



1 **Comparison of six different soft computing methods in modeling**
2 **evaporation in different climates**

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24 **Abstract:** Evaporation plays important roles in regional water resources management,
25 terrestrial ecological process and regional climate change. This study investigated the abilities
26 of six different soft computing methods, Multi-layer perceptron (MLP), generalized
27 regression neural network (GRNN), fuzzy genetic (FG), least square support vector machine
28 (LSSVM), multivariate adaptive regression spline (MARS), adaptive neuro-fuzzy inference
29 systems with grid partition (ANFIS-GP), and two regression methods, multiple linear
30 regression (MLR) and Stephens and Stewart model (SS) in predicting monthly Ep . Long-term
31 climatic data at eight stations in different climates, air temperature (Ta), solar radiation (Rg),
32 sunshine hours (Hs), relative humidity (RH) and wind speed (Ws) during 1961-2000 are used
33 for model development and validation. The first part of applications focused on testing and
34 comparing the model accuracies using different local input combinations. The results showed
35 that the models have different accuracies in different climates and the MLP model performed
36 superior to the other models in predicting monthly Ep at most stations, while GRNN model
37 performed better in Tibetan Plateau. The accuracies of above models ranked as: MLP, GRNN,
38 LSSVM, FG, ANFIS-GP, MARS and MLR. Generalized models were also developed and
39 tested with data of eight stations. The overall results indicated that the soft computing
40 techniques generally performed better than the regression methods, but MLR and SS models
41 can be more preferred at some climatic zones instead of complex nonlinear models, for
42 example, the BJ, CQ and HK stations.

43 **Keywords:** Pan evaporation; soft computing techniques; regression methods; model
44 comparison

45

46 1. Introduction

47 Evaporation is the process of conversion of liquid water to water vapor, which depends on the
48 differences in vapor pressure and air between the surface and surrounding atmosphere



49 (Penman 1948; Kisi, 2013; Kim et al., 2015). Pan evaporation (Ep), which is a major
50 component of hydrological cycle, plays important roles in scheduling water resources and
51 designing of irrigation systems. It has been widely used as an index of lake and reservoir
52 evaporation, potential or reference crop evapotranspiration and irrigation (Snyder 1993).
53 There are many factors influencing the rates of Ep , including solar radiation (Rg), air
54 temperature (Ta), relative humidity (RH), sunshine hours (Hs) and wind speed (Ws). The
55 quantitative effects of different climatic parameters on Ep variations in different regions is
56 still one of the less understood aspects in the hydrologic cycle. Therefore, proper estimation
57 and prediction of Ep is of great importance to integrated water resources management and
58 modeling studies.

59 The direct measurements of Ep are spatially and temporally limited due to some instrumental
60 and practical issues (Shirsath and Singh, 2010; Shiri et al., 2014). Many researchers have tried
61 to estimate the evaporation through indirect methods using climatic variables, for example,
62 many empirical or semi-empirical equations have been developed for estimating Ep as a
63 function of meteorological data (Stephens and Stewart 1963; Piri et al., 2009), but some of
64 these techniques require the data which are often incomplete or not always available for many
65 locations (Sharda et al., 2008; Majidi et al., 2015). Recently, the advanced soft computing
66 techniques (such as artificial neural network, ANN) have been successfully applied for
67 modeling Ep due to its ability to learn complex and non-linear relationships that are difficult
68 to model with conventional techniques (Sudheer et al., 2002; Kisi and Ozturk, 2007; Kim
69 and Kim, 2008; Kisi, 2009b; Rahimikhoob, 2009; Guven and Kisi, 2011; Kim et al., 2013;
70 Goyal et al., 2014; Shiri et al., 2015; Kisi et al., 2016), for example, Kisi (2009a) investigated
71 the abilities of three different ANN techniques and it was found that the MLP and radial basis
72 neural network (RBNN) computing techniques could be employed successfully to model the
73 evaporation process using the available climatic data; Piri et al. (2009) improved the ANN



74 model by incorporating an autoregressive external input (ARX) component and evaluated the
75 models for Ep estimation at a site in hot and dry climate of Southeast Iran. The results showed
76 that NNARX is better than the ANN and Marciano method, the models with inputs of wind
77 and vapor pressures performed much better than the ones with temperature and dew point;
78 Chang et al. (2010) proposed a self-organizing map neural network (SOMN) to assess the
79 variability of daily evaporation based on meteorological variables, the results demonstrated
80 that the topological structures of SOMN could give a meaningful map to present the clusters
81 of meteorological variables and the networks could well estimate the daily evaporation (Kim
82 et al., 2015). Kim et al. (2012) applied multilayer perceptron-neural networks (MLP),
83 generalized regression neural networks (GRNN) and support vector machine-neural networks
84 (SVM) to estimate Ep in temperate and arid climatic zones and the results indicated that these
85 ANN models performed better than the empirical Linacre model and MLR model. Goyal et al.
86 (2014) investigated the abilities of ANN, Least Squares Support Vector Machine (LSSVM),
87 Fuzzy Logic (FG), Adaptive Neuro-Fuzzy Inference System (ANFIS) techniques, Hargreaves
88 and Samani method (HGS), as well as the Stephens-Stewart (SS) method to improve the
89 accuracy of daily Ep estimation in sub-tropical climates of India. The results showed that the
90 above soft computing models outperformed the HGS and SS methods, and the LSSVM and
91 FG models produced the highest accuracies. Kisi (2015) investigated the accuracy of LSSVM,
92 multivariate adaptive regression splines (MARS) and M5 Model Tree (M5Tree) in modeling
93 Ep at Mersin and Antalya stations in Mediterranean region of Turkey, which indicated that the
94 LSSVM model could be successfully used for estimating Ep using local input and output data
95 while the MARS model performed better than the LSSVM model in case of without local
96 input and outputs. Several studies have also been performed in order to compare and assess
97 the Ep models with limited data around the world (Kisi and Cengiz, 2013; Majidi et al., 2015).
98 On the contrary, only a few studies have been conducted to find the most appropriate methods



99 to estimate E_p , and most of these studies focused on comparing only two or three models.
100 Therefore, there is no clear consensus on which methods are better to employ when lacking
101 important long term measured data such as radiation and heat fluxes. Meanwhile, the E_p
102 models are only tested at few number of stations in literature, for example, Keskin et al. (2004)
103 only compared the FG model with empirical Penman method at Lake Eğirdir in Turkey;
104 Sanikhani et al. (2012) compared two different ANFIS models including grid partitioning (GP)
105 and subtractive clustering (SC), in modeling E_p at San Francisco and San Diego in California,
106 however, there are almost no studies using large number of stations (> 3) for obtaining more
107 generalized conclusions. In addition, there are not any studies in literature that compare
108 different methods in estimating E_p at different climates (for example, the arid continental
109 climate, desert climate, semi humid monsoon climate, plateau climate and the tropical
110 maritime monsoon climate), which provided an impetus for the present investigation for
111 revealing a more robust and applicable E_p estimation model.

