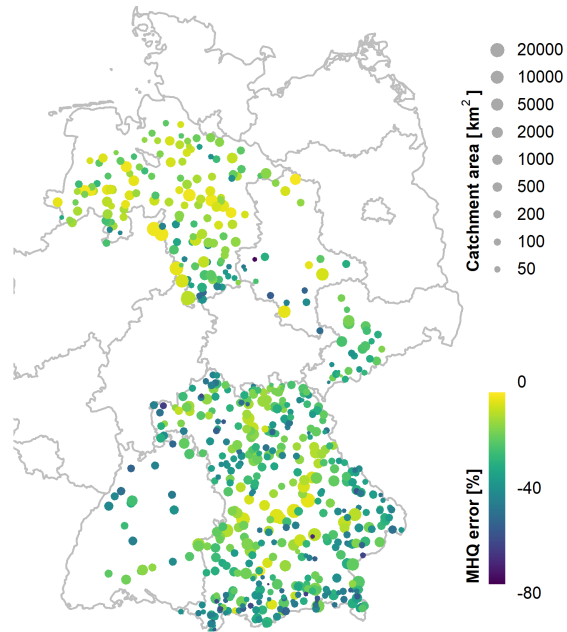
## 4 Results and discussion

### 4.1 Mean Maximum Flow (MHQ)

#### 4.1.1 Comparison of mean daily (MDF) and instantaneous peak (IPF) flows

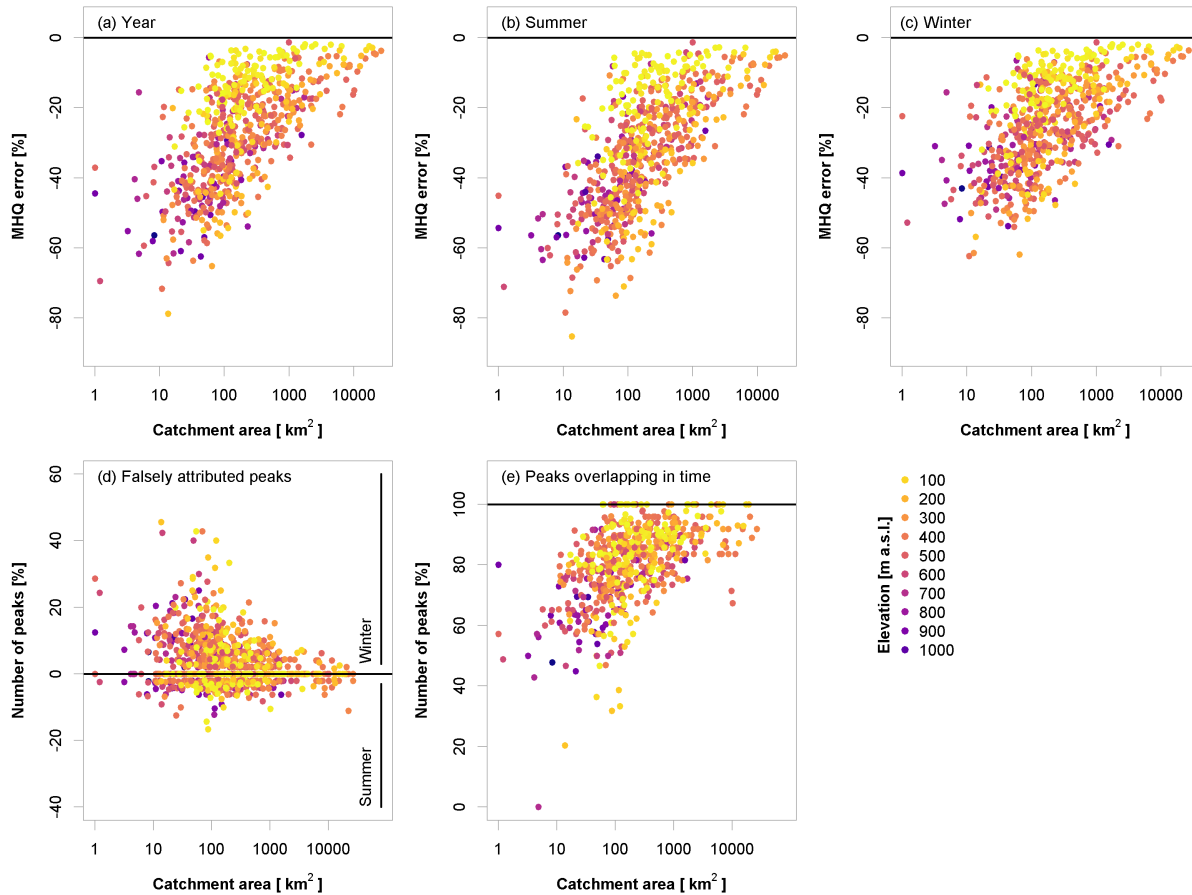
275 In theory, the relative deviation between MDF and IPF peaks depends greatly on catchment size as shown for instance in Fuller (1914); Ellis and Gray (1966). Small catchments without appreciable buffering capacity react fast to even small rainfall, leading to short and steep flood waves that are hardly reproduced on coarsely averaged time scales. Factors like steep slopes, impermeable underground and short but intense rainfall contribute to the flashiness of storm events and make these events less representable through daily flow records. The effect of the catchment size is clearly visible in our data set. Figure 3  
280 demonstrates the error of the mean annual maximum flow (MHQ) estimated by MDF instead of IPF series (as per Eqn. 7). It is clear that the larger the area, the smaller the deviation between MDF and IPF. This agrees well with the findings of Ellis and Gray (1966); Chen et al. (2017), which states that for larger basins the peak-ratio between MDF-IPF series converges to 1. Hence in these cases the MDFs are good representations of the IPFs peaks. Moreover, MHQ errors shown in Figure 3 appear to be especially large in higher altitudes. This is as well expected as mountainous catchments have a fast response time and are  
285 generally more influenced by the meteorological forcing (by snowmelt processes or convective events) as also shown in Gaál et al. (2015). Overall the MHQ error in our catchments seems to increase in north-south direction, which could be a secondary effect of both increasing altitude and decreasing catchment size.

When assessing the differences between mean daily and instantaneous peaks, it is also meaningful to take a closer look at different types of floods. For our German sites the two most opposite types are a) flood events induced by short intense rainfall, especially convective events dominant mainly in summer (May-October), and b) extended flood events with significant volume, as caused by snowmelt and/or stratiform rain occurring mainly in winter (November-April). Presumably, the latter flood type is much better represented by mean daily flow than the former. In order to roughly distinguish between the two types, the flow records are divided into summer (May - October) and winter (November - April) half years. Due to the limited data availability, a clear distinction between convective, stratiform and snowmelt events cannot be achieved here. Some snowmelt events in the  
295 high alpine catchments may still occur in May/June but are classified as summer events. However, the coarse division of the data into half years rather than seasons is due to the subsequent analysis of seasonal flood statistics and application of the mixed seasonal model. In the upper row of Figure 4 (a-c) the MHQ error is shown for the entire year and respectively also for summer and winter seasons. The relationship with catchment area is still clearly visible in all three cases. Also, the effect of the elevation becomes obvious, namely sites in the lowest elevations (yellow points, below 100 m) show very small errors, even for small catchment sizes down to approximately 100 km<sup>2</sup>. This is the clearest stratification in the error due to elevation;  
300 the errors at higher altitudes appear less distinguishable.



**Figure 3.** Spatial distribution of the mean annual maximum flow (MHQ) error (%) between mean daily (MDF) and instantaneous peak (IPF) flows obtained from all sites (calculated as per Eqn. 7).

There is, however, a clear distinction between summer and winter seasons. As expected, the MHQ error is overall smaller in the winter months, where snowmelt and stratiform events prevail, while the convective events in summer are poorly captured by MDF. The error in the annual peaks is a mixture of the two seasons; which season contributes more to the annual peaks depends on the individual flood regimes. When looking at the IPF data, at 68.8% of the considered sites the winter floods exceed on average their summer counterparts, while 29.2% of sites are dominated by summer floods. When considering MDF instead, only 22.1% of the sites are identified as having maximum peaks in summer. This indicates that the mean daily flow smooths significantly the summer peaks to a point where they are no longer relevant for the overall flood behavior. Figure 4 (d) shows the percentage of annual maxima at each site that are attributed to the wrong season when using MDF. Each site is represented by two dots: negative values show the percentage of all annual maxima that are falsely attributed to summer, while positive values show the falsely attributed winter peaks. It is obvious that with decreasing catchment size an increasing number of annual maxima are falsely identified in the winter half year, while the actual instantaneous maxima occurs in summer. Apart from not being able to properly identify flood magnitudes when using mean daily flows, this is a serious issue for classification of flood regimes, identification of dominating flood types and application of heterogeneous flood frequency analysis when daily data is the only available option.



