



- Easy-to-use spatial Random Forest-based downscaling-calibration method for
- 2 producing high resolution and accurate precipitation data
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- 9 Abstract

10 High resolution and accurate precipitation data is significantly important for numerous hydrological applications. To enhance the spatial resolution and accuracy of 11 12 satellite-based precipitation products, an easy-to-use downscaling-calibration method based on spatial Random Forest (SRF) is proposed in this paper, where the spatial 13 autocorrelation between precipitation measurements is taken into account. The 14 proposed method consists of two main stages. Firstly, the satellite-based precipitation 15 16 was downscaled by SRF with the incorporation of some high-resolution covariates including latitude, longitude, DEM, NDVI, terrain slope, aspect, relief, and land 17 surface temperatures. Then, the downscaled precipitation was calibrated by SRF with 18 rain gauge observations and the aforementioned high-resolution variables. The 19 20 monthly Integrated MultisatellitE Retrievals for Global Precipitation Measurement (IMERG) located in Sichuan province, China from 2015 to 2019 was processed using 21 our method and its results were compared with those of some classical methods 22





including geographically weighted regression (GWR), artificial neural network 23 (ANN), random forest (RF), kriging interpolation only on gauge measurements, 24 bilinear interpolation-based downscaling and then SRF-based calibration (Bi-SRF), 25 and SRF-based downscaling and then geographical difference analysis (GDA)-based 26 27 calibration (SRF-GDA). Results show that: (1) the proposed method outperforms the other methods as well as the original IMERG; (2) the monthly-based SRF estimation 28 29 is slightly more accurate than the annual-based SRF fraction disaggregation method; 30 (3) SRF-based downscaling and calibration preforms better than bilinear downscaling (Bi-SRF) and GDA-based calibration (SRF-GDA); (4) kriging seems more accurate 31 32 than GWR and ANN in terms of quantitative accuracy measures, whereas its precipitation map cannot capture the detailed spatial precipitation patterns; and (5) 33 34 among the predictors for calibration, the precipitation interpolated by kriging on the gauge measurements is the most important variable, indicating the significance for the 35 inclusion of spatial autocorrelation information in gauge measurements. 36

## 1. Introduction

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Precipitation is an important variable for promoting our understanding of 39 hydrological cycle and water resource management (Chen et al., 2010). Previous 40 studies showed that about 70-80% of hydrological modeling errors were caused by precipitation data uncertainties (Gebregiorgis and Hossain, 2013). However, precipitation is also the most difficult meteorological factor to estimate due to its high 43

Keywords: IMERG; Downscaling; Calibration; Machine learning; Interpolation





spatial and temporal heterogeneity (Beck et al., 2019). Although rain gauge 44 observations are reliable and accurate, it is difficult to reflect the spatial precipitation 45 pattern with the sparse and uneven distribution and limited coverage, especially in 46 remote and mountainous areas (Ullah et al., 2020). 47 48 During the past decades, plenty of satellite-based precipitation datasets have been produced at regional, quasi-global and fully global scales, such as the Climate 49 50 Hazards Group Infrared Precipitation with Station data (CHIRPS, 0.05°) (Funk et al., 2015), the Precipitation Estimation from Remotely Sensed Information using 51 Artificial Neural Networks-Climate Data Record (PERSIANN-CDR, 0.25°) (Ashouri 52 et al., 2015), the Climate Prediction Center (CPC) morphing technique (CMORPH, 53 0.25°) (Haile et al., 2013), the Multi-Source Weighted-Ensemble Precipitation 54 55 (MSWEP, 0.1°) (Beck et al., 2017), the Tropical Rainfall Measuring Mission (TRMM) Multi-satellite Precipitation Analysis (TMPA, 0.25°) (Huffman et al., 2007) and the 56 Integrated MultisatellitE Retrievals for Global Precipitation Measurement (GPM) 57 mission (IMERG, 0.1°) (Hou et al., 2014). Nevertheless, these products are 58 59 characterized by considerable systematic biases due to the shortcomings of retrieval algorithms, sensor capability and spatiotemporal collection frequency (Chen et al., 60 2018; Wu et al., 2018; Yang et al., 2017). Moreover, their resolutions (from 0.05° to 61 2.5°) are too coarse to describe meso- and micro-scale precipitation patterns for 62 63 hydrological studies at local and basin scales (Immerzeel et al., 2009). Hence, downscaling and calibration with the intention of improving the resolution and quality 64 of satellite-based precipitation datasets has become an essential step prior to various 65





66 hydrological applications at local scales (Bhuiyan et al., 2018).

Downscaling provides an effective way to derive high resolution precipitation 67 products, which is generally achieved by constructing the relationship between 68 precipitation and environmental variables at a coarse scale, and then putting the 69 70 high-resolution variables into the constructed model to downscale the precipitation data from the coarse resolution to the fine (Chen et al., 2010; Immerzeel et al., 2009). 71 72 At present, many downscaling models have been proposed. For example, Immerzeel 73 et al. (2009) employed an exponential regression (ER) to describe the relationship 74 between Tropical Rainfall Measuring Mission (TRMM) and Normalized Difference Vegetation Index (NDVI). Jia et al. (2011) used a multiple linear regression model 75 (MLR) to establish the relationship between TRMM, digital elevation model (DEM) 76 77 and NDVI. Duan and Bastiaanssen (2013) proposed a downscaling model based on the second-order polynomial relationship between TRMM and NDVI. Considering 78 the heterogeneous relationship between precipitation and the land surface variables 79 across the study areas, geographically weighted regression (GWR) was commonly 80 adopted (Chen et al., 2015; Chen et al., 2014; Chen et al., 2020c; Li et al., 2019; Lu et 81 al., 2020; Xu et al., 2015), and showed more accurate results than ER and MLR. In 82 the recent decade, some data-driven machine learning (ML) methods such as random 83 forests (RF) (Shi et al., 2015; Zhang et al., 2021), support vector machine (SVM) 84 (Chen et al., 2010; Jing et al., 2016) and artificial neural network (ANN) (Elnashar et 85 al., 2020) were employed to capture the complex nonlinear relationship between 86 precipitation and the predictors. However, the downscaled precipitation products 87





inevitably contain large systematic biases.