112 Considering the importance of the evaporation in either irrigation management or
113 hydrological modeling, the aim of this study is to investigate capability and usability of six
114 different soft computing methods, ANFIS-GP, FG, GRNN, LSSVM, MARS and MLP, and
115 two regression methods, MLR and SS, in modeling E_p using different climatic input
116 combinations of R_g , T_a , H_s , RH and W_s . Data from eight stations in different climatic zones are
117 used for training and testing above models. The model performances will be compared and
118 discussed through: (i) estimating E_p of each station using different local input combinations;
119 (ii) estimating E_p of eight stations using generalized ANFIS-GP, FG, GRNN, LSSVM,
120 MARS, MLP, MLR and SS models. To the knowledge of the authors, no similar studies have
121 been reported using above mentioned methods for modeling E_p , this will be the first study to
122 compare the accuracy of multiple soft computing models for E_p estimation in different
123 climates.



124 **2. Methods and materials**

125 *2.1. Modeling strategies*

126 *2.1. 1. Multi-layer perceptron neural network*

127 Fig. 1

128 MLP is well-known and efficient neural network widely used for a variety of problems such
129 as classification, time series modeling and regression. MLPs are organized hierarchically
130 networks by several layers, including an input layer, hidden layer(s) and an output layer
131 (Zounemat-Kermani et al., 2013; Wang et al., 2016b). There are one or more hidden layers
132 between the input and output layers which are connected by neurons (including synaptic
133 weights, biases and activation or transfer functions). Each neuron receives its input value(s)
134 from the input vector (or the antecedent hidden layer's output) and then calculates a weighted
135 sum of input values passing through the transfer function, which generates the output of the
136 neuron (Fig. 1a). MLPs are feed-forward networks, using the error back-propagation (BP)
137 algorithm for network training. In the BP algorithm, an iterative process changes the weights
138 and biases of the network to optimize the solution by reducing the overall error between the
139 output and target (generally the observed parameters) values. More details about the MLP
140 model can be found in Kisi (2009b) and Zounemat-Kermani (2012).

141 *2.1. 2. Generalized regression neural network*

142 The GRNN model has a parallel structure, but they do not use an iterative process for learning
143 procedure between the input and output variables. The structure of GRNN consists of four
144 consequent layers, namely the 1) input, 2) pattern, 3) summation, and 4) output layers (see
145 Fig.1b for a schematic diagram of a GRNN network). In the first layer, the total number of
146 input variables is equal to the number of input units. Input data are linked to the second layer
147 where each neuron presents a training pattern. The second layer sends processed information



148 to the third (summation) layer through the pattern neurons. In the summation layer, there are
149 two types of S-summation and D-summation neurons, which are connected to the pattern
150 layer unit (Zounemat-Kermani, 2014). The sum of the weighted responses of the second layer
151 is calculated by the S-summation neurons, while the D-summation neurons compute the un-
152 weighted outputs. Finally, in the output layer, the division of the output of each S-summation
153 neuron by D-summation neuron gives the output value. More descriptions about the GRNN
154 model can be seen from Cigizoglu and Alp (2006).

155 2.1. 3. Grid partitioning adaptive neuro-fuzzy inference system

156 Fig. 2

157 ANFIS refers to a multi-layer adaptive network combined with neural network analogy with
158 the fuzzy inference system. It consists of five consecutive layers (fuzzification, product,
159 normalization, de-fuzzification and output) in an implementation procedure of different node
160 functions to learn and adjust the parameters in a fuzzy inference system (Fig. 2). A hybrid
161 learning algorithm, including forward and backward passes is utilized for reducing calculated
162 errors and training phase. With the calculation of the least squared error, the consequent
163 parameters are updated, whereas, the premise parameters are fixed. Hence, in the backward
164 pass the consequent parameters are fixed and the premise parameters are updated through the
165 gradient descent algorithm (Kisi and Ozturk, 2007; Zounemat-Kermani and Teshnehlab,
166 2008; Khayam et al., 2012).

167 Membership functions and fuzzy inference parameters are identified according to the
168 adjustment of premise and consequent parameters by an iterative process of the forward and
169 backward passes. Construction of ANFIS models is based on the partitioning of the input-
170 output data for establishing the rule base system. In this respect, various approaches such as
171 ANFIS-GP, subtractive clustering and fuzzy c-means methods can be applied.



172 In this study the Sugeno model, which is the most commonly used system, along with the grid
173 partitioning method is applied for modelling evapotranspiration. The reader can find out more
174 details about ANFIS-GP in several available publications (Jang, 1993; Terzi et al., 2006;
175 Khayam et al., 2012).

176 *2.1. 4. Fuzzy-genetic algorithm*

177 The hybrid FG algorithm combines a meta-heuristic algorithm (genetic algorithm) and an
178 adaptive fuzzy inference system (AFIS). In the AFIS, the input vectors along with the
179 corresponding output(s) are introduced to the fuzzy system which is established based on the
180 fuzzy logic approach. For further information about fuzzy logic, the reader is referred to
181 related reports (Zounemat-Kermani and Scholz, 2013).

182 Genetic algorithms (GAs) are stochastic search algorithm based on the mechanics of natural
183 genetics and natural selection which can be used for optimization problems. Getting the
184 advantage of using the evolutionary mechanism, they are capable of searching large solution
185 spaces efficiently. GA is composed of three main stages, namely, population initialization,
186 GA operators (reproduction, crossover, and mutation) and evaluation (Kisi and Tombul,
187 2013). In this study, the proposed hybrid FG model is based on a model wherein the
188 membership functions' parameters (e.g. center and width of Gaussian MFs) are optimized
189 using a GA algorithm. The objective function of the genetic algorithm optimizer is the
190 minimization of the error criterion (e.g. RMSE) of prediction made by an AFIS model (Kisi,
191 2009; Ganjidoost et al., 2015).

192 *2.1. 5. Least-Squares support vector machine*

193 The SVM is based on a statistical learning theory which projects the input data classes to a
194 higher dimensional feature space. The aim of the SVM algorithm is searching for an optimum
195 hyper-plane with the minimum distance to the observed values. The algorithm is efficient,



196 quick and converging procedure to the global optimum (Mesbah et al., 2015; Lu et al., 2016).
197 However, the SVM algorithm has been modified and improved, referring to the Least-
198 Squares-SVM (LSSVM) (Suykens and Vandewalle, 1999). In addition to have all the merits
199 of the original SVM, LSSVM has become simpler and more rapid. This issue is caused by the
200 structure of the LSSVM algorithm which solves a group of linear equations instead of solving
201 a quadratic programming problem in the SVM method. LSSVM gets the advantage of the
202 applying equality constraints (in exchange for traditional inequality constraints of SVM) and
203 implements the sum of squared regression errors in the training process. Further details about
204 the main equations and complete explanations of this subject can be found in Suykens and
205 Vandewalle (1999) and Kisi (2015).

206 *2.1. 6. Multivariate adaptive regression splines*

207 MARS, introduced by Friedman (1991), is categorized as a nonparametric regression method.
208 MARS divides the space of each independent variable into split various regions called sub-
209 regions. For each sub-region a unique mathematical regression equation is defined. A
210 relationship is developed for each sub-region of the independent variable to the output
211 (response) of the system based on the attained mathematical equation. This whole process is
212 conducted by a stepwise procedure consists of backward and forward steps. In the forward
213 step, a set of appropriate input variables is selected and split. However, split process in the
214 forward step might generate an over-fitted complex model resulting in poor performance.
215 Thereafter, in the backward step unnecessary variables will be eliminated (Adamowski et al.,
216 2012; Kisi, 2015). For more detailed information on the development of the MARS models
217 used throughout in this research the reader can refer to Sharda et al. (2008) and Kisi (2015).