**Figure 4.** upper row - *error (%)* in the mean maximum flow (MHQ) (as per Eqn. 7) obtained in relation to catchment size and gauge elevation for the entire year (a), summer (b) and winter (c); lower row - percentage of peaks falsely attributed by mean daily flows (MDF) to the winter or summer half-year (d) and percentage of peaks in mean daily (MDF) and instantaneous (IPF) flows that overlap in time (within a 5-day buffer e). Results are illustrated for all sites.

Another general issue highlighted by this analysis, independent of seasonality, is that the peaks of both IPF and MDF dataset do not necessarily occur at the same day (there is no temporal overlap). In their study, Chen et al. (2017) illustrated that only on 82% of the events investigated, the peaks of both IPF and MDF series occurred on the same day. This suggests that instantaneous maxima are not always identifiable in the mean daily flows, i.e. the maxima obtained from the daily series are inevitably found in other places. The temporal overlap of IPF and MDF derived peaks for our catchments is shown in 4 (e). In general, the smaller the catchment, the smaller the temporal overlap between instantaneous and daily peaks. A weak link is also visible between high elevation and smaller temporal overlap between the two peaks. This problem needs to be kept in mind when attempting to estimate instantaneous peaks from daily peaks, since the two may belong to significantly different events (different genesis) and thus to different populations.

#### 4.1.2 Estimation of mean maximum flow (MHQ)

So far, the error in the mean maximum flow (MHQ) between MDF and IPF is shown to be influenced by both catchment area and gauge elevation. Both of these predictors may be helpful to correct MDF for a better agreement with the IPF data. Moreover, there seems to be a significant linear dependence between the peak ratios MDF/IPF,  $p/V$  ratio and the logarithm of the catchment size. We first test the suitability of various predictors to predict MHQ of IPF by fitting the  $p/V$  models to the individual events of MDF ( $p/V$ -event), or to the MDF maximum series ( $p/V$ -AMS) or lastly directly to the MDF mean maximum flow ( $p/V$ -MHQ). Various model combinations with the available predictors (catchment area, elevation and  $p/V$  ratio) are tested using the calibration data set and their respective coefficient of determinations are shown in Table 2. The selected models are marked in bold in Table 2 and their respective full model formulas are given in Table 3. For most models, the majority of variance in the IPF-MDF relationship is explained by the  $p/V$  ratio and the catchment area. For winter, including gauge elevation appeared to improve the model slightly.

**Table 2.** Coefficients of determination of various model combinations (see Table 1 for description of models). Values are obtained by fitting the models only to calibration set. Bold numbers indicate the best  $p/V$  model for each application and asterisks indicate at least one non-significant predictor in the  $p/V$  models.

Applications	Event-based ( $p/V$ -event)			Maximum-based ( $p/V$ -AMS)			MHQ-based ( $p/V$ -MHQ)		
	Year	Summer	Winter	Year	Summer	Winter	Year	Summer	Winter
Area	0.14	0.19	0.12	0.30	0.26	0.25	0.42	0.42	0.38
Elevation	0.01	0.01	0.01	0.04	0.01	0.03	0.06	0.02	0.08
$p \setminus V$	0.13	0.13	0.09	0.21	0.21	0.20	0.55	0.49	0.49
$p \setminus V + \text{Area}$	<b>0.23</b>	<b>0.26</b>	<b>0.17</b>	<b>0.39</b>	<b>0.36</b>	<b>0.35</b>	<b>0.66</b>	<b>0.65</b>	0.63
$p \setminus V + \text{Area}$	0.14	0.13	0.10	0.23	0.22	0.23	0.56*	0.51	0.56
$p \setminus V + \text{Area} + \text{Elevation}$	0.23	0.26	0.17	0.40	0.36*	0.36	0.67*	0.65*	<b>0.68</b>

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The models show a similar performance for the annual and summer peak ratios both for the correction of individual events

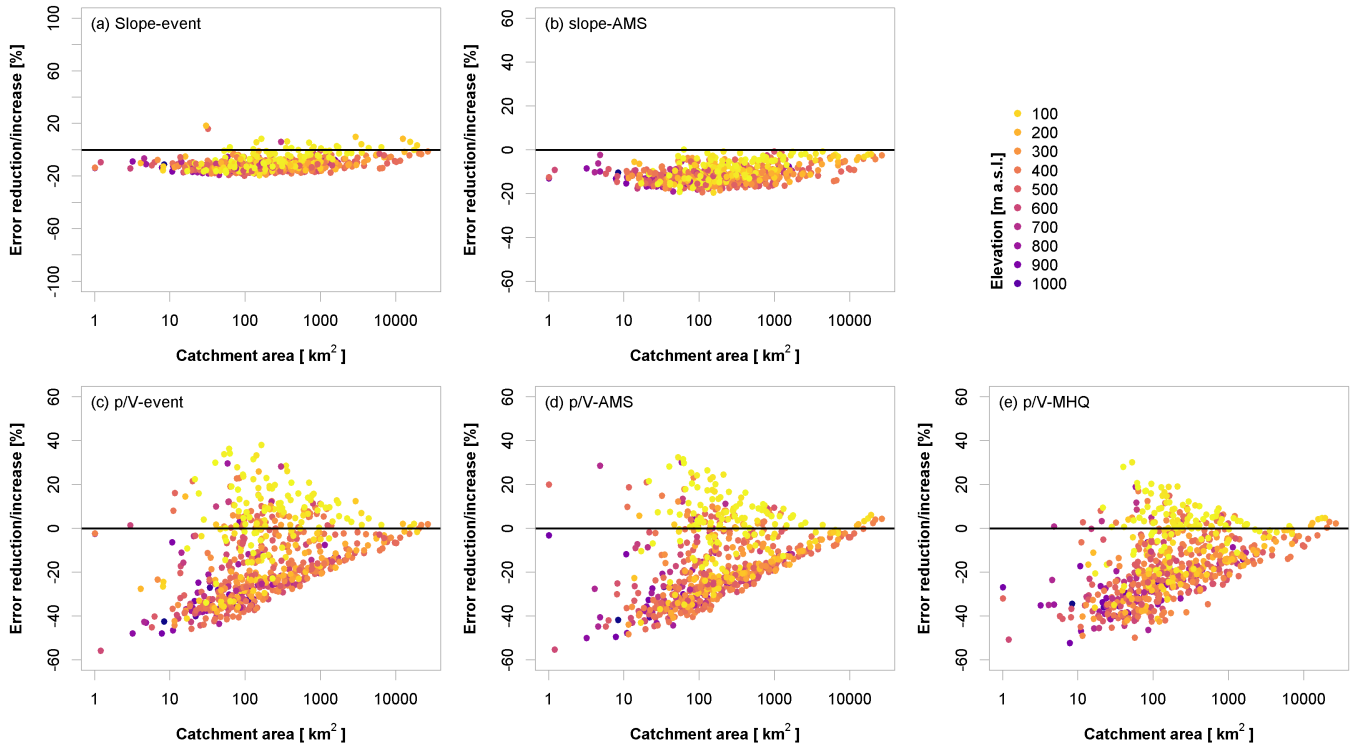
(p/V-event) and mean maximum flow (p/V-MHQ). For winter, the model performance seems to differ, especially when correcting the individual events (p/V-event). It appears that the models using the p/V have more difficulty to estimate the winter peak ratio. This could be due to improper event separation, which will be discussed in more detail below and which leads to unrealistic p/V ratios. The fact that elevation is a significant predictor in the MHQ model (p/V-MHQ) may also suggest that the peak ratios in winter are more heterogeneous.

**Table 3.** Best p-V models (as shown in bold in Table 2) fitted on the calibration set for correction of individual events (p/V-events), annual/seasonal maximum (p/V-AMS) and the MHQ (p/V-MHQ).