89 To alleviate the inherent biases, many calibration methods have been proposed for merging gauge observations and satellite-based precipitation to improve the accuracy 90 and spatial coverage of precipitation, such as nonparametric kernel smoothing method 91 92 (Li and Shao, 2010), geographical difference analysis (GDA) (Cheema and Bastiaanssen, 2012), geographical ratio analysis (GRA) (Duan and Bastiaanssen, 93 94 2013), conditional merging (CM) (Berndt et al., 2014), quantile mapping (Chen et al., 95 2013; Zhang and Tang, 2015), optimal interpolation (Lu et al., 2020; Wu et al., 2018; Xie and Xiong, 2011), GWR (Chao et al., 2018; Chen et al., 2018; Lu et al., 2019) and 96 geostatistical interpolation (Park et al., 2017). However, these methods are based on 97 some strict assumptions which might not be satisfied in practice (Wu et al., 2020; 98 99 Zhang et al., 2021). Moreover, the precipitation-related environmental variables were not taken into account. To this end, ML-based calibration methods have become 100 popular, such as Quantile Regression Forests (QRF) (Bhuiyan et al., 2018), ANN 101 (Pham et al., 2020; Yang and Luo, 2014), deep neural network (Tao et al., 2016), RF 102 103 (Baez-Villanueva et al., 2020), convolutional neural network (CNN) (Wu et al., 2020), SVM and extreme learning machine (Zhang et al., 2021). In contrast, RF with 104 excellent results has been widely adopted in plenty of studies (Baez-Villanueva et al., 105 2020; Bhuiyan et al., 2020). 106 107 In the context of downscaling and calibration of precipitation data, the merits of the ML-based methods include (Hengl et al., 2018; Zhang et al., 2021): (i) they require no 108 strict statistical assumptions; (ii) they can capture complex nonlinear relationship 109

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between precipitation and the environmental variables; (iii) they can include various types of predictors, without suffering from the collinearity problem and (iv) they are generally more accurate than the classical regression methods. However, there are at least two limitations: (i) the ML algorithms were simply taken as a statistical tool without considering the spatial autocorrelation between precipitation measurements; and (ii) the ML algorithms were adopted in either downscaling or calibration, without being used in both downscaling and calibration. More specifically, some (Jing et al., 2016; Karbalaye Ghorbanpour et al., 2021; Yan et al., 2021) attempted to use the ML methods for downscaling and then use the classical method (e.g. GDA and cokriging) for calibration, while some (Zhang et al., 2021) employed the classical interpolation methods (e.g. bilinear interpolation and kriging) for downscaling and then used the ML methods for calibration. However, we regard that the use of ML methods in both of downscaling and calibration could further improve the accuracy of precipitation, since the high resolution environmental variables with valuable information can be fully used in the two stages. To the best of our knowledge, no previous studies have used the ML technique in both downscaling and calibration with the consideration of high resolution environmental variables, simultaneously. Based on aforementioned discussion, the objectives of this study are twofold: (i) to develop an easy-to-use spatial RF (SRF) by taking into account the spatial autocorrelation between adjacent gauge measurements, and (ii) to propose a downscaling-calibration method based on SRF for producing high resolution and accurate precipitation data. The use of RF as the basic model in our study is mainly





due to its high interpolation accuracy and low computational cost (Belgiu et al., 2016;

Mohsenzadeh Karimi et al., 2020).

Overall, the proposed method consists of two main steps. First, the precipitation data is downscaled by SRF with the incorporation of some environmental variables including DEM, NDVI, land surface temperatures (LSTs), terrain parameters, latitude and longitude as recommended in previous studies (Jing et al., 2016; Li et al., 2019). Second, SRF and the environmental variables were further used for merging the downscaled precipitation data and gauge observations to boost the accuracy of the precipitation data. The merit of the proposed method is that a new spatial RF is developed for both downscaling and calibration of precipitation products, with the incorporation of high-resolution environmental variables.

## 2 Study area and dataset

### 2.1. Study area

Sichuan province between 97°21'-108°31'E and 26°03'-34°19'N was selected as the study area (Fig. 1). It is situated between the Qinghai-Tibet Plateau and the Plain of the Middle-and-lower Reaches of Yangtze River, with an area of 486,000 km². Sichuan province has a complex and varied topography consisting of mountains, hills, plain basins and plateaus with the elevation ranging from approximately 180 m in the east to 7100 m in the west. Due to the different topographies in the west and east, the climate has a significant difference. The east basin has subtropical monsoon climate. The weather is generally warm, humid and foggy with much cloud, fog and rain but

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less sunshine. Most rain gathers from July to September, accounting for 80% of total annual precipitation. While in the west plateau, the weather is relatively cool or cold. The climate is featured by a long cold winter, a very short summer and rich sunshine but less rainfall. Thus, annual precipitation shows significant spatial heterogeneity, varying from about 400 mm in the west to 1800 mm in the east and with the average annual precipitation of about 1000 mm. Overall, the high spatial and temporal variability of precipitation with the complex topography makes the study site ideally suitable for the evaluation of satellite-based precipitation estimates.

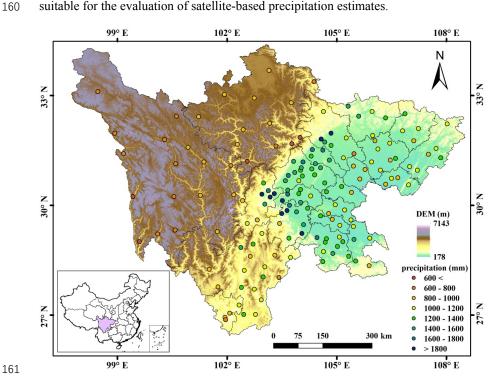


Fig. 1 Topography, distribution of rain gauges and geographic location of Sichuan

province in China 163

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2.2.1. Rain gauge observations

166 The study region has 156 rain gauge stations, which shows an unevenly distribution with high density in the east and low density in the west (Fig. 1). On average, the 167 cover area of one rain gauge observation is about 3115 km<sup>2</sup>. Daily precipitation data 168 169 from all the stations for the period 2015-2019 were collected from the China Meteorological Data Service Center (CMDSC, http://data.cma.cn/). The data quality 170 171 was guaranteed based on some strict quality controls, such as manual inspection, 172 outlier check and spatiotemporal consistency verification (Zhao and Yatagai, 2014). 173 After that, the monthly precipitation was produced by aggregating the daily precipitation of rain gauges for each month. 174 2.2.2. Integrated MultisatellitE Retrievals for Global Precipitation Measurement 175 176 (IMERG) As the successor of TRMM, the National Aeronautics and Space Administration 177 (NASA) and the Japan Aerospace Exploration Agency (JAXA) initiated the 178 next-generation global precipitation observation mission (Hou et al., 2014). The 179 IMERG products were produced by assimilating all microwave and infrared (IR) 180 estimates, together with gauge observations (Huffman et al., 2019). It has the spatial 181 resolution of 0.1° × 0.1° with the coverage from 60°S-60°N. IMERG provides three 182 different products including Early, Late, and Final Runs, which were computed about 183 184 4 hours, 14 hours, and 3.5 months after observation time, respectively. Due to the incorporation of the Global Precipitation Climatology Centre (GPCC) rain gauge data, 185 IMERG Final Run is more accurate than the others (Lu et al., 2019). Thus, the 186

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monthly IMERG V06B Final Run product was adopted in the study. It was downloaded from <a href="https://gpm.nasa.gov/data">https://gpm.nasa.gov/data</a>.

The mean monthly precipitations based on all rain gauges and IMERG during 2015-2019 are shown in Fig. 2. Obviously, IMERG has an overestimation in most months and the wettest month is July 2018.