218 *2.1. 7. Multiple Linear Regressions*



219 MLR is a technique utilized to model the linear relationship between a dependent variable and
220 one or more independent variables. The dependent variable is sometimes additionally called
221 the predictors. MLR is depends on least squares: the model is fit such that the sum of squares
222 of differences of estimated and observed values is minimized
223 (<http://tree.ltr.arizona.edu/webhome/dmeko/geos585a.html#cLesson11>). MLR is probably
224 the most widely used method in hydrology and climatology for developing models to
225 reconstruct or analysis the long-term variations of climatic factors in literature. In this study,
226 MLR models are developed using the same data set which was used to train and test the above
227 soft computing models.

228 *2.1. 8. Stephens and Stewart Model*

229 Stephens and Stewart (SS) model is an empirical linear equation and requires only radiation
230 and temperature data (Stephens and Stewart 1963). This model was reported as the best
231 among 23 models (Al-Shalan and Salih, 1987; Sudheer et al., 2002; Shirsath and Singh, 2010),
232 which can be expressed as $E_p = R_g (a + b \times T_a)$, where a and b are fitting constants
233 (determined on the training data through least square fitting).

234 *2.2. Case study and data*

235 Fig. 3

236 In this study, monthly climatic data at eight stations of China Meteorological Administration
237 (CMA) were used for developing and testing E_p models in different climates. Fig.3 shows the
238 detailed geographical locations of above stations, which are named as HEB (latitude 45°45' N,
239 longitude 126°46'E, 142.3 masl (m above sea level), ALT (47°44' N, 188° 05'E, 735.3 masl),
240 MQ (38°38' N, 103°05'E, 1367 masl), BJ (39°48' N, 116°28'E, 31.3 masl), LSA (29°40' N,
241 91°08'E, 3648.7 masl), CQ (29°35' N, 106°28'E, 259.1 masl), HZ (30°14' N, 120°10'E, 41.7
242 masl) and HK (20°02' N, 110°21'E, 13.9 masl). It should be noted that above stations are



243 located at different climatic zones, for example, the HEB station is in the Northeast China
244 with long and cold winter (semi humid temperate continental climate); the ALT station is in
245 the Northwest China with arid continental climate; the MQ station is surrounded by the
246 Tengger and Badan Jilin desert, which is characterized by continental desert climate with hot
247 summer and cold winter, enough light and little rainfall amount; BJ is characterized by typical
248 north temperate semi humid continental monsoon climate; LSA is in the zone of semi-arid
249 plateau climate, which is called the sunlight city due to the sufficient sunshine resources in
250 Tibetan Plateau; CQ is characterized by subtropical monsoon humid climate with more
251 cloudy and foggy conditions; the HZ station is known as one of China's "four ovens" cities
252 where summertime temperatures can reach to 40 °C, which is characterized by hot and rainy
253 in summer, cold and dry in winter due to the effects of East Asian atmospheric circulation, the
254 terrain of Qinghai-Tibet Plateau and the North Pacific Ocean; the HK station is located at the
255 northern margin of the low latitude tropics, which belongs to the tropical maritime monsoon
256 climate. The detailed information about the geographical, climatic and hydrological
257 conditions in this region can also be seen in Zhai et al. (1999) and Ding et al. (2006).

258

Fig. 4

259 The data used in this research cover 40 years (1961-2000) of monthly records of air
260 temperature (T_a), solar radiation (R_g), sunshine durations (H_s), relative humidity (RH), wind
261 speed (W_s) and pan evaporation (Ep). For each station, 50% of the whole data were randomly
262 chosen for training the Ep models and the remaining data were used for testing the models.
263 The annual variations of Ep and associated climatic factors are shown clearly in Fig. 4, it is
264 clear that Ep at MQ and LSA are generally higher than those at other stations, there are
265 decreasing trends of Ep for ALT, BJ and HK stations during 1960-2000, and the most
266 significant increasing trends of Ep are observed for LSA station. The H_s at CQ and HZ
267 stations are much lower than those at other stations and the annual mean H_s is the highest



268 among the eight stations. There are also slight increasing trends for H_s at most stations except
269 BJ, HK and HZ stations. The annual mean R_g is obviously higher at LSA station and R_g at
270 CQ is the lowest, the R_g generally decreased from 1961 to 1990 and then increased for most
271 stations. The RH is generally larger than 75% at HZ, CQ and HK stations and lower than 50%
272 for MQ and LSA stations. There are distinct differences for annual mean T_a at above eight
273 stations, for example, T_a at HK is generally higher than 23 °C, while the highest annual mean
274 T_a at HEB is lower than 5 °C. However, W_s is highest at HEB and lowest at CQ station, and
275 W_s is decreasing from 1960s to 2000s at most stations.

276 Table 1

277 Fig. 5

278 Table 1 showed the monthly statistics of the climatic parameters, x_{mean} , S_x , C_v , C_x , x_{min} and
279 x_{max} denote the mean, standard deviation, variation coefficient, skewness, minimum and
280 maximum values, respectively. It is clear that the monthly mean Ep is 4.35, 4.72, 7.26, 5.09,
281 6.35, 2.86, 3.65 and 5.00 mm for station HEB, ALT, MQ, BJ, LSA, CQ, HZ and HK,
282 respectively. The mean R_g at LSA, MQ and ALT (20.41, 16.41 and 15.13MJ m⁻²) are higher
283 than those at other stations; the mean T_a at HK station is 24.08°C, which is highest among all
284 the stations. The H_s shows low variations for the MQ, BJ and LSA stations (see C_v values in
285 Table1) and the monthly mean H_s at CQ (2.83 hour) is much lower than the other station. The
286 monthly RH is 65.44%, 57.99%, 44.82%, 57.29%, 44.39%, 79.15%, 78.04% and 84.14% for
287 HEB, ALT, MQ, BJ, LSA, CQ, HZ and HK, respectively, which indicates that RH is
288 generally higher at lower latitudes. The W_s at HEB station is higher than other station in each
289 month and the lowest monthly W_s (1.36 m s⁻¹) is observed at CQ station. The monthly Ep , T_a ,
290 H_s and R_g are generally higher in summer and lower in winter months (Fig.5); the RH is also
291 lower in spring months for some stations such as HEB and MQ; the W_s is higher at spring and
292 lower in summer months for most stations (Fig.5). For the HEB station, RG shows low



293 skewed distribution and has a relatively higher correlation with Ep ($R=0.89$); the RH and Ws
 294 data have the lowest ($R = -0.30, 0.26$) correlation with Ep . For the ALT station, the Ta data
 295 have a high skewness ($C_v=3.07$) and high correlation with Ep ($R=0.93$). For the MQ station,
 296 the Hs shows the lower skewed distribution ($C_v=0.13$) and has a positive correlation with Ep
 297 ($R = 0.72$); the Ta data have a higher skewness ($C_v=1.36$) and the highest correlation with Ep
 298 ($R=0.93$). In similar, the Rg and Hs data show relatively higher skewness and correlations
 299 with Ep for the BJ, CQ and HK stations. At some cases, the correlations between Ta and Ep
 300 are also higher than those with Hs , for example, the LSA ($R=0.75$) and HZ ($R=0.88$) stations.
 301 It is clear from the statistical indices in Table 1 that each climatic variable have different
 302 correlations with Ep , and Rg , Hs and Ta variables seem to be the most effective parameters
 303 for predicting Ep with respect to the correlations.