Type		Model
<i>(p/V-events)</i>	Events Year	$\text{MDF} / (0.59 - 0.43 \cdot p/V_{\text{event}} + 0.047 \cdot \log(\text{area}))$
	Summer	$\text{MDF} / (0.44 - 0.36 \cdot p/V_{\text{event}} + 0.063 \cdot \log(\text{area}))$
	Winter	$\text{MDF} / (0.63 - 0.35 \cdot p/V_{\text{event}} + 0.044 \cdot \log(\text{area}))$
<i>(p/V-AMS)</i>	Maxima Year	$\text{MAX}_{\text{MDF}} / (0.53 - 0.42 \cdot p/V_{\text{max}} + 0.057 \cdot \log(\text{area}))$
	Summer	$\text{MAX}_{\text{MDF}} / (0.61 - 0.73 \cdot p/V_{\text{max}} + 0.061 \cdot \log(\text{area}))$
	Winter	$\text{MAX}_{\text{MDF}} / (0.70 - 0.68 \cdot p/V_{\text{max}} + 0.054 \cdot \log(\text{area}))$
<i>(p/V-MHQ)</i>	MHQ Year	$\text{MHQ}_{\text{MDF}} / (0.74 - 0.94 \cdot p/V_{\text{mean}} + 0.043 \cdot \log(\text{area}))$
	Summer	$\text{MHQ}_{\text{MDF}} / (0.83 - 1.19 \cdot p/V_{\text{mean}} + 0.054 \cdot \log(\text{area}))$
	Winter	$\text{MHQ}_{\text{MDF}} / (0.99 - 1.31 \cdot p/V_{\text{mean}} + 0.035 \cdot \log(\text{area}) - 0.00012 \cdot \text{elevation})$

Figure 5 shows the change in mean absolute error in the annual MHQ after correction with the different methods in relation to catchment size and elevation: positive values indicate that the error has increased after correction, while negative values indicate that the error has decreased after correction. The slope method (5-a) applied to the individual events (slope-event) yields a rather constant reduction of the error independent of catchment size. However, there are several outliers produced by this method, which can be attributed to improper separation of smaller events. Applying the slope method only to the annual maximum MDF events (slope-AMS), as done in Figure 5 (b), shows a much smoother and more constant error reduction. The corrections using the p/V models proposed here (Figure 5 (c-e)) yield a much larger improvement for the smaller catchments (where the original MDF error was generally larger than in the bigger catchments). Nevertheless, these corrections simultaneously lead to an increase of the error in several cases. This deterioration appears to affect those sites that have been highlighted before in section 4.1.1, namely the ones with the lowest elevations in the data set where the original MDF error was quite low. The differences between correcting the individual events (p/V-events) and the annual maxima (p/V-AMS) (as illustrated respectively in Figure 5 (c-d)) by means of the p/V models appear rather small. This suggests that even though the annual maximum from MDF does in many cases not occur at the same time as the annual maximum from IPF, the method still yields an appropriate estimate of the true IPF. On the other hand, directly correcting the MHQ (p/V-MHQ in Figure 5 (e)), results in slightly lower error reduction for the smaller catchments but also appears to produce fewer outliers and is thus considered more robust. It should be noted that working with large data and automatic event separation without manual post-correction leads to problems that could potentially be avoided when considering individual time series more carefully. Several events are identified as

too long or too short (or not at all), so their volumes are over- or understated, respectively. This results in false  $p/V$  ratios and  
 360 in some cases to severe over- or underestimation of the peaks. The weight of such events is assumed to be significantly lower  
 when correcting flood statistics based on average  $p/V$  ratios. In addition, the overall performance can only be assessed for  
 events that contain the monthly instantaneous maximum flow, i.e. primarily larger events. How the event correction performs  
 for minor events cannot be analyzed here.



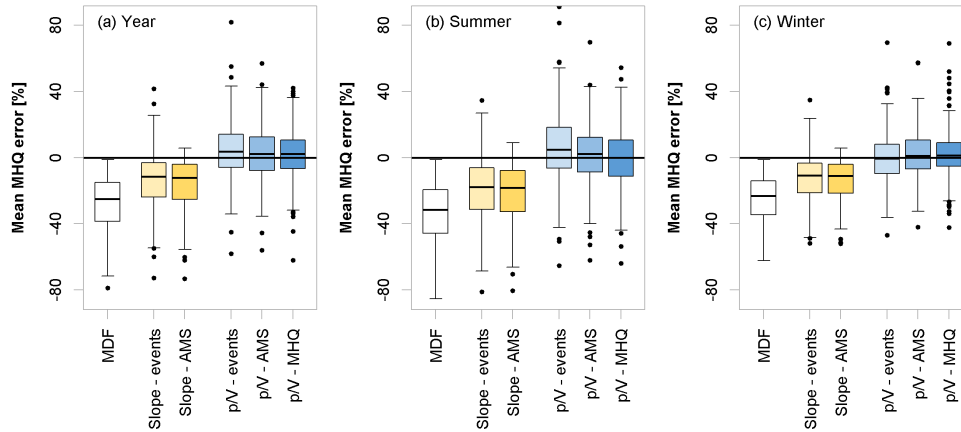
**Figure 5.** Error reduction (negative values) vs error increase (positive values) in the mean maximum flow (MHQ) for different IPF estimation methods when compared to MDF. For an overview of the methods, the reader is directed to Table 1. Values are obtained by applying the selected methods to the validation set.

Figure 6 summarizes the overall model performances to estimate the IPF mean annual/seasonal maximum flow (MHQ) at all  
 365 validation sites and compares the individual methods to the error in using MDF directly. It is obvious that all methods give  
 significantly better IPF estimates than the mere MDFs. The slope correction methods (both slope.event and slope-AMS) have  
 quite a large bias (median error around -10%), which is, as seen above, not only disadvantageous. Still, the overall error is  
 smaller for the  $p/V$ -models ( $p/V$ -events,  $p/V$ -AMS and  $p/V$ -MHQ), where the median error is at 0-2%, with fewer positive  
 outliers produced by the  $p/V$ -MHQ approach.

370 Table 4 summarizes the normalized root mean square error ( $nRMSE$  (%)) and the percentage bias ( $pBIAS$  (%)) of the mean  
 annual/seasonal maximum flow (MHQ) estimated via the different model variants. In terms of  $nRMSE$ , the performances of the



slope and p/V-methods are comparable, with the slope methods being more biased. There are a number of outliers produced by the p/V-methods, especially positive ones, that affect the overall ( $nRMSE$ ). As seen in Figure 5, this is primarily concerning the low elevation catchments below 100 m. The values in parentheses in Table 4 indicate the performance criteria for gauges with catchment areas below 500 km<sup>2</sup>. Here, the advantage of the p/V-approaches over the slope methods become apparent, even though a large number of low elevation catchments fall in this category, which negatively affect the overall error.



**Figure 6.** Error (%) comparison of different methods to estimate the mean maximum annual flow (MHQ) for the entire year (a), summer (b) and winter (c). Values are obtained by applying the selected methods to the validation set. For an overview of the methods, the reader is directed to Table 1.

**Table 4.** Normalized root mean square error ( $nRMSE$  (%)) and percentage bias ( $pBIAS$  (%)) of estimated vs. observed instantaneous annual/seasonal mean maximum flow (MHQ) over all validation sites for different methods. The values in parentheses show the performances for catchment sizes below 500 km<sup>2</sup>.

	Year		Summer		Winter	
	$nRMSE$ [%]	$nBIAS$ [%]	$nRMSE$ [%]	$pBIAS$ [%]	$nRMSE$ [%]	$nBIAS$ [%]
MDF	17.0 (47.9)	-18.0 (-32.4)	18.1 (49.0)	-20.6 (-38.1)	14.9 (44.1)	-16.4 (-28.7)
Slope-events	8.4 (25.0)	-6.8 (-15.8)	7.9 (29.0)	-9.2 (-21.8)	9.2 (21.3)	-6.5 (-13.0)
Slope-AMS	7.4 (31.2)	-8.1 (-19.3)	8.4 (33.6)	-10.5 (-25.0)	7.2 (28.0)	-7.4 (-16.1)
p/V-events	9.3 (16.7)	-2.8 (-1.0)	8.4 (16.6)	-2.6 (-0.5)	10.6 (17.6)	-5.1 (-4.1)
p/V-AMS	10.7 (20.4)	-5.4 (-2.9)	11.0 (19.7)	-5.4 (-3.7)	9.4 (21.4)	-4.7 (-2.9)
p/V-MHQ	7.7 (19.0)	-3.9 (-2.3)	12.5 (20.6)	-6.8 (-5.0)	8.5 (20.8)	-3.8 (-1.7)

Table 5 shows the average error between the annual MHQ predicted with the p/V-MHQ model with the observed instantaneous annual MHQ, distributed for different catchment sizes and elevations. It becomes obvious that for the smallest elevations, the

instantaneous annual MHQ is overestimated, especially for smaller catchment sizes. Catchments in the range between 100 and 380 200 m of altitude also show quite large errors but these are mostly negative. It is also apparent that the catchments with outlets at higher elevations exhibit large negative errors in most cases.

**Table 5.** Average prediction *Error (%)* of the p/V-MHQ model for the annual MHQ calculated over the validation sites and shown here for different ranges of area and elevation. Red shades indicate overestimation, while blue shades underestimation.