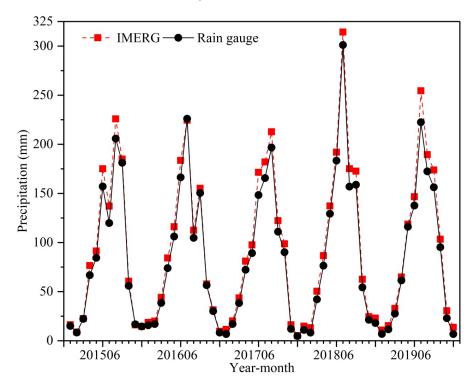


Fig. 2 Mean monthly precipitation based on rain gauges and IMERG from 2015-2019

194 over Sichuan province

## 2.2.3. Environmental variables

The Moderate Resolution Imaging Spectroradiometer (MODIS) onboard the NASA's Terra and Aqua platforms provides plenty of products in global dynamics, oceans and land processes. The MODIS monthly NDVI with the resolution of 1 km

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199 (MOD13A3) from 2015 to 2019 was used in the study and downloaded from International Scientific and Technical Data Mirror Site, Computer Network 200 Information Center of the Chinese Academy of Sciences (http://www.gscloud.cn/). 201 MODIS 8-day LST with the resolution of 1 km (MOD11A2) from 2015 to 2019 was 202 203 obtained from https://ladsweb.modaps.eosdis.nasa.gov and then temporally averaged into the monthly LST products. In the study, the daytime LST (LST<sub>D</sub>), nighttime LST 204 205 (LST<sub>N</sub>) and the difference between daytime and nighttime LSTs (LST<sub>D-N</sub>) at the 206 monthly scale were used. The Shuttle Radar Topography Mission (SRTM) cooperated by the National 207 Geospatial Intelligence Agency (NGA) and the National Aeronautics and Space 208 Administration (NASA) provides high resolution DEMs. The SRTM DEM with the 209 210 spatial resolution of 90 m was downloaded from http://srtm.csi.cgiar.org/ and then resampled to 1 km by the pixel averaging method. Moreover, topographical factors 211 including slope, aspect and terrain relief (Chen et al., 2020a) were extracted from the 212 SRTM DEM in ArcGIS 10.3. 213

The detailed information of the datasets used in the study is shown in Table 1.

Table 1 Datasets used in the study

Data Type	Product	Spatial	Temporal	Source		
	Product	resolution	resolution	Source		
Married	GPM IMERG	10 km	Monthly	https://gpm.nasa.gov/data.		
Meteorological -	Rain gauge		ъ. "	http://data.cma.cn/		
	observations	-	Daily			
Land surface SRTM DEM		30 m	-	http://srtm.csi.cgiar.org/		





data	slope, aspect,	30 m		David from CDTM DEM		
	terrain relief	30 m	-	Derived from SRTM DEM		
	NDVI	1 km	Monthly	http://www.gscloud.cn/		
	LST	1 km	8-days	https://ladsweb.modaps.eosdis.nasa.gov		

# 3. Methodology

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217 The flowchart of our method is demonstrated in Fig. 3, which includes three main 218 stages: (i) data processing; (ii) IMERG downscaling and (iii) downscaled IMERG 219 calibration. It is noted that downscaling before calibration is to avoid scale mismatch 220 between satellite-based areal precipitation and gauge-based point measurements.





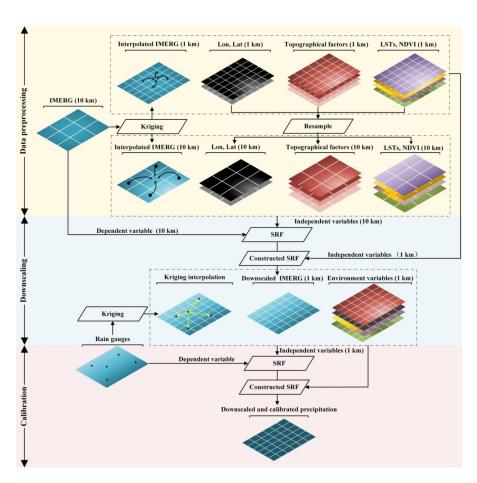


Fig. 3 Flowchart of the proposed method

# 3.1. Random Forest

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RF is an ensemble of several tree predictors such that each tree relies on a random and independent selection of features but with the same distribution (Breiman, 2001). Specifically, each decision tree is constructed by randomly collecting some training data with replacement while the other is used to assess the tree (sample bagging). Moreover, while constructing each tree, only a random subset of features is selected at each decision node (feature bagging). In the end, the majority vote for classification





or the average prediction of all trees for regression is used to obtain the final output. Meanwhile, RF can evaluate the relative importance of the predictors by means of out-of-bag (OOB) observations. With the OOB error, the importance of each variable can be ranked. Many benchmarking researches have proven that RF is one promising ML technique currently available (Hengl et al., 2018). The general framework of RF is shown in Fig. 4.

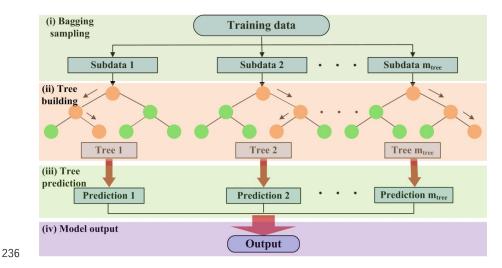


Fig. 4 General framework of RF

# 3.2. Spatial Random Forest (SRF)

In essence, the classical RF is a non-spatial statistical technique for spatial prediction since it neglects sampling locations and general sampling pattern (Hengl et al., 2018). This can potentially cause sub-optimal estimations, especially when the spatial autocorrelation between dependent variables is high. To this end, a spatial RF is proposed in this paper. The general formulation of SRF is as follows:





$$\hat{p}(\mathbf{s}_0) = f(\mathbf{X}_s, \mathbf{X}_{ns}) + e$$

- where  $\hat{p}$  is the estimated precipitation at the location  $s_0$ , e is the fitting residual, and  $X_s$
- and  $X_{ns}$  are the spatial and non-spatial covariates, respectively.
- In addition to spatial coordinates, one spatial covariate  $(X_s)$  is estimated to account
- for the spatial autocorrelation between neighboring precipitation measurements, i.e.

$$X_{s}\left(\mathbf{s}_{0}\right) = \sum_{i=1}^{n} w_{i} z\left(\mathbf{s}_{i}\right)$$

- where  $z(s_i)$  is the *i*th neighboring precipitation data of the unknown point  $s_0$ ,  $w_i$  is its
- weight and n is the number of known data used for the estimation.
- In previous studies (Li et al., 2017; Zhang et al., 2021), the inverse distance weights
- 253 (IDW) were commonly used. However, the IDW method only resorts to the spatial
- distance between the estimated point and the adjacent known points, and does not
- 255 consider the spatial autocorrelation between the known points. To overcome this
- 256 limitation, the ordinary kriging-based variogram is adopted to estimate the
- 257 interpolation weights, which are obtained by solving the following linear system:

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$$\begin{pmatrix} \gamma(\boldsymbol{x}_{1}-\boldsymbol{x}_{1}) & \cdots & \gamma(\boldsymbol{x}_{1}-\boldsymbol{x}_{n}) & 1 \\ \vdots & \ddots & \vdots & \vdots \\ \gamma(\boldsymbol{x}_{n}-\boldsymbol{x}_{1}) & \cdots & \gamma(\boldsymbol{x}_{n}-\boldsymbol{x}_{n}) & 1 \\ 1 & \cdots & 1 & 0 \end{pmatrix} \begin{pmatrix} w_{1} \\ \vdots \\ w_{n} \\ \mu \end{pmatrix} = \begin{pmatrix} \gamma(\boldsymbol{x}_{1}-\boldsymbol{x}_{0}) \\ \vdots \\ \gamma(\boldsymbol{x}_{n}-\boldsymbol{x}_{0}) \\ 1 \end{pmatrix}$$

- where  $\mu$  is Lagrange parameter and  $\gamma(\cdot)$  is the semivariogram.
- 260 It can be concluded that the variogram-based weights consider the spatial
- autocorrelation not only between the adjacent known points but also between the
- 262 known points and the interpolated point (Berndt and Haberlandt, 2018). Thus, it
- 263 seems more accurate than IDW. In practice, the experimental semivariogram is





estimated from sample data with the following equation (Goovaerts, 2000):

$$\hat{\gamma}(h) = \frac{1}{2n} \sum_{i=1}^{n} \left( z(\mathbf{x}_i) - z(\mathbf{x}_i + h) \right)^2$$

where n is the number of data pairs with the attribute z separated by distance h.