304 2.3. Evaluation criteria

305 In this study, the ANFIS-GP, FG, GRNN, LSSVM, MARS, MLP, MLR and SS models were
 306 evaluated and compared with each other utilizing the mean absolute errors (MAE), root mean
 307 square errors (RMSE) and determination coefficient (R^2), which can be expressed as

$$308 \quad RMSE = \sqrt{\frac{1}{N} \sum_{i=1}^N (Ep_{m,i} - Ep_{o,i})^2} \quad (1)$$

$$309 \quad MAE = \frac{1}{N} \sum_{i=1}^n |Ep_{m,i} - Ep_{o,i}| \quad (2)$$

$$310 \quad R^2 = \frac{\sum_{i=1}^n (Ep_{m,i} - \overline{Ep_m})(Ep_{o,i} - \overline{Ep_o})^2}{\sum_{i=1}^n (Ep_{m,i} - \overline{Ep_m})^2 \sum_{i=1}^n (Ep_{o,i} - \overline{Ep_o})^2} \quad (3)$$

311 where N and bar respectively indicate the number of data and mean of the variable, Ep_m and
 312 Ep_o are the modeled and observed pan evaporation.



313 3. Results and discussion

314 This study compares six different soft computing methods, ANFIS-GP, FG, GRNN, LSSVM,
315 MARS and MLP, and two empirical methods, MLR and SS, in modeling Ep using climatic
316 inputs of Rg , Ta , Hs , RH and Ws . Data from eight stations, HEB, ALT, MQ, BJ, LSA, CQ, HZ
317 and HK were utilized in the applications. The input combinations used for each model are
318 provided in Table 2, the numbers after each model indicates the input combination. Two
319 Gaussian membership functions were utilized for each ANFIS-GP and FG model. Different
320 regularization constants and RBF kernel widths were tried for the LSSVM models and the
321 optimal models that provided the least RMSE error in testing stage were obtained. For the
322 GRNN models, different spread constants were tried. Different hidden node numbers were
323 tried and the optimal ones were obtained for each MLP model.

324 Table 2

325 Table 3

326 Table 4

327 The training and testing results of the ANFIS-GP, FG, GRNN, LSSVM, MARS, MLP, SS
328 and MLR models in predicting Ep of HEB station are shown in Table 3. It is clear from the
329 table that the models with full weather data (Rg , Ta , Hs , RH and Ws) have the best accuracy.
330 The MLP7 model performs superior to the other models in predicting Ep at HEB. The
331 accuracy ranks of the applied soft computing models in testing period are: MLP, ANFIS-GP,
332 FG, GRNN, MARS, LSSVM and MLR. It is clear from the first three input combinations that
333 there is a slight difference between Rg and Ta and they are much more effective on modeling
334 Ep at HEB station than the other variables. This is also confirmed by the R^2 values given in
335 Table 1. Comparisons of the simple two-input (Rg and Ta) models clearly indicate that the
336 ANFIS-GP4, GRNN4 and LSSVM4 models have better accuracy than those of the SS model
337 while the FG4, MARS4 and MLP4 models give inferior results in testing period. Table 4



338 gives the accuracy of the applied models in predicting Ep at ALT station. Similar to the HEB
339 station, the models comprising whole weather inputs generally provide the best accuracy and
340 the optimal MLP7 model outperforms the other models in predicting Ep at ALT station. The
341 accuracy ranks of the models in testing stage are: MLP, LSSVM, ANFIS-GP, FG, MARS,
342 GRNN and MLR. There is a slight difference between the Rg , Ta and Hs parameters and
343 these are also parallel to the correlations given in Table 1. Two-input soft computing models
344 seem to have a better accuracy than the SS model in predicting Ep at ALT station in the
345 testing stage.

346 Table 5

347 Table 6

348 The training and testing statistics of the soft computing models, SS and MLR in predicting Ep
349 of MQ station are provided in Table 5. In this station, five-input models also have the best
350 performance and the MLP7 model performs superior to the other models. The accuracy ranks
351 of the 5-input models are: MLP, FG, ANFIS-GP, GRNN, MARS, MLR and LSSVM. From
352 the first three inputs, it is clear that the Rg and Ta variables have more effects on Ep than the
353 Hs in MQ station. The correlations in Table 1 also confirm these results. It is apparent from
354 Table 5 that the SS model provides inferior results in comparison with the 2-input soft
355 computing models at MQ station. Table 6 reports the training and testing results of the applied
356 models in predicting Ep at BJ station. From the table, it is obvious that the models with full
357 weather data generally have the best accuracy. The MLP model provides better performance
358 than the other models with respect to MAE, RMSE and R^2 . The ranks of the applied models in
359 testing accuracy are: MLP, LSSVM, GRNN, ANFIS-GP, FG, MARS and MLR. It is clear
360 from the first three input combinations that the Rg which has a higher correlation with Ep (see
361 Table 1) is much more effective on Ep than the Ta and Hs at BJ. Simple SS model seems to



362 have better accuracy than the applied 2-input soft computing models in predicting Ep at BJ
363 station in testing stage.

364 Table 7

365 Table 8

366 Table 7 compares the accuracy of the applied soft computing models in predicting Ep at LSA
367 station. Similar to the previous stations, the best accuracies were generally obtained from five-
368 input models and the GRNN model performs better than the other models with respect to
369 MAE and RMSE statistics. The accuracies of the applied models in testing stage rank as:
370 GRNN, MLP, LSSVM, MARS, FG, ANFIS-GP and MLR. The Ta seems to be the most
371 effective parameter in predicting Ep at this station, which is also confirmed by the high
372 correlation between Ta and Ep given in Table 1. The models with Hs input generally provide
373 worse results than those comprising Rg input parameter. Two-input LSSVM4, ANFIS-GP4
374 and SS models have similar accuracy and they perform inferior to the FG4, GRNN4, MARS4
375 and MLP4 models. The accuracies of the ANFIS-GP, FG, GRNN, LSSVM, MARS, MLP, SS
376 and MLR models in both training and testing stages are given in Table 8 for predicting Ep of
377 CQ station. Unlike the previous stations, four-input models generally provide the best
378 performance in this station. This implies that adding Ws input generally decreases the model
379 accuracies even though it does not have a low correlation ($R=0.58$) with Ep at CQ station. The
380 MLP6 and GRNN6 models have similar accuracies and they perform superior to the other
381 models. The accuracy ranks of the above applied models in testing stage are: MLP, GRNN,
382 FG, LSSVM, MARS, ANFIS-GP and MLR. Similar to the BJ station, the Rg input seems to
383 have more effects on Ep than the Ta and Hs input at CQ station than the other variables even
384 though the Hs has a higher correlation with Ep . Comparison of two-input models obviously
385 shows that the SS model has a better accuracy than those of the other two-input soft
386 computing models in testing period.