		Elevation [m a.s.l.]									
		<100	<200	<300	<400	<500	<600	<700	<800	<900	<1200
Catchment Area [km <sup>2</sup> ]	<50	9.35	-10.77	-8.86	-6.77	1.17	-6.35	0.64	-3.14	-0.31	-15.33
	<100	18.59	-16.98	-9.75	1.97	4.21	0.37	1.83	-1.05	-2.74	-19.45
	<200	13.79	-10.41	1.04	1.45	8.70	-3.61	3.27	5.48	-9.16	4.96
	<500	11.43	-6.57	-0.01	4.19	5.58	3.62	-4.05	-3.93	-21.83	-
	<1000	8.12	-5.31	3.80	0.86	3.22	-4.66	3.53	-	-	-
	<2000	5.05	-1.94	-4.45	5.29	-1.66	-3.97	-3.68	-5.91	6.42	-13.63
	<5000	-0.61	-6.75	-1.96	-1.15	-2.73	-3.53	-	-	-	-
	<10000	-3.47	-6.38	-0.70	-4.96	-6.50	-	-	-	-	-
	<30000	-7.48	-8.37	-5.25	-5.84	-	-	-	-	-	-

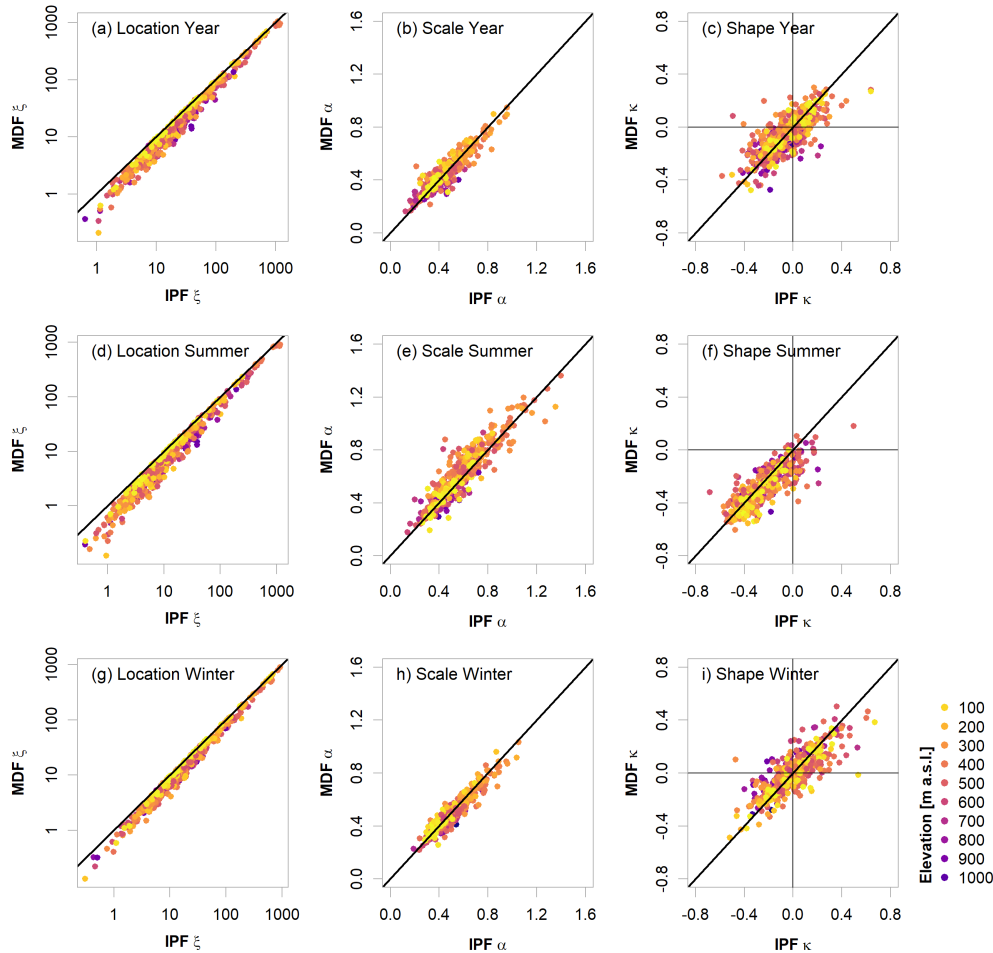
## 4.2 Probability distributions and derived design flows

So far the proposed p/V models were analyzed in their ability to estimate better the mean maximum flow (MHQ) from MDF data. In this subsection the focus is shifted to the ability of the methods to estimate parameter distribution of the IPF and 385 the derived flood quantiles. The GEV distribution appeared to be a generally suitable distribution for the sites in the dataset. A Cramer-von-Mises test was carried out for the original IPF and MDF samples, as well as for the slope and p/V-corrected samples at each site and certified a good fit in all cases (p -value= 5%).

### 4.2.1 Comparing mean daily (MDF) with instantaneous peak (IPF) flow distributions

A comparison between the estimated parameters for the IPF and MDF samples for the year and the seasons are shown in Figure 390 7. As expected, the location parameters are consistently underestimated by the MDF series, with the largest errors in summer. This naturally leads to an overall downward shift of the “true” distribution when estimated from MDF values. The scales, here normalized by the location, appear to be primarily overestimated in summer, leading to distributions that are steeper for MDF than for IPF samples. For the year and winter, the errors in the scale parameters appear to be balanced in their directions. The shape parameters differ quite substantially between the seasons. In summer the vast majority of estimated parameter values is 395 negative, both in IPF and MDF. This indicates a heavy tail behavior for the summer floods. The fact that these negative values are in many cases smaller in the MDF than in the IPF sample, suggests that the tails are overstated in the former case. For the

year and winter season, again, no clear trend is visible. The distribution parameters of the low-elevation gauges appear to be very well estimated by the MDF. For the higher elevations, especially the estimation of the shape parameters seems difficult. For the whole year, the IPF shape is underestimated at a lot of gauges, while it is primarily overestimated in winter. Overall, due to the underestimation of the location parameter, underestimation of both lower and higher flood quantiles by the MDF sample is expected.



**Figure 7.** Estimated Generalized Extreme Value (GEV) parameters from the instantaneous peaks (IPF) vs. mean daily (MDF) annual/seasonal maximum series. Here only validation sites with observations longer than 30 years are shown.

Generally, the heavy tails of the summer distributions in contrast to the flatter tails in winter let the summer floods become dominant at higher quantiles. For a return period of 100 years, the summer floods exceed the winter peaks at 61.9% of the sites. For 50 and 10 years this exceedance occurs at 51.2% and 35.7% of sites, respectively. This behavior is also noticeable in the MDF but for fewer gauges, namely 53.4%, 43.2% and 21.0% for 100, 50 and 10-year return periods.

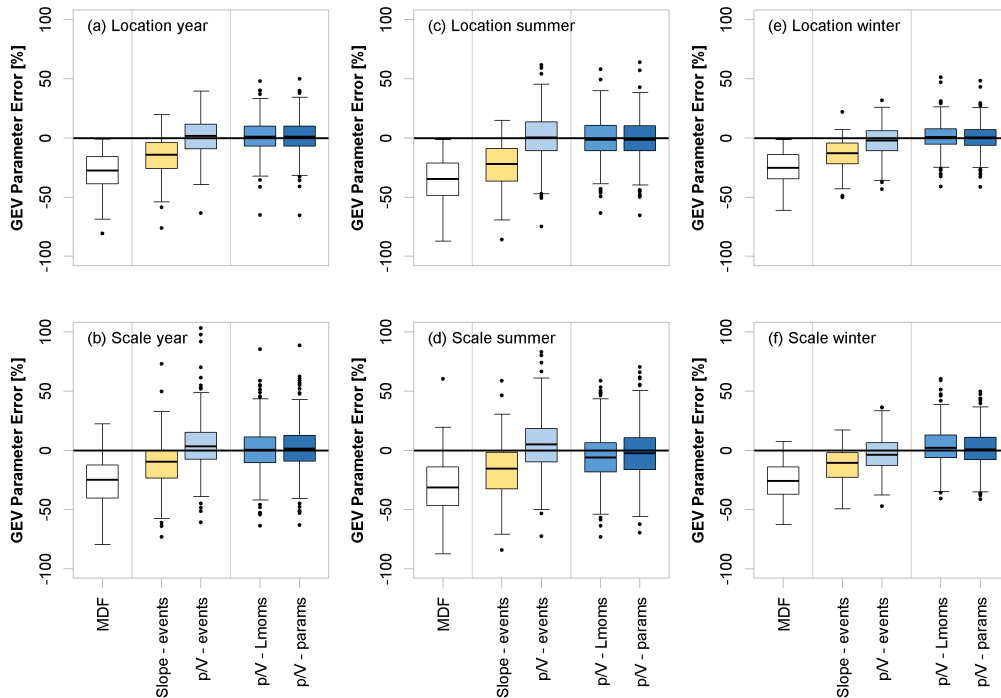
#### 4.2.2 Estimation of instantaneous peak flow (IPF) distributions and quantiles

Three approaches were tested for estimating IPF flood quantiles based on MDF statistics: a) correcting the sample L-moments required for parameter estimation (p/V-Lmoms), b) correcting the parameters of the fitted distribution (p/V-params), and c) directly correcting the desired flood quantiles (p/V-quants). Method a) is convenient since a single model for each L-moment facilitates a correction of the complete distribution and hence each desired flood quantile. Estimating the L-moments has the additional advantage of not being restricted to a certain type of probability distribution. A proper distribution can be selected and fitted locally using the corrected L-moments. Still, the other methods may prove more robust and are hence tested as well. The final models for each target variable are selected according to the procedure for the MHQ (see Table 2), using the calibration data set. For reasons of conciseness, only the final models are presented in Table 6.