Generally, a theoretical semivariogram model was fitted to the experimental values to obtain the semivariogram at any h. There are four commonly used theoretical semivariogram models: the spherical, Gaussian, exponential, and power models. In our study, the spherical model was used since it shows better results than the others in the experiments.

### 3.3. Working procedure of the proposed method

The detailed steps of the proposed method are as follows (Fig. 3):

(1) Each pixel value of the 10 km IMERG was re-estimated by ordinary kriging interpolation with its k nearest neighbors (e.g. k=8) to obtain the interpolated IMERG (termed as  $I_s^{10 \, \mathrm{km}}$ ), the 10 km IMERG was interpolated by kriging to obtain the interpolated 1 km IMERG ( $I_s^{1 \, \mathrm{km}}$ ), and the gauge observations are interpolated by kriging to produce the 1 km precipitation map ( $P_s^{1 \, \mathrm{km}}$ ). It is noted that the semivariogram model cannot be accurately estimated from the sparse gauge measurements. Hence, it is difficult to accurately show the spatial autocorrelation between the precipitation estimates. Motivated by the idea of Chen et al. (2020c) that the satellite-based precipitation can show the spatial distribution of precipitation, we used the satellite-based precipitation to estimate the experimental semivariogram for interpolating gauge measurements.





- 285 (2) The negative NDVI values were excluded from the original data, which mainly
- belong to snow and water bodies in the study site. The removed ones were
- estimated by kriging with their neighbors, which can avoid much information loss.
- 288 (3) The 1 km environmental variables  $X_{ns}^{1\text{km}}$  (i.e. NDVI, LST<sub>D</sub>, LST<sub>N</sub>, LST<sub>D-N</sub>, DEM,
- slope, aspect, terrain relief, latitude and longitude) were resampled to the 10 km
- resolution  $X_{ns}^{10\text{km}}$  by the pixel averaging method.
- 291 (4) The relationship between  $X_{ns}^{10\text{km}}$ ,  $I_s^{10\text{km}}$  and the 10 km IMERG (IMERG<sup>10km</sup>)
- 292 was constructed by SRF:

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$$IMERG^{10\text{km}}\left(\mathbf{s}_{0}\right) = f_{\text{downscale}}\left(I_{s}^{10\text{km}}\left(\mathbf{s}_{0}\right), \mathbf{X}_{ns}^{10\text{km}}\left(\mathbf{s}_{0}\right)\right) + e^{10\text{km}}\left(\mathbf{s}_{0}\right)$$

- where e is the fitting residual.
- 295 (5) The IMERG was downscaled to 1 km ( $\hat{D}^{1km}$ ) by the constructed relationship in
- step (4) with  $X_{ns}^{1km}$  and  $I_s^{1km}$ :

$$\hat{D}^{1\mathrm{km}} = f_{\mathrm{downscale}} \left( I_s^{1\mathrm{km}}, X_{ns}^{1\mathrm{km}} \right)$$

- 298 (6) The relationship between the 1 km predictors and the gauge observations (G) are
- constructed by SRF:

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$$G\left(\mathbf{s}_{0}\right) = f_{\text{calibrate}}\left(P_{s}^{1\text{km}}\left(\mathbf{s}_{0}\right), \hat{D}^{1\text{km}}\left(\mathbf{s}_{0}\right), \mathbf{X}_{ns}^{1\text{km}}\left(\mathbf{s}_{0}\right)\right) + e^{1\text{km}}\left(\mathbf{s}_{0}\right)$$

- 301 (7) The 1 km high quality precipitation data ( $C^{1km}$ ) are produced based on the
- constructed relationship in step (6):

$$C^{1km} = f_{calibrate} \left( P_s^{1km}, \hat{D}^{1km}, X_{ns}^{1km} \right)$$

- In our study, residual correction was ignored during downscaling and calibration,
- since many previous studies (Karbalaye Ghorbanpour et al., 2021; Lu et al., 2019)
- 306 demonstrated that residual correction on the ML-based technique decreased the

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307 prediction accuracy.

## 3.4. Comparative methods

three manners. Firstly, we compared the results of the proposed method with those of the classical methods including GWR, RF and BPNN. Secondly, our methodology was compared with two classical frameworks: (i) the IMERG was downscaled by the bilinear interpolation and then calibrated by SRF (termed as Bi-SRF), and (ii) the IMERG was downscaled by SRF and then calibrated by GDA (termed as SRF-GDA). Thirdly, our monthly-based estimation method was compared with the annual-based SRF fraction disaggregation method (termed as SRFdis). Finally, the results of our method were compared with that from ordinary kriging interpolation only on gauge measurements (termed as kriging). Overall, the proposed method was compared with seven classical methods in our study, including GWR, RF, BPNN, Bi-SRF, SRF-GDA, SRFdis and kriging. Note that the parameters of all the methods were tuned based on the trial-and-error scheme under the l-fold cross validation technique (An et al., 2007). Specifically, all gauge measurements were first divided into l folds. The prediction function was trained using l-1 folds, and the remainder was used for validation. The process is repeated l times until all folds were used for validation. Here, we set l=10. For each group of specified parameters, the 10-fold cross validation was repeated for one time, and the optimized parameters correspond to the minimized fitting error. Thus, the

In the study, the performance of our method was comparatively assessed using

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328 overfitting problem could be avoided.

## 3.5. Accuracy measures

330 Three accuracy measures were adopted in the quantitative accuracy evaluation,

including root mean square error (RMSE), mean absolute error (MAE) and correlation

332 coefficient (CC) (Jing et al., 2016; Sharifi et al., 2019). They are respectively

333 expressed as

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$$RMSE = \sqrt{\frac{1}{n} \sum_{i=1}^{n} (E_i - O_i)^2}$$

$$MAE = \frac{\sum_{i=1}^{n} \left| E_i - O_i \right|}{n}$$

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$$CC = \frac{\sum_{i=1}^{n} (E_i - \overline{E})(O_i - \overline{O})}{\sqrt{\sum_{i=1}^{n} (E_i - \overline{E})^2} \times \sqrt{\sum_{i=1}^{n} (O_i - \overline{O})^2}}$$

where n is the number of testing stations,  $E_i$  and  $O_i$  are the estimated and observed

338 precipitations at station i, respectively.