387 Table 9

388 Table 10

389 The training and testing accuracy of the soft computing models, SS and MLR in predicting Ep

390 of HZ station are provided in Table 9. In this station, four- and five-input models also have

391 the best accuracies. The optimal MLP and GRNN models have similar performance and they

392 perform superior to the other models in predicting Ep at HZ station. The performance ranks of

393 the optimal models are: MLP, GRNN, MARS, FG, LSSVM, ANFIS-GP and MLR. Similar to

394 the BJ station, the Rg variable which has a higher correlation with Ep (see Table 1) is much

395 more effective on estimating Ep than the Ta and Hs at HZ. Ta variable also provides better

396 accuracy than the Hs in predicting Ep . Comparisons of simple two-input models clearly

397 indicates that the MARS4 and MLP4 models have better accuracy than those of the SS model

398 while the ANFIS-GP4, FG4, GRNN4 and LSSVM4 provide inferior results in testing stage.

399 Table 10 compares the accuracy of the models in predicting Ep at HK station. From the table,

400 it is clear that the best accuracies were obtained from five-input models in predicting Ep . The

401 MLP model performs superior to the other models with respect to MAE, RMSE and R^2

402 statistics. The accuracies of the applied models in testing period rank as: MLP, MLR, GRNN,

403 MARS, LSSVM, ANFIS-GP and FG. The accuracies of the MLR and MLP model are close

404 to each other. Therefore, simple MLR model can be preferred instead of more complex soft

405 computing models in predicting Ep at HK station. Unlike the previous stations, the models

406 comprising Hs input provide better accuracy than those which use only Rg or Ta input. The

407 Rg variable also seems to be more effective on Ep than the Ta at HZ station. The difference

408 among the two-input models is very small and the GRNN4 and SS models perform slightly

409 better than the other two-input models in predicting Ep at HK station.

410 It can be seen from above analysis that adding RH or Ws inputs into the applied models

411 generally increased their accuracies in predicting Ep in all stations even though these



412 parameters had the lowest correlation with E_p (see Table 1). This indicates the non-linear
413 relationship between RH (Ws) and E_p and linear R^2 indicator cannot show this phenomenon.
414 General accuracies of the applied models are compared in Table 11. It is obvious that the
415 MLP model provides much better scores than the other methods in predicting E_p at above
416 eight stations (and data from all station) and the final accuracy ranks of the above models are:
417 MLP, GRNN, LSSVM, FG, ANFIS-GP, MARS and MLR. In some stations (e.g., BJ, CQ),
418 simple SS model performed superior to the two-input soft computing models and it can be
419 preferred in these stations where Hs , RH and Ws parameters are not available.

420

Table 11

421 Figs.6-13 illustrates the estimates of the optimal models in testing phase for eight stations in
422 the form of scatterplot. For HEP station, the fit line of the MARS model seems to be closer to
423 the ideal line ($y=x$) while the MLP model has the highest R^2 means less scattered estimates
424 than the other models. All the soft computing models provide close estimates to the
425 corresponding observed ones in ALT station while MLR generally tends to overestimation.
426 For MQ station, the LSSVM, MARS and MLR models provide more scattered estimates than
427 the ANN (MLP and GRNN) and fuzzy based ANFIS-GP and FG models. All the models
428 generally have good estimates at the BJ, CQ, HK and HZ stations. In LSA station, the MLP,
429 GRNN, LSSVM and MARS provide less scattered estimates than the fuzzy based ANFIS-GP,
430 FG and MLR models. From Figs.6-13, it is clear that the MLP model generally provided less
431 scattered estimates than the other models in all stations. The models generally provided the
432 worst accuracy in LSA station. One of the main reasons of this may be the fact that the E_p has
433 low correlations with the climatic input data at LSA in comparison with other stations. It is
434 clear from Fig. 12 that the SS model provides less scattered estimates for the ALT, CQ and
435 HZ in comparison with other stations.

436

Fig. 6



437 Fig. 7
438 Fig. 8
439 Fig. 9
440 Fig. 10
441 Fig. 11
442 Fig. 12
443 Fig. 13

444 The Ep data at all stations are further estimated using single generalized MLP, GRNN,
445 MARS, LSSVM, ANFIS-GP, FG, MLR and SS models. The optimal models are obtained
446 using training and testing data of above eight stations, the training and testing statistics of the
447 applied models are compared in Table 12. Similar to the previous results, the best accuracies
448 are obtained from the five-input models and the MLP model performs better than the other
449 models. The accuracies of the applied models in testing stage rank as: MLP, GRNN, LSSVM,
450 FG, ANFIS-GP, MARS and MLR. The Rg variable seems to be the most effective parameter
451 in predicting Ep for data from all station, and the models with Hs input generally provides
452 slightly better results than those comprising Ta input parameter. Two-input MARS4 and
453 ANFIS-GP4 models perform inferior to the FG4, GRNN4, LSSVM4 and MLP4 models; the
454 SS model has a lower accuracy than those of the other two-input soft computing models in
455 testing period (Table 12). It is also observed that only Ta or Hs input seems to be insufficient
456 for obtaining an accurate generalized Ep model and the model performances generally
457 increase with input numbers, which implies that all above climatic parameters have positive
458 effects on estimating Ep for most stations in different climates. The estimates of the
459 generalized models are illustrated in Figs.6-13 (see the last scatterplot in each figure). It is
460 clearly observed from the figures that the generalization significantly decreases models
461 accuracy in estimating Ep at all stations. However, all the soft computing models generally



462 have good generalization ability. Some underestimations of the high E_p values are clearly
463 seen for the generalized models. Different data ranges in training and test stages may be the
464 reason of this.

465 Table 12

466

467 **4. Conclusion**

468 This study investigated and compared the abilities of six different soft computing techniques,
469 MLP, GRNN, LSSVM, FG, ANFIS-GP, MARS, and two regression methods, MLR and SS,
470 in modeling E_p using different climatic input combinations of R_g , T_a , H_s , RH and W_s . The
471 climatic data obtained from eight stations in different climatic zones were used as inputs for
472 training and testing above models. In the first part of applications, the models with different
473 local input combinations were compared with each other in estimating E_p at each station,
474 separately. The results showed that the models with more inputs generally have better
475 accuracies and the MLP model performed superior to the other models in predicting monthly
476 E_p at most stations, however, the GRNN model performed better than the other models at
477 LSA station with respect to MAE and RMSE statistics. The R_g and T_a variables are more
478 effective on modeling E_p at most stations, while T_a seems to be the most important parameter
479 in predicting E_p at LSA, and adding W_s to the input combinations even decreases the model
480 accuracies. Sometimes, MLR model can be used for predicting E_p in tropic climate instead of
481 more complex soft computing models, and SS model can also be adopted for some stations in
482 regions of subtropical humid climate or temperate continental climate. The second part of
483 applications focused on estimating E_p of all stations using generalized models, which could
484 be successfully used for predicting E_p using different input combinations. The accuracies of
485 the applied models rank as: MLP, GRNN, LSSVM, FG, ANFIS-GP, MARS and MLR. The



486 R_g and H_s variables seem to be the most effective parameters in predicting Ep for data from
487 all stations.

488 In summary, it is revealed in this study that the MLP models are the most appropriate for
489 predicting Ep using limited climatic inputs in different climates. The present applications can
490 be practically adopted in the field of water resources management for accurately mapping
491 regional and global distributions of evaporation and related water resource storages.