**Table 6.** p/V models fitted on the calibration data set for correction of L-Moments (p/V-Lmoms), GEV parameters (p/V-params) and flood quantiles (p/V-quants) derived from the mean daily flow (MDF) annual or seasonal maximum series. For an overview of the methods the reader is directed to Table 1.

Type			Model	R <sup>2</sup>
L-moments (p/V-Lmoms)	L1	Year	$L1_{MDF} / (0.74 - 0.94 \cdot p/V_{mean} + 0.043 \cdot \log(\text{area}))$	0.66
		Summer	$L1_{MDF} / (0.83 - 1.19 \cdot p/V_{mean} + 0.054 \cdot \log(\text{area}))$	0.65
		Winter	$L1_{MDF} / (0.99 - 1.31 \cdot p/V_{mean} + 0.036 \cdot \log(\text{area})) - 0.00012 \cdot \text{elevation}$	0.67
	L2	Year	$L2_{MDF} / (0.64 - 0.65 \cdot p/V_{mean} + 0.048 \cdot \log(\text{area}))$	0.66
		Summer	$L2_{MDF} / (0.71 - 0.86 \cdot p/V_{mean} + 0.062 \cdot \log(\text{area}))$	0.65
		Winter	$L2_{MDF} / (0.89 - 1.09 \cdot p/V_{mean} + 0.043 \cdot \log(\text{area})) - 0.00016 \cdot \text{elevation}$	0.53
GEV parameters (p/V-params)	$\xi$	Year	$\xi_{MDF} / (0.77 - 1.02 \cdot p/V_{mean} + 0.042 \cdot \log(\text{area}))$	0.67
		Summer	$\xi_{MDF} / (0.89 - 1.39 \cdot p/V_{mean} + 0.052 \cdot \log(\text{area}))$	0.64
		Winter	$\xi_{MDF} / (0.96 - 1.36 \cdot p/V_{mean} + 0.037 \cdot \log(\text{area}))$	0.63
	$\alpha$	Year	$\alpha_{MDF} / (0.67 - 0.77 \cdot p/V_{mean} + 0.048 \cdot \log(\text{area}))$	0.45
		Summer	$\alpha_{MDF} / (0.78 - 1.14 \cdot p/V_{mean} + 0.064 \cdot \log(\text{area}))$	0.42
		Winter	$\alpha_{MDF} / (0.97 - 1.24 \cdot p/V_{mean} + 0.037 \cdot \log(\text{area}) - 0.00015 \cdot \text{elevation})$	0.56
Flood quantiles (p/V-quants)	HQ10	Year	$HQ10_{MDF} / (0.72 - 0.87 \cdot p/V_{mean} + 0.043 \cdot \log(\text{area}))$	0.61
		Summer	$HQ10_{MDF} / (0.79 - 1.09 \cdot p/V_{mean} + 0.058 \cdot \log(\text{area}))$	0.60
		Winter	$HQ10_{MDF} / (0.96 - 1.23 \cdot p/V_{mean} + 0.038 \cdot \log(\text{area}) - 0.00014 \cdot \text{elevation})$	0.63
	HQ50	Year	$HQ50_{MDF} / (0.70 - 0.75 \cdot p/V_{mean} + 0.044 \cdot \log(\text{area}))$	0.52
		Summer	$HQ50_{MDF} / (0.73 - 0.83 \cdot p/V_{mean} + 0.057 \cdot \log(\text{area}))$	0.53
		Winter	$HQ50_{MDF} / (0.89 - 1.09 \cdot p/V_{mean} + 0.043 \cdot \log(\text{area}) - 0.00016 \cdot \text{elevation})$	0.54
	HQ100	Year	$HQ100_{MDF} / (0.69 - 0.70 \cdot p/V_{mean} + 0.044 \cdot \log(\text{area}))$	0.46
		Summer	$HQ100_{MDF} / (0.70 - 0.71 \cdot p/V_{mean} + 0.057 \cdot \log(\text{area}))$	0.46
		Winter	$HQ100_{MDF} / (0.87 - 1.03 \cdot p/V_{mean} + 0.0044 \cdot \log(\text{area}) - 0.00017 \cdot \text{elevation})$	0.49

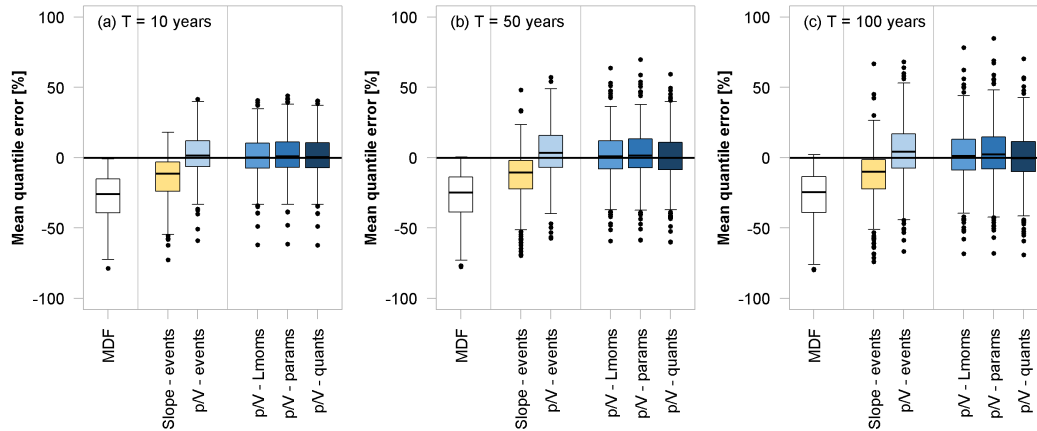
For further comparisons, distributions were also fitted to the annual and seasonal maxima that have been previously corrected  
 415 using the slope (slope-events) and p/V-methods for events (p/V-events). Since the shape parameter is generally difficult to  
 estimate, especially for such a short time period, and the models' estimates are generally close to the observed MDF shape  
 parameter, it will not be estimated using the model variants. Instead, the MDF shape parameter estimate will be used in all  
 instances. Figure 8 shows the errors (%) in GEV-parameter estimates for the different approaches in comparison to the original  
 uncorrected MDF error (%) computed over the 486 validation sites with minimum 30-year of observations. Since the method  
 420 p/V-quantiles directly corrects the MDF-quantiles, it can not be used to estimate the GEV parameters and hence is not illustrated  
 in the Figure 8. All methods shown, clearly improve the estimation for the location and scale parameters when compared to the  
 original MDF estimates. The corrections based on the p/V models proposed here (p/V-events, p/V-Lmoms and p/V-params) are  
 less biased than the slope method (slope-event) proposed by Chen et al. (2017). Particularly the correction of the MDF sample  
 L-Moments (p/V-Lmoms) shows the smallest error and bias.



**Figure 8.** Error (%) comparison from various IPF-estimation methods (see Table 1 for explanation of methods) in their ability to estimate Generalized Extreme Value (GEV) distribution parameters based on annual or seasonal maximum series. Only validation sites with more than 30 years of observation are used for the boxplots.

425 Figure 9 demonstrates the quality of the different correction approaches by means of the 10-, 50- and 100-year flood at the 486 validation sites. With increasing return period, the performance of all correction methods appears to decline. Differences in

the tails of the fitted distributions are more difficult to be captured by the analyzed approaches. This turns out to be especially valid for the low-altitude catchments. The over-correction that was observed for the mean is even more pronounced here, which leads to an average decline in model performance. Also, the general uncertainty in parameter estimation and extrapolation far beyond the time series length need to be kept in mind. Overall, even the estimation of the “true” IPF quantiles is potentially defective in itself, as will be discussed in the next section.



**Figure 9.** Error (%) comparison of various IPF-estimation methods (see Table 1 for explanation of methods) in their ability to estimate different flood quantiles based on annual maximum series. Only validation sites with more than 30 years of observation are used for the boxplots.

Since the average  $p/V$  ratio is used for the direct correction of L-moments, parameters and flood quantiles, it is expected for the performance to decrease with increasing return period, as the  $p/V_{mean}$  may not relate much to the higher quantiles. Still, even for the 100-year flood, these approaches appear to work just as well as the p/V-event approach, as also indicated by the performance criteria ( $nRMSE$  (%) and  $pBIAS$  (%)) given in Table 7. The performance of all three methods is comparable, but due to its previously named advantages, the L-moment method (p/V-Lmoms) is considered the superior approach in this setting. Between the event correction techniques, the slope method performs similar to the p/V-method in terms of overall error but is again more biased. When focusing on the catchments with areas below 500 km<sup>2</sup>, the superiority of the p/V-methods becomes apparent.