339 Generally, CC is used to measure the consistency between the estimated and

observed precipitations, while RMSE and MAE can assess the absolute deviation

between the estimated and observed values.

# 4. Results and analysis

We analyzed the results of the proposed method and the other methods on different temporal scales including monthly, seasonal and annual ones, where the latter two





scales were averagely computed from the monthly one.

### 4.1. Monthly scale

Fig. 5 illustrates the scatterplots between the predicted and observed precipitations on a monthly scale from 2015 to 2019. Results demonstrate that regardless of accuracy measures, BPNN and GWR produce worse results than the original IMERG. This is mainly owed to the complex relationship between the precipitation and the predictors, which was not accurately captured by the two methods. RF performs better than IMERG, yet worse than kriging. By contrast, the four SRF-based methods including the proposed method, Bi-SRF, SRF-GDA and SRFdis outperform the other methods. This reflects the significant effect of spatial autocorrelation between the gauge measurements on capturing the complex predictors-precipitation relationship. Moreover, the proposed method with the RMSE, MAE and CC of 33.22 mm, 19.22 mm and 0.933 produces the best result. Thus, it can be concluded that (i) SRF-based downscaling and calibration is more effective than bilinear downscaling (Bi-SRF) and GDA-based calibration (SRF-GDA) and (ii) there is no obvious time latency for vegetation response to precipitation in the study site, since the proposed method is slightly more accurate than SRFdis.

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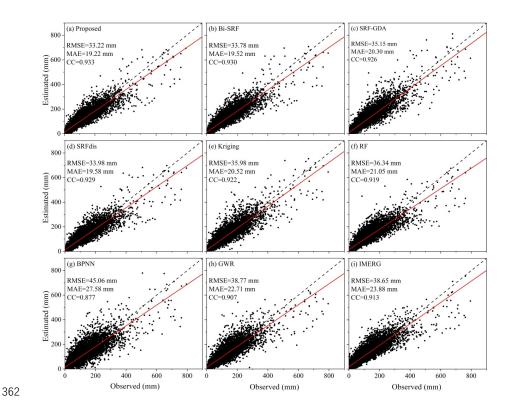


Fig. 5 Scatterplots between the estimated and the observed precipitation on a monthly scale from 2015 to 2019

Fig. 6 shows the boxplots of the four accuracy measures. Obviously, BPNN obtains the poorest results, with the median RMSE, MAC and CC of 30.48 mm, 22.66 mm and 0.64, respectively. It is followed by GWR, RF and kriging. The accuracy rank is consistent with that shown in Fig. 5. The four methods based on SRF seem more accurate than the classical methods. SRFdis, Bi-SRF and SRF-GDA have the median RMSEs of 21.41, 21.44 and 22.27 mm, respectively, while the proposed method has the value of 21.03 mm. In other words, the proposed method outperforms the other methods, which further highlights the benefit of including spatial autocorrelation information for downscaling and calibration of satellite-based precipitation.

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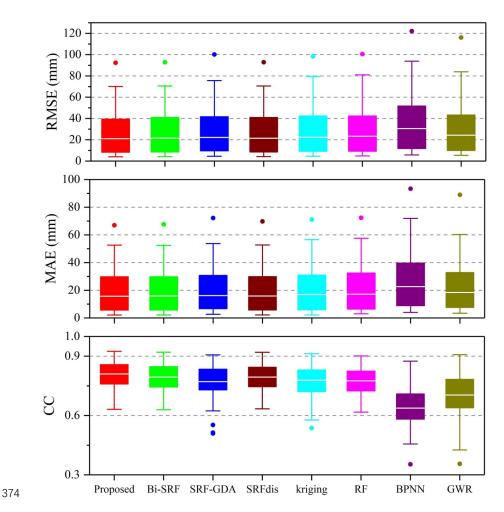


Fig. 6 Boxplots of RMSE, MAE and CC for the precipitation estimation methods on a

monthly scale during 2015-2019

Fig. 7 shows the RMSE spatial distribution of all gauge stations for the proposed method, SRFdis, RF, BPNN, kriging and GWR. Overall, the RMSEs tend to be larger in the middle part, since the precipitation is higher in the middle part than in the other parts (Fig. 1). BPNN (Fig. 7d) yields the poorest results, where many stations have the RMSEs greater than 60 mm. It is followed by GWR (Fig. 7f). RF (Fig. 7c) and kriging (Fig. 7e) seem better than GWR and BPNN at most stations. The proposed

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method (Fig. 7a) and SRFdis (Fig. 7b) are more accurate than the classical methods, especially at the stations in the middle area. Moreover, the proposed method performs better than SRFdis at some stations, such as those in the right-top.

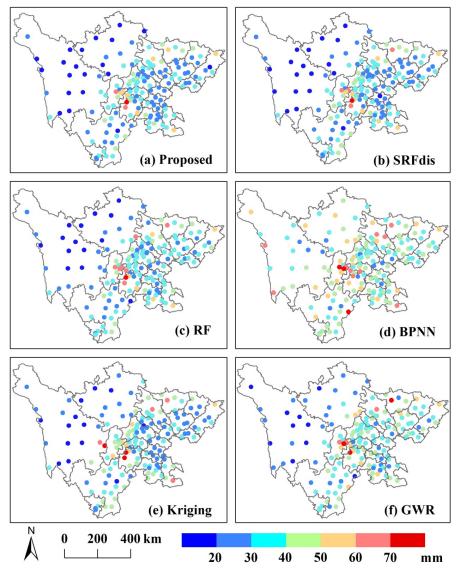


Fig. 7 RMSE distribution of all gauge stations for the proposed method and some representative methods on a monthly scale during 2015-2019

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#### 4.2. Seasonal scale

The estimation errors of all the methods on a seasonal scale (i.e. spring, summer, autumn and winter) are provided in Table 2. Results indicate that regardless of accuracy measures, all methods obtain the best and the worst results in winter and in summer, respectively. This conclusion is consistent with the results yielded by (Baez-Villanueva et al., 2020; Chen et al., 2020c; Zambrano-Bigiarini et al., 2017). This could be due to the facts that (i) winter has the lowest precipitation and summer has the highest one (Fig. 2), and (ii) the large precipitation in summer was caused by complex conditions, like climatic anomaly and encounter of the cold and warm air masses, which cannot be accurately explained by the predictors (Chen et al., 2015). The accuracy rank for all the methods in the four seasons is similar. More specifically, BPNN yields worse results than IMERG in spring, summer and autumn, and a better result in winter. GWR is slightly more accurate than BPNN in the four seasons. Kriging with a similar accuracy to RF obviously outperforms BPNN and GWR. The four SRF-based methods seem more accurate than the classical methods in almost all seasons, expect for SRF-GDA in winter. Moreover, the proposed method consistently performs the best in the four seasons. Taking winter as an example, our method is about 11.44%, 8.59%, 4.77% and 2.89% more accurate than kriging, RF, BPNN and GWR, respectively. Table 2 RMSEs, MAEs and CCs of all the estimation methods on a seasonal scale during 2015-2019 (RMSE: mm; MAE: mm)