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Table 1. Monthly statistical parameters of each data set for each station

Station	Dataset	x_{mean}	S_x	C_v	C_x	x_{min}	x_{max}	R
HEB	<i>Rg</i>	12.98	5.35	0.41	0.00	3.68	28.71	0.89
	<i>Ta</i>	4.17	14.52	3.48	-0.25	-24.71	25.25	0.86
	<i>Hs</i>	7.02	1.59	0.23	-0.25	2.82	10.89	0.79
	<i>RH</i>	65.44	11.01	0.17	-0.44	36.23	85.06	-0.36
	<i>Ws</i>	3.69	0.97	0.26	0.61	1.88	6.69	0.26
	<i>EP</i>	4.35	3.27	0.75	0.44	0.16	12.96	1
ALT	<i>Rg</i>	15.13	7.21	0.48	-0.06	2.34	27.69	0.92
	<i>Ta</i>	4.54	13.95	3.07	-0.25	-25.08	24.87	0.93
	<i>Hs</i>	8.2	2.52	0.31	-0.25	1.92	12.66	0.90
	<i>RH</i>	57.99	13.41	0.23	0	30.1	86.77	-0.89
	<i>Ws</i>	2.40	0.99	0.41	0.05	0.31	5.46	0.69
	<i>EP</i>	4.72	3.84	0.81	0.33	0.15	13.79	1
MQ	<i>Rg</i>	16.41	4.98	0.30	0.07	7.21	26.9	0.92
	<i>Ta</i>	8.33	11.32	1.36	-0.19	-15.46	25.72	0.93
	<i>Hs</i>	8.37	1.12	0.13	0.30	5.47	11.38	0.72
	<i>RH</i>	44.82	9.06	0.2	0.12	24.3	74.58	-0.29
	<i>Ws</i>	2.68	0.55	0.20	0.08	1.23	4.32	0.55
	<i>EP</i>	7.26	4.45	0.61	0.10	0.42	15.89	1
BJ	<i>Rg</i>	14.61	4.94	0.34	0.05	5.14	25.59	0.91
	<i>Ta</i>	12.20	10.74	0.88	-0.17	-7.6	29.56	0.75
	<i>Hs</i>	7.41	1.42	0.19	0.06	3.79	11.21	0.76
	<i>RH</i>	57.29	13.70	0.24	0.02	21.86	85.52	0.09
	<i>Ws</i>	2.50	0.67	0.27	0.49	1.07	4.65	0.14
	<i>EP</i>	5.09	2.83	0.56	0.70	0.85	15.63	1
LSA	<i>Rg</i>	20.41	4.20	0.21	0.11	10.39	30.69	0.68
	<i>Ta</i>	7.82	6.37	0.81	-0.21	-5.16	18.19	0.75
	<i>Hs</i>	8.19	0.96	0.12	-0.59	4.66	10.55	0.18
	<i>RH</i>	44.39	15.10	0.34	0.30	15.36	76.61	0.19
	<i>Ws</i>	1.90	0.46	0.24	0.30	0.92	3.41	0.34
	<i>EP</i>	6.35	2.23	0.35	0.36	2.15	13.28	1
CQ	<i>Rg</i>	8.80	4.69	0.53	0.43	0	21.32	0.92
	<i>Ta</i>	17.93	7.46	0.42	-0.10	0.64	30.90	0.85
	<i>Hs</i>	2.83	2.02	0.71	0.91	0	9.19	0.94
	<i>RH</i>	79.15	8.55	0.11	-4.66	6.97	90.30	-0.40
	<i>Ws</i>	1.36	0.34	0.25	-0.12	0.64	2.13	0.58
	<i>EP</i>	2.86	1.94	0.68	0.87	0.54	9.32	1
HZ	<i>Rg</i>	11.63	4.20	0.36	0.54	3.93	24.83	0.94
	<i>Ta</i>	16.45	8.46	0.51	-0.06	-0.01	31.03	0.88
	<i>Hs</i>	4.99	1.74	0.35	0.63	1.19	11.25	0.80
	<i>RH</i>	78.04	5.63	0.07	-0.80	53.74	90.42	-0.04
	<i>Ws</i>	2.24	0.43	0.19	0.05	1.01	3.58	0.13
	<i>EP</i>	3.65	1.94	0.53	0.84	0.74	11.33	1
HK	<i>Rg</i>	13.86	4.33	0.31	-0.05	4.06	24.34	0.90
	<i>Ta</i>	24.08	4.07	0.17	-0.55	13.21	29.83	0.81



<i>Hs</i>	5.83	1.96	0.34	-0.26	0.47	9.94	0.89
<i>RH</i>	84.14	3.61	0.04	-0.52	71.39	94.46	-0.41
<i>Ws</i>	2.65	0.66	0.25	0.61	1.33	4.98	0.04
<i>EP</i>	5.00	1.59	0.32	0.08	1.37	9.97	1

611 The unit of *Rg*, *Ta*, *Pa*, *Ws* and *EP* are MJ m⁻², °C, hPa.ms⁻¹ and mm, respectively; *x*_{mean}, *S*_x, *C*_v, *C*_x, *x*_{min} and
612 *x*_{max} denote the mean, standard deviation, variation coefficient, skewness, minimum and maximum values,
613 respectively.

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621 Table 2. The input combinations for different artificial intelligence techniques.

		Models				Input combinations
ANFIS-GP	FG	GRNN	LSSV	MARS	MLP	
ANFIS-GP1	FG1	GRNN1	LSSV1	MARS1	MLP1	<i>Rg</i>
ANFIS-GP2	FG2	GRNN2	LSSV2	MARS2	MLP2	<i>Ta</i>
ANFIS-GP3	FG3	GRNN3	LSSV3	MARS3	MLP3	<i>Hs</i>
ANFIS-GP4	FG4	GRNN4	LSSV4	MARS4	MLP4	<i>Rg, Ta</i>
ANFIS-GP5	FG5	GRNN5	LSSV5	MARS5	MLP5	<i>Rg, Ta, Hs</i>
ANFIS-GP6	FG6	GRNN6	LSSV6	MARS6	MLP6	<i>Rg, Ta, Hs, RH</i>
ANFIS-GP7	FG7	GRNN7	LSSV7	MARS7	MLP7	<i>Rg, Ta, Hs, RH, Ws</i>

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636 Table 3. Comparisons of different models for predicting E_p at HEB.