The distribution of the prediction error for the correction of L-moments (p/V-Lmoms) over the different catchment areas and elevations can be found in Table 8. The errors are exemplary shown for the 100-year flood. The error distribution is comparable to the MHQ. Again, especially the overestimation for the lowest elevations is striking, as well as the significant underestimation at higher altitudes.

Finally, the model performances of the mixed models, combining summer and winter floods, are analyzed for different flood quantiles. Their behavior is generally comparable to the annual maximum series approach, as shown in Figure 10. Even though

**Table 7.** Performances of different IPF estimation methods in terms of normalized root mean square error ( $nRMSE$  (%)) and percent bias ( $pBIAS$  (%)) for different flood quantiles estimated from annual maximum series. The performance is computed over validation sites with more than 30 years observation, while the values in parentheses show the performances for catchment sizes below 500 km<sup>2</sup>. For a description of the methods shown here see Table 1.

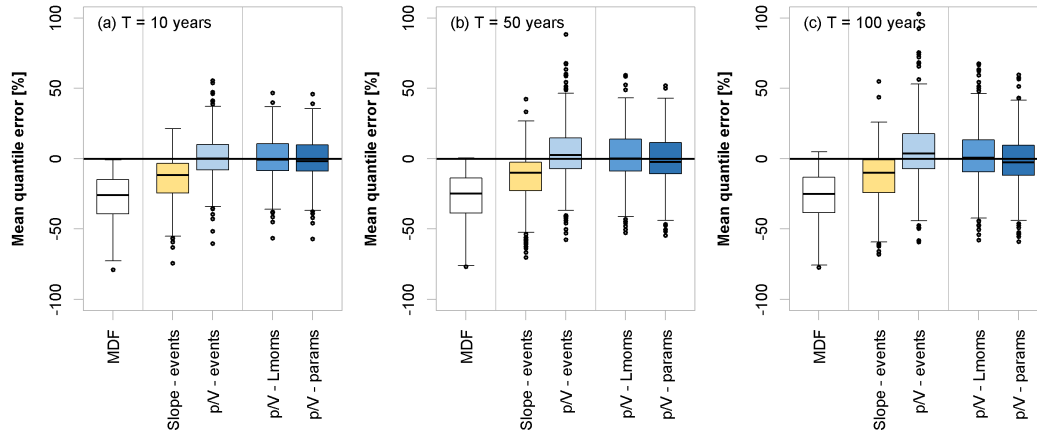
	T = 10 years		T = 50 years		T = 100 years	
	$nRMSE$ [%]	$pBIAS$ [%]	$nRMSE$ [%]	$pBIAS$ [%]	$nRMSE$ [%]	$pBIAS$ [%]
MDF	17.8 (50.0)	-18.0 (-32.9)	17.8 (48.1)	-18.2 (-32.3)	17.9 (47.5)	-18.3 (-39.1)
Slope-events	7.0 (30.3)	-5.8 (-17.5)	8.7 (27.7)	-4.7 (-15.8)	10.3 (27.8)	-4.2 (-15.2)
p/V-events	7.7 (20.1)	-2.1 (-1.3)	8.5 (19.1)	-0.8 (0.8)	9.8 (21.1)	-0.3(-1.8)
p/V-Lmoms	8.2 (21.1)	-4.0 (-3.3)	8.7 (21.1)	-3.8 (-2.8)	9.3 (22.8)	-3.7 (-2.6)
p/V-params	8.1 (20.6)	-3.6 (-2.3)	8.5 (20.7)	-3.3 (-1.6)	9.1 (22.5)	-3.1(-1.2)
p/V-quants	7.8 (20.9)	-3.6 (-3.1)	8.6 (21.4)	-4.0 (-3.9)	9.3 (23.2)	-4.3(-4.4)

**Table 8.** Average prediction error (%) of the p/V-Lmoms model for the 100 year flood (HQ100) calculated over the validation sites and shown here for different ranges of catchment area and gauge elevation. Red shades indicate overestimation, while blue shades underestimation.

		Elevation [m a.s.l.]									
		<100	<200	<300	<400	<500	<600	<700	<800	<900	<1200
Catchment Area [km <sup>2</sup> ]	<50	18.37	-34.61	-14.45	-12.68	2.66	-2.17	17.33	-6.80	-13.73	-15.58
	<100	24.81	-7.61	-8.01	6.46	4.91	0.72	3.98	5.26	7.49	-33.61
	<200	30.72	-9.97	-1.26	0.57	4.38	-4.76	3.33	5.37	-5.10	-
	<500	16.30	2.68	-1.65	2.56	4.34	8.03	5.78	2.56	-20.01	-
	<1000	7.95	1.56	-2.25	-1.93	6.88	3.36	3.43	-	-	-
	<2000	5.47	-8.43	-12.11	-2.63	-3.31	1.26	-6.80	1.19	16.97	-1.23
	<5000	-0.50	-7.33	-7.80	-3.66	-0.53	5.03	-	-	-	-
	<10000	-6.63	-9.86	-6.86	-4.07	-7.26	-	-	-	-	-
	<30000	-6.40	-17.31	-5.02	-0.92	-	-	-	-	-	-

the quantiles obtained with the mixed models may be more extreme and more parameters need to be estimated and corrected, there is no indication that the IPF correction will not function in this case. The  $nRMSE$  (%) and  $pBIAS$  (%) values for the mixed-model are shown in Table 9. According to these values, the event-correction methods appear to perform best overall.

450 For the smaller catchments (< 500 km<sup>2</sup>) the p/V-methods outperform the slope method.



**Figure 10.** Error (%) comparison of various IPF-estimation methods (see Table 1 for explanation of methods) in their ability to estimate different flood quantiles based on mixed-model of seasonal maximum series. Only validation sites with more than 30 years of observation are used for the boxplots.

**Table 9.** Performances of different IPF estimation methods in terms of normalized root mean square error ( $nRMSE$  (%)) and percent bias ( $pBIAS$  (%)) for different flood quantiles estimated from mixed-models of seasonal maximum series. The performance is computed over validation sites with more than 30 years observation, while the values in parentheses show the performances for catchment sizes below 500 km<sup>2</sup>. For a description of the methods shown here see Table 1.

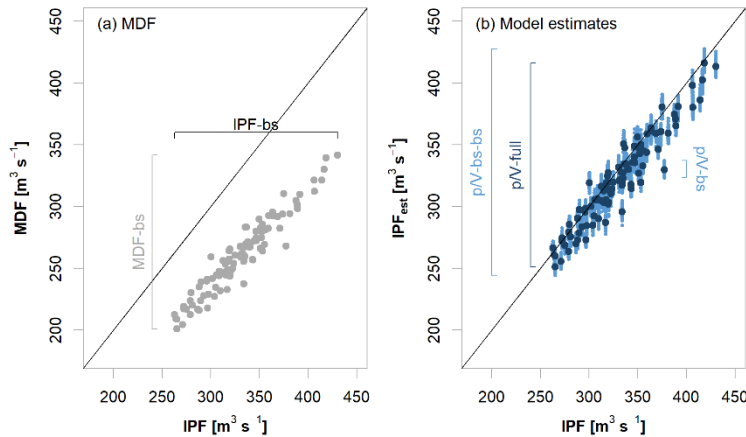
	T = 10 years		T = 50 years		T = 100 years	
	nRMSE[%]	pBIAS[%]	nRMSE[%]	pBIAS[%]	nRMSE[%]	pBIAS[%]
MDF	17.7 (50.2)	-17.9 (-32.9)	17.5 (48.3)	-18.0 (-32.3)	17.6 (48.0)	-18.1 (-32.1)
Slope-events	8.1 (31.7)	-6.3 (-18.6)	9.6 (28.6)	-4.7 (-16.6)	10.6 (28.5)	-4.1 (-15.9)
p/V-events	8.1 (21.2)	-2.5 (-2.7)	8.5 (20.8)	-0.3 (1.2)	9.1 (23.3)	0.7 (3.1)
p/V-Lmomms	12.3 (23.0)	-5.7 (-3.9)	12.7 (22.1)	-5.8 (-3.0)	13.0 (22.9)	-5.8 (-2.6)
p/V-params	12.5 (23.5)	-6.2 (-4.7)	13.4 (23.8)	-7.3 (-5.7)	14.0 (25.3)	-7.9 (-6.6)

### 4.3 Uncertainty Analysis

The results of the resampling procedure used to assess uncertainty the IPF estimates are exemplary shown in Figure 11 for the 100-year flood (HQ100) at a single site with a reduced number of 100 realisations. In panel (a), the IPF and MDF estimates for each temporal resampling of the annual maximum series are plotted against each other (respectively IPF-bs and MDF-bs). This shows the bandwidths of both the IPF and MDF estimates as a result of sample and parameter uncertainty. Figure 11 (b) shows the resampled IPF flood quantiles (IPF-bs) vs. the quantiles estimated using the p/V-Lmomms model by considering different sources of uncertainty; p/V-bs illustrates the uncertainty only due to the fitting of the p/V-Lmomms model, p/V-full



indicates the sample and parameter uncertainty (MDF-bs) propagated through the p/V-Lmoms model, and p/V-bs-bs combines the sample and parameter uncertainty (MDF-bs) with the p/V-Lmoms model uncertainty (p/V-bs) to tackle the total uncertainty. In this example, it becomes obvious that uncertainty from the p/V model (p/V-bs) is significantly smaller than the sample and parameter uncertainty (MDF-bs or even IPF-bs). This is valid for the majority of sites and is hardly affected from the number of realisations.