Season	Index	Proposed	Bi-SRF	SRF-GDA	SRFdis	Kriging	RF	BPNN	GWR	IMERG
Spring	RMSE	21.99	22.19	23.03	22.04	23.38	23.67	30.71	25.97	25.97
	MAE	15.36	15.52	15.93	15.48	16.14	16.64	22.48	18.24	19.30
	CC	0.889	0.887	0.882	0.888	0.876	0.870	0.793	0.841	0.855
Summer	RMSE	56.13	57.06	59.27	57.51	61.07	61.83	74.46	65.49	64.46
	MAE	39.92	40.44	41.77	40.63	43.16	43.66	54.55	46.32	47.30
	CC	0.857	0.851	0.845	0.849	0.832	0.824	0.745	0.795	0.818
Autumn	RMSE	27.50	28.06	29.23	28.24	29.49	29.48	39.70	31.63	32.19
	MAE	17.51	17.89	18.53	17.96	18.42	19.25	26.67	20.79	21.98
	CC	0.928	0.925	0.920	0.924	0.918	0.917	0.864	0.902	0.905
Winter	RMSE	6.29	6.54	7.70	6.51	7.01	6.83	9.29	8.11	11.28
	MAE	4.11	4.25	4.97	4.26	4.36	4.65	6.64	5.66	6.93
	CC	0.853	0.839	0.790	0.841	0.823	0.826	0.688	0.735	0.595

To further illustrate the distributions of each accuracy measure, the boxplots of RMSEs, MAEs and CCs in each season are provided in Figs. 8, 9 and 10, respectively. Obviously, BPNN has the largest accuracy range in the four seasons, indicating its instability for precipitation estimation. Moreover, it produces the largest median RMSEs and MAEs with the values of 9.23-71.25 mm and 6.90-55.42 mm, respectively, and the smallest median CCs with the values of 0.61-0.66. Compared to BPNN, the RMSEs of RF and GWR are decreased to 6.90-54.92 mm and 7.04-58.17 mm, respectively, MAEs to 4.67-40.10 mm and 5.02-41.48 mm, respectively, while CCs are increased to 0.76-0.80 and 0.39-0.73, respectively. Kriging performs better

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- 419 than RF and GWR in almost all seasons, except for summer. Except for SRF-GDA,
- 420 the other SRF-based methods are more accurate than the classical methods. On the
- whole, the proposed method produces the best results, with the median RMSEs,
- 422 MAEs and CCs of 6.35-52.08 mm, 4.18-38.94 mm and 0.78-0.84 in the four seasons.



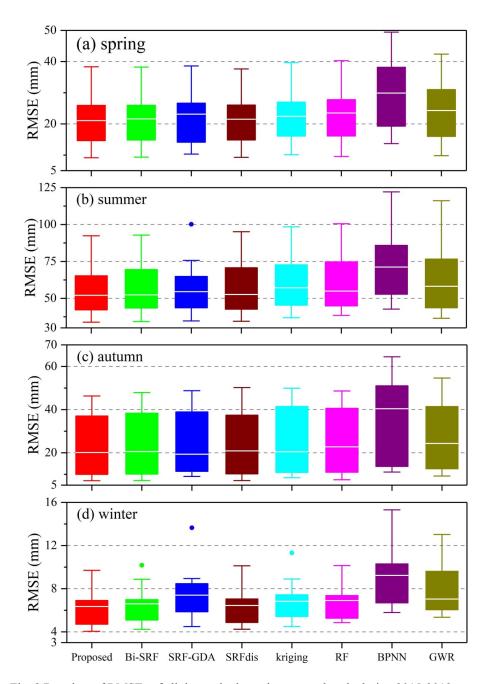


Fig. 8 Boxplots of RMSEs of all the methods on the seasonal scale during 2015-2019



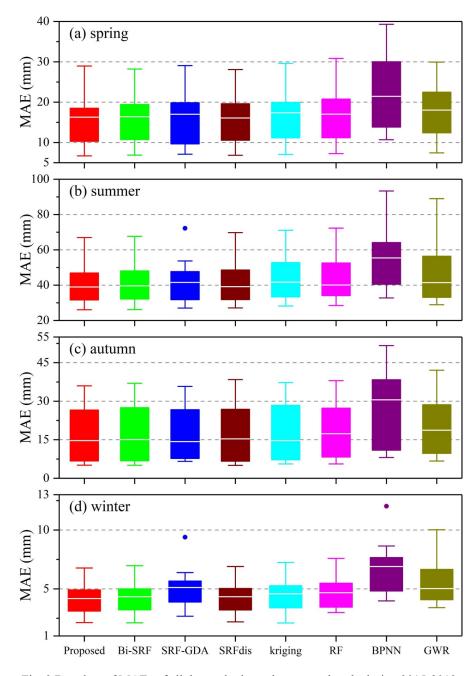


Fig. 9 Boxplots of MAEs of all the methods on the seasonal scale during 2015-2019



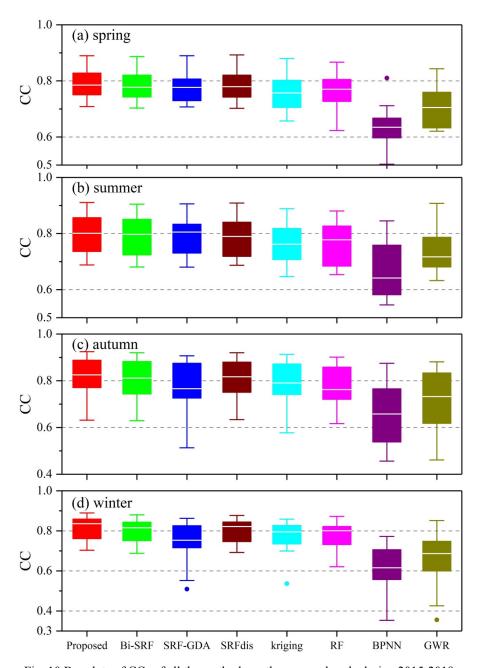


Fig. 10 Boxplots of CCs of all the methods on the seasonal scale during 2015-2019

# 429 **4.3. Annual scale**

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430 Fig. 11 illustrates the accuracy measures of all the methods on an annual scale from 2015 to 2019. Results demonstrate that all methods produce the worst results in 2018. 431 This is because this year has the largest precipitation (Fig. 2). In comparison, BPNN 432 produces the poorest results in all years, which is followed by IMERG and GWR. RF 433 and kriging are consistently more accurate than BPNN, IMERG and GWR, especially 434 in 2017-2019. The proposed method always performs better than the other methods in 435 the five years, which is closely followed by Bi-SRF and SRFdis. SRF-GDA produces 436 worse results than the other SRF-based methods. 437

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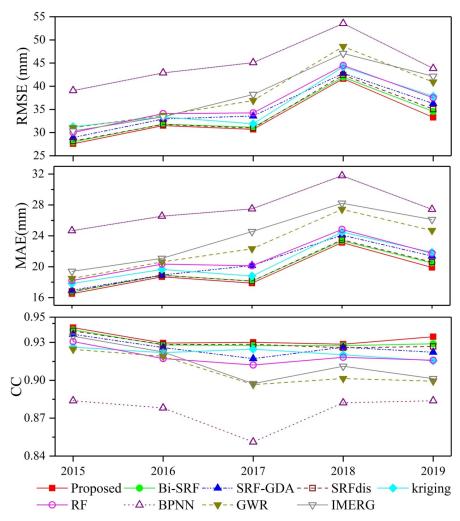


Fig. 11 Accuracy measures of all the methods on an annual scale from 2015 to 2019

Since the wettest month was July 2018 (Fig. 2), it was taken as an example to show the precipitation estimates of the proposed method and some classical methods. Results (Fig. 12) indicate that all the estimated precipitation maps have a similar spatial distribution and pattern to IMERG, yet the former have more detailed information than the latter due to the inclusion of the high-resolution predictors. However, there exist some differences between the methods. Specifically, the kriging

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map (Fig. 12b) loses many details of spatial precipitation patterns. This is expected as it only uses ground measurements for the interpolation. RF (Fig. 12c) shows obvious unnatural discontinuity. GWR (Fig. 12d) suffers from more variations and fractions compared with neighbors. In comparison, the proposed method (Fig. 12a) produces a good precipitation map.