HEB	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	1.062	1.411	0.815	1.044	1.431	0.819
ANFIS-GP2	1.226	1.68	0.737	1.082	1.471	0.797
ANFIS-GP3	1.589	2.05	0.609	1.496	1.834	0.726
ANFIS-GP4	0.865	1.225	0.86	0.781	1.089	0.894
ANFIS-GP5	0.785	1.167	0.873	0.645	0.907	0.923
ANFIS-GP6	0.429	0.601	0.966	0.517	0.751	0.956
ANFIS-GP7	0.378	0.521	0.975	0.431	0.6	0.967
FG1	1.031	1.371	0.825	1.031	1.507	0.816
FG2	1.151	1.632	0.752	1.077	1.502	0.786
FG3	1.528	2.008	0.625	1.354	1.798	0.74
FG4	0.719	1.071	0.893	0.688	1.178	0.891
FG5	0.67	1.002	0.907	0.673	1.059	0.897
FG6	0.39	0.56	0.971	0.474	0.69	0.961
FG7	0.305	0.421	0.983	0.435	0.661	0.959
GRNN1	1.057	1.428	0.819	1.039	1.403	0.817
GRNN2	1.155	1.632	0.753	1.057	1.475	0.796
GRNN3	1.519	2	0.628	1.379	1.816	0.738
GRNN4	0.729	1.089	0.892	0.733	1.116	0.886
GRNN5	0.703	1.042	0.901	0.652	0.988	0.908
GRNN6	0.405	0.579	0.97	0.492	0.785	0.943
GRNN7	0.343	0.483	0.979	0.499	0.745	0.951
LSSV1	1.035	1.375	0.824	1.025	1.426	0.82
LSSV2	1.131	1.619	0.756	1.062	1.491	0.79
LSSV3	1.685	2.135	0.604	1.557	1.951	0.712
LSSV4	0.675	1.007	0.906	0.703	1.099	0.89
LSSV5	0.901	1.267	0.853	0.761	1.031	0.9
LSSV6	0.556	0.812	0.941	0.591	0.864	0.934
LSSV7	0.808	1.092	0.901	0.84	1.082	0.903
MARS1	1.038	1.371	0.825	1.064	1.581	0.805
MARS2	1.067	1.523	0.784	1.098	1.584	0.767
MARS3	1.537	2.01	0.624	1.369	1.795	0.744
MARS4	0.659	0.972	0.912	0.806	1.39	0.861
MARS5	0.659	0.972	0.912	0.806	1.39	0.861
MARS6	0.548	0.72	0.952	0.596	0.959	0.931
MARS7	0.507	0.641	0.962	0.581	0.763	0.949
MLP1	1.044	1.374	0.824	1.03	1.483	0.818
MLP2	1.082	1.567	0.771	1.03	1.49	0.792
MLP3	1.135	1.618	0.757	1.04	1.46	0.798
MLP4	0.655	0.963	0.914	0.716	1.148	0.892
MLP5	0.608	0.908	0.923	0.584	0.879	0.928
MLP6	0.314	0.458	0.98	0.409	0.607	0.97
MLP7	0.279	0.398	0.985	0.314	0.405	0.988
SS	0.954	1.327	0.838	0.822	1.152	0.886
MLR	0.825	1.05	0.897	0.874	1.16	0.875

637



638 Table 4. Comparisons of different models for predicting Ep at ALT.

ALT	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	1.19	1.597	0.841	1.003	1.268	0.896
ANFIS-GP2	1.19	1.506	0.859	1.11	1.435	0.884
ANFIS-GP3	1.345	1.763	0.807	1.214	1.601	0.844
ANFIS-GP4	0.535	0.786	0.962	0.707	1.013	0.973
ANFIS-GP5	0.494	0.737	0.966	0.691	1.012	0.977
ANFIS-GP6	0.286	0.411	0.99	0.398	0.586	0.984
ANFIS-GP7	0.241	0.351	0.992	0.371	0.545	0.987
FG1	1.079	1.398	0.878	0.994	1.3	0.891
FG2	0.78	1.065	0.929	0.953	1.29	0.928
FG3	1.052	1.375	0.882	1.002	1.328	0.92
FG4	0.45	0.703	0.969	0.67	1.027	0.971
FG5	0.49	0.717	0.968	0.697	1.043	0.971
FG6	0.266	0.38	0.991	0.391	0.575	0.987
FG7	0.253	0.343	0.993	0.394	0.57	0.988
GRNN1	1.172	1.516	0.865	0.881	1.113	0.906
GRNN2	0.875	1.223	0.913	0.882	1.187	0.927
GRNN3	1.173	1.552	0.868	0.885	1.213	0.91
GRNN4	0.532	0.84	0.957	0.663	0.936	0.977
GRNN5	0.527	0.809	0.96	0.69	0.952	0.982
GRNN6	0.192	0.301	0.994	0.47	0.657	0.989
GRNN7	0.158	0.251	0.996	0.476	0.679	0.986
LSSV1	1.077	1.421	0.875	0.928	1.212	0.9
LSSV2	0.776	1.058	0.93	0.957	1.294	0.927
LSSV3	1.063	1.381	0.881	0.986	1.299	0.92
LSSV4	0.514	0.763	0.964	0.669	0.957	0.973
LSSV5	0.481	0.732	0.967	0.669	0.974	0.978
LSSV6	0.303	0.435	0.989	0.369	0.528	0.987
LSSV7	0.39	0.587	0.98	0.487	0.647	0.986
MARS1	1.032	1.371	0.883	0.956	1.269	0.899
MARS2	0.748	1.029	0.934	0.927	1.28	0.929
MARS3	1.043	1.356	0.886	1.043	1.367	0.916
MARS4	0.437	0.657	0.973	0.641	0.996	0.975
MARS5	0.438	0.658	0.973	0.644	1.0	0.975
MARS6	0.29	0.411	0.989	0.428	0.655	0.985
MARS7	0.276	0.382	0.991	0.403	0.622	0.987
MLP1	1.03	1.363	0.884	0.951	1.268	0.897
MLP2	0.787	1.07	0.929	0.951	1.282	0.93
MLP3	0.752	1.039	0.933	0.93	1.28	0.929
MLP4	0.445	0.689	0.97	0.667	1.033	0.971
MLP5	0.521	0.769	0.963	0.659	1.017	0.974
MLP6	0.234	0.34	0.993	0.348	0.523	0.989
MLP7	0.161	0.211	0.989	0.19	0.265	0.989
SS	0.539	0.761	0.964	0.681	1.053	0.963
MLR	0.712	0.89	0.951	0.74	0.861	0.969