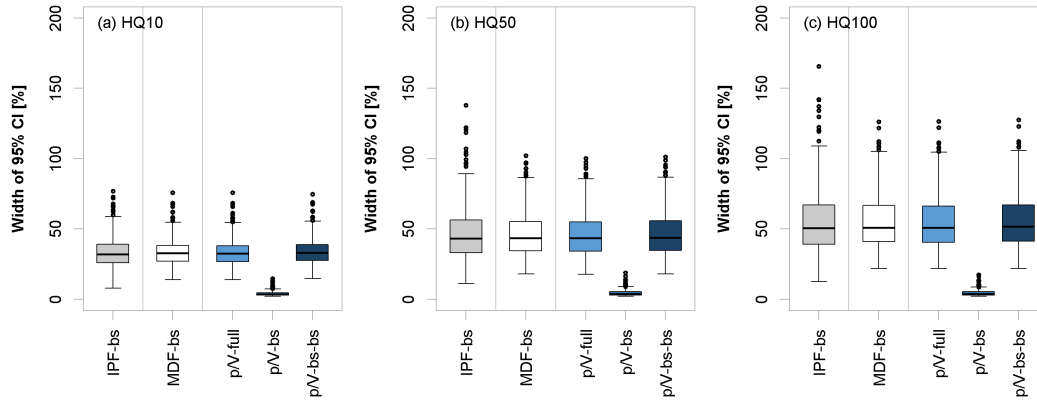


**Figure 11.** Example of uncertainty ranges with 100 realisations at a single site: (a) HQ100 from IPF-bs vs. MDF-bs illustrating the sample and parameter uncertainty, (b) HQ100 from IPF<sub>bs</sub> vs. estimated IPF where p/V-bs illustrates the p/V-Lmoms model uncertainty (shown as dark blue points), p/V-full illustrates the propagation of sample and parameter uncertainty through the p/V-Lmoms model, and the p/V-bs-bs illustrate the total uncertainty that combines both sample and parameter uncertainty with the p/V-Lmoms model uncertainty.

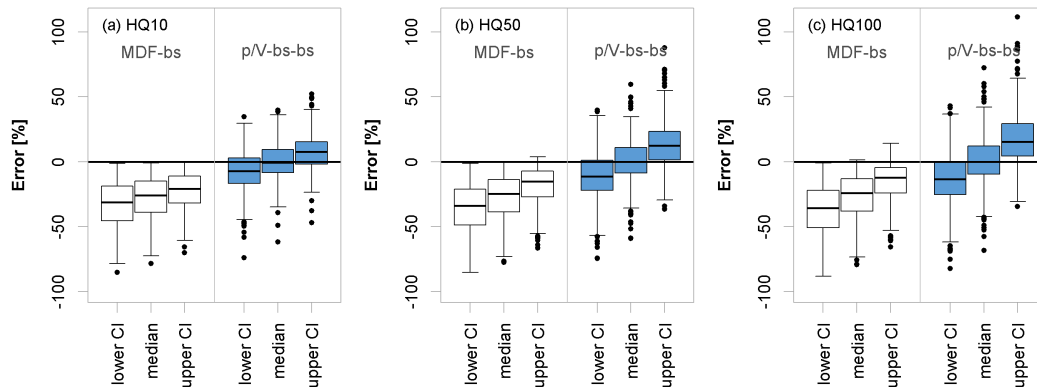
Figure 12 shows the relative widths of the 95% confidence intervals for all types of uncertainty estimated. The average widths of the IPF-bs, MDF-bs and p/V-full seem to be similar with each other, where the IPF sample and parameter uncertainty shows a larger variability. The width of the average range of the p/V-Lmoms model uncertainty (p/V-bs) is very small at all sites and therefore contributes little to the overall level of uncertainty (p/V-bs-bs). Thus the overall uncertainty of the p/V-Lmoms model is mainly influenced by the sample and parameter uncertainty of the original MDF series.

In order to assess the full range of the errors in the p/V-Lmoms model estimates, they are compared to the range of errors in the MDF estimates. Here the errors for the uncertainty both in MDF (MDF-bs) and p/V-Lmoms (p/V-bs-bs) estimates are computed according to Eqn. 11. Figure 13 shows the median deviations of the MDF-bs and p/V-bs-bs quantiles from the respective IPF-bs quantiles, as well as the lower and upper limits of the 95% confidence intervals of the errors for the 10-, 50- and 100-year flood quantiles. The median errors from p/V-bs-bs are very similar over the three quantiles, but the higher quantiles HQ100 exhibits higher outliers. This is in agreement with the performance of the p/V-Lmoms model illustrated in Figure 9. This means that the median errors obtained over the 1,000,000 realizations are very similar with the actual model errors at each site. Moreover, it is obvious that the overall uncertainty gets larger with increasing return period, as can be seen by the increasing distance between lower and upper confidence limits. The p/V-Lmoms estimates appear to be slightly positively skewed, which is especially

noticeable in the 95% confidence interval for the HQ100. At many sites there is a significant overestimation of the true IPF quantile when combining sample and parameter uncertainty with p/V-Lmoms model uncertainty. The MDF estimates on the other hand exhibit the expected persistent underestimation.

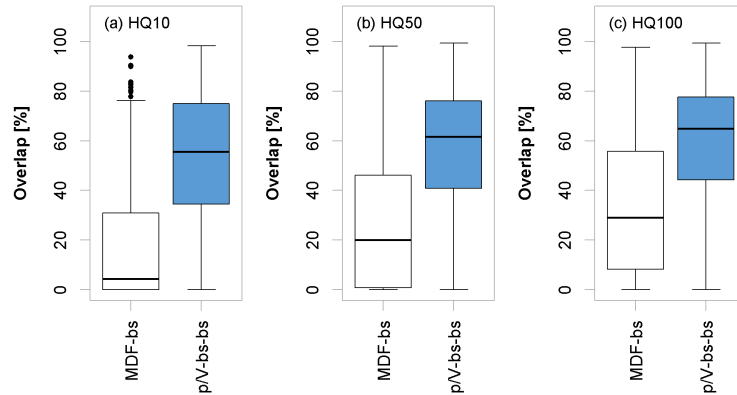


**Figure 12.** Relative widths of the 95% confidence interval (as per Eqn. 10) of various uncertainty types for different flood quantiles, where: IPF-bs and MDF-bs show the sample and parameter uncertainty of the original series, p/V-full shows the sample and parameter uncertainty propagated through the p/V-Lmoms model, p/V-bs shows only the uncertainty of the p/V-Lmoms model and p/V-bs-bs shows the total uncertainty that combines both sample and parameter uncertainty with the p/V-Lmoms model uncertainty. The boxplots here are obtained for validation sites with more than 30 years of observations.



**Figure 13.** Error distribution obtained as per Eqn. 11 for three flood quantiles left) from considering the sample and parameter uncertainty of the mean daily flow (MDF) series (MDF-bs) and right) total uncertainty of the p/V-Lmoms model (p/V-bs-bs). Shown are the median errors, as well as the lower and upper limits of the 95% confidence intervals obtained at the validation sites with more than 30 years of observations.

480 Figure 14 summarizes the general overlap of the confidence intervals of MDF and estimated IPF with the confidence intervals of the observed IPF for the three flood quantiles (as per Eqn. 12). It becomes obvious that the agreement between IPF and the  $p/V$ -Lmoms model estimates is significantly larger than with the MDF values. This observation suggests that with high probability the  $p/V$ -Lmoms model estimates are in the range of the “true” IPF quantiles. The fact that overlaps in both the MDF and the models increase with increasing return period suggests again the overall level of uncertainty in the higher IPF quantiles due to sample and parameter uncertainty.