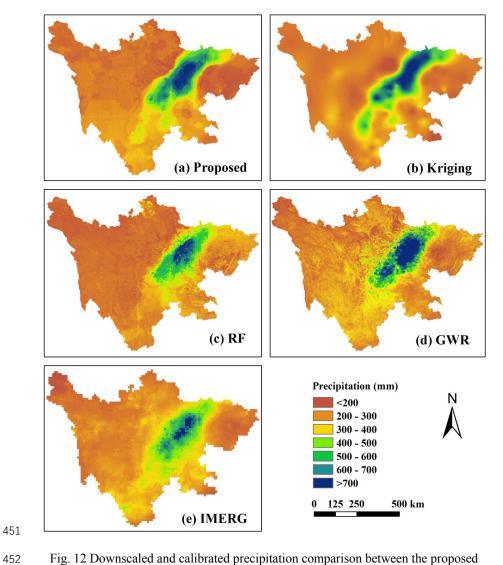


Fig. 12 Downscaled and calibrated precipitation comparison between the proposed





method and some representative methods on the wettest month

### 5. Discussion

For downscaling and calibration of satellite-based precipitation, the three most important factors are model, predictors and temporal scale used for constructing predictors-precipitation relationship (Chen et al., 2020b). Thus, they should be carefully selected to produce accurate precipitation data.

### 5.1. Model

In previous studies, the most commonly adopted model is GWR (Chen et al., 2015; Xu et al., 2015), since it has the merit of taking the spatial variation between the predictors and precipitation into account. However, the performance of GWR seriously depends on the density of rain gauge stations, and large interpolation errors can be found in areas with sparse gauge stations and complex terrain characteristics (Lu et al., 2019). Ma et al. (2017) indicated that GWR-based downscaled TRMMs before and after residual correction for the period 2000 to 2013 at an annual scale are less accurate than the original TRMM over the Tibet Plateau. Karbalaye Ghorbanpour et al. (2021) showed that GWR has poorer downscaling results than the original TRMM for 2012 and 2013 on an annual scale over Lake Urmia Basin. Our results demonstrated that on a monthly scale (Fig. 5), GWR produces worse results than the original IMERG, with the RMSE, MAE and CC values of 38.77 mm, 22.71 mm and 0.907, respectively. On a seasonal scale (Table 1), GWR is less accurate than IMERG





in summer, with the RMSE, MAE and CC values of 65.49 mm, 46.32 mm and 0.795, 473 respectively. On an annual scale (Fig. 11), compared to IMERG, the performance of 474 GWR is unsatisfactory in terms of CC. Moreover, the precipitation map of GWR 475 shows some larger values compared to their neighbors (Fig. 12d). 476 477 In contrast, the ML methods including RF and SRF are always more accurate than GWR due to their merits for handling the complex nonlinear predictors-precipitation 478 479 relationship. This conclusion agrees well with previous studies (Karbalaye 480 Ghorbanpour et al., 2021; Sachindra et al., 2018). In addition, the ML methods do not require residual correction (Jing et al., 2016; Shi et al., 2015). However, as a statistical 481 tool, the classical ML methods neglected the spatial autocorrelation between the 482 gauge measurements. Thus, a spatial RF (SRF) with the consideration of the spatial 483 484 autocorrelation information was constructed. SRF was used in both downscaling and calibration in our study, where the original IMERG and the gauge data were 485 interpolated to produce input predictors for the first and second stages, respectively. 486 The results on the three scales demonstrated the higher accuracy of SRF than RF (see 487 488 Figs. 5-11, Table 1). Note that although kriging interpolation based on only gauge measurements is more accurate than IMERG, BPNN and GWR, its precipitation map 489 is so smooth that many detailed precipitation patterns are lost (Fig. 12b). 490

# 5.2. Environmental predictors

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NDVI, latitude, longitude and DEM-based parameters were commonly adopted environmental variables for estimating precipitation (Shi et al., 2015). However,

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satellite-based precipitation across regions with no relationship with NDVI and DEM could not be estimated. For example, in barren or snow areas, the precipitation does not influence NDVI due to the sparse distribution of vegetation (Xu et al., 2015). Jing et al. (2016) indicated that the downscaled models including LST features (LSTs) performed better those without LSTs. Thus, in addition to NDVI and DEM-related parameters, daytime LST (LST<sub>D</sub>), nighttime LST (LST<sub>N</sub>), and difference between day and night LSTs (LST<sub>D-N</sub>) were also used in our study. Based on RF (Breiman, 2001), the relative importance of each predictor (i.e. predictor importance estimate) is shown in Fig. 13. Results show that precipitation from kriging interpolation has the most importance, which indicates the significance of the spatial autocorrelation between gauge measurements. Kriging estimation is followed by downscaled precipitation. The three LSTs also have a great impact on the precipitation estimation, where LST<sub>D</sub> seems more important than LST<sub>N</sub> and LST<sub>D-N</sub>. NDVI has a slight effect on the precipitation, which ranks last but one. This might be due to the fact that NDVI is influenced by both precipitation and temperature in the study site, and the low temperature above certain elevations hinders the vegetation growth. Motivated by this idea, Wang et al. (2019) first removed the influence of temperature on NDVI, and then used the processed NDVI for downscaling TRMA in Qilian Mountains. Different from the aforementioned scheme, we took both LSTs and NDVI as the predictors, and then the complex predictors-precipitation relationship was captured by RF based on its powerful learning ability. Among the 12 predictors, aspect has the least importance. This

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conclusion was also obtained by Ma et al. (2017) for downscaling TMPA 3B43 V7 data over the Tibet Plateau. Compared to aspect, DEM and terrain slope seem more important.