**Figure 14.** Percentage overlap for the three flood quantiles as per Eqn. 12 computed from the 95% confidence intervals of mean daily flow (MDF) sample and parameter uncertainty (MDF-bs) and  $p/V$ -Lmoms total uncertainty (p/V-bs-bs). The boxplots are obtained by considering validation sites with more than 30 years of observations.

485

#### 4.4 Range of applications and limitations

The method of correcting the error of MDF floods using the  $p/V$  ratio performs well and is easily applicable in our study area. However, its great simplification and mere approximation of physical flood generating processes results in some problems and limitations that will be listed and discussed here.

490 The first aspect that may influence the performance of the proposed IPF correction method is the event separation technique. The chosen technique determines how flood events and thus the required hydrograph characteristics are defined. The choice of baseflow separating algorithm can greatly affect the identification of start and end points of flood events. Strict independence criteria and thresholds for event recognition may lead to rejection of crucial flood events when considering daily time series. Lax criteria, on the other hand, may create unnaturally long multi-peak events and false inclusion of small events, both leading to unrealistic hydrograph characteristics and IPF estimates. Thus, the additional step of refining multiple peak events, as suggested by Tarasova et al. (2018) should be carried out, when rainfall and snowmelt information is available. In their study, the refinement led to a reduction of multi-peak events from more than 50% to 44.7% of all identified events. In this study, the ratio of multi-peak to single-peak events is 57.9% for the year, 58.2% for summer and 58.4% for winter.

Using the  $p/V_{\text{event}}$  in order to correct individual events and then using the corrected series for FFA poses in theory a more sensible approach than using the  $p/V_{\text{mean}}$  from the annual MDF maxima. As mentioned before, maximum MDF events do not necessarily coincide with maximum IPF events, which is why correcting all events first and then selecting the annual maxima should yield a more appropriate IPF sample. But again, correcting individual events depends greatly on a very careful event separation, which could not be achieved in this case and which led to some unrealistic IPF estimates. Nonetheless, if a proper event separation is possible, the event correction method may have the larger potential. In such a case, a single model would be sufficient to account for all aspects of IPF estimation, including high flood quantiles.

A problem for IPF correction, which has been exhaustively discussed above, are gauges that exhibit little difference between MDF and IPF floods, even though their  $p/V$  ratio would suggest a much larger error. For our catchments this applies to the lowest-altitude gauges in the dataset. The MDFs at these sites are over-corrected and thus exhibit severe overestimation of the true IPFs. We therefore discourage the application of the suggested correction methods at catchment outlets situated below 100 m a.s.l.

This observation may also suggest that other factors need to be considered for proper error estimation or that the parameters of the correction models need to be adjusted for different subsets of data. This is also relevant for the question of universality of the proposed method. Our data set is limited and representative of a temperate humid climate and moderate altitude. Thus, a qualitative sensitivity analysis is carried out on the full 648-sites dataset in order to identify patterns that may be extrapolatable to other regions. The subsets are selected by combinations of geographical location, catchment size and gauge elevation. Target variable is the mean annual maximum IPF. Differences in the individual models due to different degrees of freedom are natural, which is why only those subsets that lead to significant deviations from the original model are mentioned here.

Two sets of sites deviate noticeably from the original model. The first one includes the low-altitude gauges discussed before. Here the overall error is so small that no correction yields better results than correction by the  $p/V$  approach. The second group includes the catchments with areas below 50 km<sup>2</sup>. The errors for these sites appear very scattered and randomly distributed. Comparing the  $p/V$  from the daily series with the  $p/V$  obtained from instantaneous events, it becomes obvious that the difference increases with decreasing catchment size and becomes excessively large and random for catchment sizes below 100 km<sup>2</sup>. The correction using mean daily  $p/V$  only functions where unknown instantaneous flood dynamics are roughly approximated by observed daily flow variability. The smaller the temporal scale of an instantaneous flood event, the poorer it is reproduced in the daily records. If instantaneous events manifest themselves primarily on a sub-daily basis, the possibility to describe their dynamics via daily flows becomes ineligible. This observation is also in accordance with the observed temporal shifts between MDF and IPF events, which is increasingly pronounced in smaller catchments. In summary, the proposed correction method founders at smaller scales below 100 km<sup>2</sup>. Even though the IPF estimation leads to a general improvement at this scale, the daily flood time scale poses a poor predictor in these catchments.

Longitude and latitude do not appear to have any effect on the model fitting. Dividing the study area into quadrants does not result in any differences between the subsets, even when considering similar catchment size and elevation. Also, neither record length nor period of record appear to have an influence.

The distinction between summer and winter for representation of the two most opposite flood types is particularly valid for

535 this study area and should be adjusted where flood types are otherwise distributed. In general, even the rough distinction  
between different flood types for IPF estimation proved meaningful in our case, as it revealed different dynamics and MDF-  
IPF relationships. This observation could be further exploited by more carefully defining and distinguishing flood types, as e.g.  
proposed by Fischer (2018) or Tarasova et al. (2018).

540 Finally, one should note that the type of distribution for flood quantile estimation can only be selected based on daily data and  
may differ from the optimal IPF distribution. For our data, the GEV proved flexible enough to be a good match in both MDF  
and IPF but this could differ in other cases.

## 5 Conclusions and outlook

As in other studies before, it could be shown that the IPF-MDF relationship depends primarily on catchment size. It could also  
be observed that other factors, in this case gauge elevation, play a role in determining the difference between MDF and IPF  
floods. The relationship also appeared to differ between the two types of floods considered here, namely winter and summer  
545 floods. Since summer floods are often caused by short but intense rain events and thus exhibit steep rising and falling limbs,  
their sub-daily peaks are much larger than and difficult to estimate from the smoothed average daily peaks. Long, voluminous  
winter floods on the other hand show a much smaller IPF-MDF ratio and are easier to model.

This study has also shown that hydrograph characteristics, like the peak-volume ratio of flood events can be used to estimate  
instantaneous peak flows when only average daily series are available. The  $p/V$  ratio may be used to predict both IPFs of indi-  
550 vidual events and instantaneous flood statistics, including mean annual and seasonal maximum flows and flood quantiles. Due  
to improper flood event separation, the event-correction method produced some outliers in our case but may work significantly  
better when flood events can be defined more carefully. In general, the  $p/V$ -method requires a minimum of data and can be  
applied using mere information from the daily series itself. The performance could be marginally improved by including gauge  
elevation as additional predictor in some of the models.

555 The general recommendation for estimating IPF flood quantiles is to use the average  $p/V$  approach for correction of L-moments.  
This method is convenient since L-moments can be globally corrected while distributions may be locally fitted afterwards. It  
turned out that the first two L-moments are easily estimated using  $p/V_{\text{mean}}$ , while higher order L-moments or L-moment ratios  
are more difficult to model with this approach.

There are two limitations, where the proposed method should be handled with care: a) at sites with elevations below 100 m,  
560 since it overestimates the true difference between IPF and MDF and b) at catchments smaller than 100 km<sup>2</sup>, where it un-  
derestimates the error so that the full correction potential cannot be achieved. Still, in comparison to the slope method, the  
 $p/V$ -approach works significantly better for smaller catchment areas, especially below 500 km<sup>2</sup>. For larger catchments, the  
slope method appears very robust for all catchment sizes and elevations. The  $p/V$ -methods perform better in many larger catch-  
ments but outliers may be produced where the above-named restrictions are met. For future analyses it will be meaningful to  
565 test the universality of the proposed approach in other study regions. Also, the effect of the flood event separation on the IPF  
estimation performance should be analyzed in more detail, especially in order to improve the event correction technique. Fi-

nally, it will be interesting to see if explicit consideration of more carefully defined flood types can improve the IFP estimation in mixed models.

570 *Code availability.* All R Codes can be provided by the corresponding authors upon request.

*Data availability.* The discharge data used in this study is publicly available on the websites of the respective federal agencies.

Lower Saxony: Niedersächsischer Landesbetrieb für Wasserwirtschaft, Küsten- und Naturschutz (NLWKN) <http://www.wasserdaten.niedersachsen.de/cadanza/>

Saxony-Anhalt: Landesbetrieb für Hochwasserschutz und Wasserwirtschaft Sachsen-Anhalt (LHW) <https://gld-sa.dhi-wasy.de/GLD-Portal/>

575 Saxony: Sächsisches Landesamt für Umwelt, Landwirtschaft und Geologie (LFULG) <https://www.umwelt.sachsen.de/umwelt/infosysteme/ida/>

Bavaria: Bayerisches Landesamt für Umwelt (LfU) <https://www.gkd.bayern.de/de/>

Baden-Württemberg: Landesanstalt für Umwelt Baden Württemberg (LUBW) <https://udo.lubw.baden-wuerttemberg.de/public/>

*Author contributions.* UH formulated the research goal. The study was designed by AB and UH and carried out by AB. AB and BS prepared  
580 the manuscript with contributions of UH.

*Competing interests.* The authors declare that they have no conflict of interest.

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