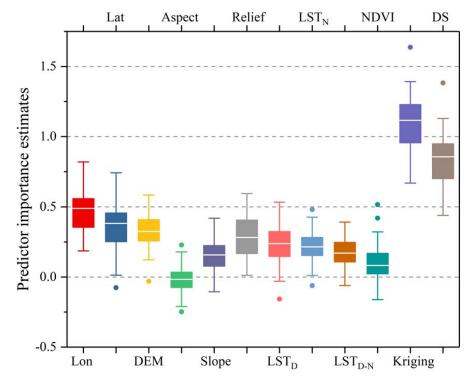


Fig. 13 Predictor importance estimates (Lat: latitude; Lon: longitude; DS: downscaled precipitation; kriging: interpolated precipitation based kriging on gauge data)

### 5.3. Temporal scale

Temporal scale has a great effect on the selection of predictors for precipitation estimation. There is a debate on whether NDVI should be taken as a predictor for downscaling and calibration of monthly precipitation. Some (Duan and Bastiaanssen, 2013; Immerzeel et al., 2009) argued that NDVI cannot be used for monthly





precipitation estimation since the response of NDVI to precipitation usually delayed for two or three months. Hence, one effective solution is to perform downscaling at the annual scale, and then use the monthly fractions derived from the original precipitation data to disaggregate the annual precipitation to the monthly one (i.e. annual-based fraction disaggregation) (Duan and Bastiaanssen, 2013). However, some (Brunsell, 2006; Chen et al., 2020c; Lu et al., 2019; Xu et al., 2015) stated that the precipitation-NDVI relationship is hardly time-delayed, since vegetation could influence precipitation by adjusting temperature and air moisture during the growing seasons. Thus, it is possible to estimate precipitation with NDVI at the monthly scale. In our study, we found that the proposed method on the monthly scale is slightly more accurate than that on the annual scale (i.e. SRFdis) in all seasons (see Figs. 8-10), indicating that NDVI could be used for monthly precipitation estimates in the study site.

#### 5.4. Easy-to-use feature

Since the classical RF does not consider the spatial information in the modeling process, Hengl et al. (2018) proposed an improved RF for spatial estimation, where the buffer distances from the point-based measurements were taken as the predictors. Motivated by this idea, Baez-Villanueva et al. (2020) presented a RF-based method (RF-MEP) for merging satellite precipitation products and rain gauge measurements, where the spatial distances from all rain gauges to the grid cells in the study site were used as the variables. RF-MEP performed better than all precipitation products and

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some merging methods. However, as stated by Baez-Villanueva et al. (2020), RF-MEP has a huge computational cost, since the number of extra input features equals to that of gauge measurements. Moreover, RF-MEP ignored the spatial autocorrelation between the gauge measurements. In comparison, our SRF only requires one extra feature that is estimated by kriging interpolation on the precipitation measurements. Compared to the buffer distance layers, it is much more computationally effective. Moreover, with the variogram-based kriging interpolation, the spatial autocorrelations between the gauge measurements and between the estimated precipitation and gauge measurements are taken into account. Thus, the aforementioned features make our method accurate, effective and easy-to-use. Recently, Georganos et al. (2019) proposed a geographical RF to overcome spatial heterogeneity in remote sensing and population modelling. The geographical RF is essentially a local interpolation method, where only the n nearest observations around the interpolated point is used. However, this kind of methods has the tendency to produce discontinuity maps due to the local interpolation nature (Chen and Li, 2019). Moreover, the global information inherent in the dataset cannot be used, which might result in biased results. In comparison, our method with the aforementioned features is highly recommended.

### 5.5. Further researches

In the further studies, we will focus on the following directions. Firstly, other land surface variables such as soil moisture (Brocca et al., 2019; Fan et al., 2019), and

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meteorological conditions such as cloud properties (Sharifi et al., 2019) could be adopted to enhance the predictors-precipitation relationship, thereby further improving IMERG quality. Secondly, the correction of satellite-based precipitation on higher-temporal scales (e.g. daily or hourly) is challenging and valuable (Chen et al., 2020b; R. Lima et al., 2021; Sun and Lan, 2021; Wu et al., 2020). Whether our method could be applied on these scales might need validation. Thirdly, in our experiments, all rain gauge measurements were used to improve the quality of satellite-based precipitation. However, it is generally accepted that sample density has a significant effect on the accuracy of the classical calibration methods (Baez-Villanueva et al., 2020; Bai et al., 2019; Lin and Wang, 2011; Wang and Lin, 2015; Zhang et al., 2021). Thus, its influence on the results of our method should be quantitatively assessed, thereby determining the most suitable gauge density in different hydrological applications. Finally, numerous satellite-based precipitation products have been available, and each one has its shortcomings and advantages for the capture of spatial precipitation patterns (Baez-Villanueva et al., 2020; Chen et al., 2020c). Thus, the fusion of multiple precipitation products based on our methodology is a promising alternative to improve the quality of precipitation data. Thus, its performance requires further assessment.

### 6. Conclusions

To enhance the resolution (from 0.1° to 1 km) and accuracy of the monthly IMERG V06B Final Run product, a spatial RF (SRF)-based downscaling and calibration

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method is proposed in this paper. The merits of the proposed method are twofold: (i) SRF takes the spatial autocorrelation between the precipitation measurements into account when constructing the predictors-precipitation relationship and (ii) the SRF model is used not only in downscaling but also in calibration of IMERG, with the incorporation of some precipitation-related high-resolution variables. performance of the proposed method was compared with those of seven methods including GWR, RF, BPNN, Bi-SRF, SRF-GDA, SRFdis and kriging for enhancing the quality and resolution of monthly IMERG across Sichuan province, China from 2015 to 2019. The main findings and conclusions can be summarized as follows: (1) The SRF-based methods including the proposed method, Bi-SRF, SRF-GDA and SRFdis are more accurate than the classical methods on all temporal scales. Moreover, the proposed method ranks the first, indicating that SRF-based downscaling and calibration is more promising than bilinear-based downscaling and GDA-based calibration. (2) The comparison between the monthly-based and annual-based estimation demonstrates that there is no statistically significant difference between them, indicating that NDVI can be used for monthly precipitation estimation in the study site. (3) Kriging outperforms the original IMERG, BPNN and GWR in terms of RMSE, MAE and CC. However, its interpolation map suffers from serious loss of spatial variation of precipitation, since it only uses the gauge measurements. (4) Based on the variable importance assessment of RF, the precipitation interpolated





613 terrain aspect is the least one. Overall, the proposed methodology is general, robust, accurate and easy-to-use, 614 since its promising performance in the study area with an obvious heterogeneity in 615 616 terrain morphology and precipitation. Thus, it can be easily applied to other regions, where high resolution and accurate precipitation data is urgently required. 617 618 Data availability The gauge data are from the China Meteorological Data Service Center 619 (http://data.cma.cn, last access: January 2021). The GPM data are from 620 https://gpm.nasa.gov/data (last access: January 2021). The GPM data are from 621 622 http://srtm.csi.cgiar.org/ (last access: January 2021). The MOD13A3 data are from http://www.gscloud.cn/ (last access: January 2021). The MOD11A2 data are from 623 https://ladsweb.modaps.eosdis.nasa.gov (last access: January 2021). 624 **Declaration of Competing Interest** 625 The authors declare that they have no known competing financial interests or 626 personal relationships that could have appeared to influence the work reported in this 627 628 paper. **Author contributions** 629 CF and YY conceived the idea, and acquired the project and financial support. BJ 630 conducted the detailed analysis. CF contributed to the writing and revisions. 631

by kriging on the gauge measurements is the most important variable, whereas

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# 632 **Competing interests**

The authors declare that they have no conflict of interest.

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