639



640 Table 5. Comparisons of different models for predicting Ep at MQ.

MQ	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	1.337	1.76	0.85	1.133	1.396	0.941
ANFIS-GP2	1.33	1.698	0.86	1.203	1.587	0.863
ANFIS-GP3	2.467	3.11	0.53	2.453	3.045	0.55
ANFIS-GP4	0.83	1.178	0.933	0.868	1.22	0.952
ANFIS-GP5	0.828	1.165	0.828	0.882	1.229	0.951
ANFIS-GP6	0.648	0.886	0.962	0.608	0.81	0.981
ANFIS-GP7	0.474	0.66	0.979	0.512	0.646	0.987
FG1	1.297	1.735	0.854	1.112	1.412	0.926
FG2	1.263	1.638	0.87	1.198	1.555	0.87
FG3	2.447	3.057	0.546	2.373	2.953	0.58
FG4	0.828	1.178	0.933	0.854	1.196	0.952
FG5	0.795	1.13	0.938	0.923	1.335	0.942
FG6	0.608	0.81	0.968	0.636	0.805	0.978
FG7	0.456	0.614	0.983	0.435	0.574	0.99
GRNN1	1.427	1.814	0.854	1.071	1.315	0.925
GRNN2	1.225	1.593	0.877	1.148	1.504	0.876
GRNN3	2.663	3.15	0.542	2.381	2.821	0.596
GRNN4	0.733	1.056	0.946	0.78	1.089	0.954
GRNN5	0.647	0.944	0.957	0.815	1.161	0.951
GRNN6	0.329	0.486	0.989	0.634	0.892	0.972
GRNN7	0.248	0.392	0.993	0.548	0.74	0.981
LSSV1	1.343	1.758	0.85	1.094	1.368	0.935
LSSV2	1.274	1.643	0.869	1.187	1.548	0.869
LSSV3	2.46	3.057	0.547	2.383	2.942	0.574
LSSV4	1.06	1.365	0.925	0.93	1.107	0.951
LSSV5	0.815	1.143	0.937	0.9	1.225	0.945
LSSV6	0.934	1.193	0.94	0.891	1.089	0.962
LSSV7	0.888	1.113	0.95	0.767	0.927	0.97
MARS1	1.291	1.728	0.855	1.092	1.404	0.928
MARS2	1.076	1.462	0.896	1.078	1.471	0.888
MARS3	2.419	3.039	0.552	2.436	2.996	0.564
MARS4	0.815	1.144	0.936	0.922	1.23	0.947
MARS5	0.807	1.126	0.938	0.97	1.29	0.95
MARS6	0.668	0.87	0.963	0.735	0.929	0.973
MARS7	0.546	0.72	0.975	0.627	0.826	0.977
MLP1	1.297	1.735	0.854	1.107	1.408	0.928
MLP2	1.057	1.458	0.897	1.113	1.492	0.888
MLP3	1.139	1.524	0.887	1.108	1.488	0.884
MLP4	0.724	1.026	0.949	0.797	1.074	0.96
MLP5	0.742	1.064	0.945	0.821	1.113	0.959
MLP6	0.538	0.738	0.974	0.538	0.716	0.981
MLP7	0.384	0.532	0.986	0.358	0.489	0.99
SS	0.922	1.281	0.92	1.039	1.389	0.944
MLR	0.77	0.967	0.955	0.784	0.921	0.972

641



642 Table 6. Comparisons of different models for predicting Ep at BJ.

BJ	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	0.872	1.205	0.826	0.749	0.956	0.922
ANFIS-GP2	1.439	1.907	0.564	1.294	1.554	0.662
ANFIS-GP3	1.431	1.818	0.603	1.482	1.88	0.561
ANFIS-GP4	0.846	1.189	0.831	0.717	0.923	0.921
ANFIS-GP5	0.742	1.071	0.862	0.688	0.972	0.909
ANFIS-GP6	0.464	0.735	0.935	0.384	0.51	0.965
ANFIS-GP7	0.424	0.657	0.948	0.361	0.48	0.971
FG1	0.835	1.127	0.848	0.823	1.075	0.914
FG2	1.416	1.891	0.571	1.256	1.544	0.665
FG3	1.387	1.733	0.64	1.483	1.846	0.561
FG4	0.742	1.063	0.864	0.688	0.997	0.922
FG5	0.721	1.052	0.867	0.679	0.959	0.926
FG6	0.451	0.721	0.938	0.394	0.484	0.971
FG7	0.431	0.655	0.949	0.431	0.586	0.963
GRNN1	0.819	1.114	0.852	0.811	1.062	0.916
GRNN2	1.379	1.852	0.589	1.23	1.52	0.678
GRNN3	1.374	1.727	0.647	1.491	1.843	0.564
GRNN4	0.626	0.924	0.898	0.657	0.939	0.904
GRNN5	0.665	0.998	0.882	0.639	0.947	0.914
GRNN6	0.32	0.533	0.966	0.391	0.513	0.962
GRNN7	0.166	0.301	0.989	0.356	0.473	0.968
LSSV1	0.842	1.139	0.845	0.824	1.062	0.911
LSSV2	1.519	1.986	0.552	1.441	1.658	0.647
LSSV3	1.386	1.734	0.64	1.483	1.841	0.562
LSSV4	0.743	1.069	0.864	0.69	0.977	0.922
LSSV5	0.823	1.184	0.839	0.692	0.958	0.911
LSSV6	0.736	1.078	0.875	0.622	0.827	0.925
LSSV7	0.486	0.76	0.933	0.338	0.444	0.973
MARS1	0.829	1.118	0.85	0.854	1.071	0.915
MARS2	1.364	1.832	0.597	1.282	1.607	0.659
MARS3	1.355	1.717	0.647	1.477	1.846	0.565
MARS4	0.705	0.979	0.885	0.68	0.976	0.909
MARS5	0.687	0.972	0.887	0.687	0.991	0.903
MARS6	0.52	0.767	0.929	0.5	0.603	0.963
MARS7	0.478	0.717	0.938	0.427	0.527	0.971
MLP1	0.784	1.075	0.861	0.813	1.045	0.914
MLP2	1.325	1.803	0.61	1.249	1.595	0.677
MLP3	1.401	1.875	0.578	1.236	1.523	0.678
MLP4	0.675	0.968	0.888	0.66	0.974	0.911
MLP5	0.653	0.962	0.889	0.62	0.907	0.904
MLP6	0.417	0.692	0.943	0.312	0.394	0.982
MLP7	0.337	0.506	0.969	0.314	0.428	0.979
SS	0.89	1.263	0.816	0.647	0.921	0.897
MLR	0.614	0.879	0.907	0.514	0.648	0.946

643



644 Table 7. Comparisons of different models for predicting E_p at LSA.

LSA	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	1.327	1.718	0.411	1.072	1.424	0.594
ANFIS-GP2	1.245	1.523	0.536	1.192	1.417	0.601
ANFIS-GP3	1.821	2.218	0.017	1.796	2.148	0.055
ANFIS-GP4	1.149	1.471	0.568	1.046	1.304	0.651
ANFIS-GP5	0.966	1.223	0.701	0.875	1.082	0.761
ANFIS-GP6	0.529	0.675	0.909	0.73	0.907	0.896
ANFIS-GP7	0.478	0.61	0.926	0.816	1.038	0.875
FG1	1.324	1.715	0.413	1.073	1.415	0.6
FG2	1.151	1.465	0.571	1.159	1.392	0.621
FG3	1.803	2.169	0.06	1.771	2.093	0.118
FG4	1.044	1.381	0.619	0.987	1.201	0.725
FG5	0.968	1.215	0.705	0.896	1.099	0.757
FG6	0.499	0.631	0.921	0.767	0.925	0.903
FG7	0.491	0.61	0.926	0.729	0.886	0.914
GRNN1	1.296	1.692	0.429	1.094	1.436	0.587
GRNN2	1.025	1.336	0.647	1.072	1.288	0.679
GRNN3	1.783	2.152	0.077	1.762	2.08	0.134
GRNN4	0.841	1.131	0.751	0.817	1.032	0.795
GRNN5	0.639	0.844	0.862	0.714	0.937	0.828
GRNN6	0.33	0.427	0.965	0.533	0.65	0.926
GRNN7	0.326	0.417	0.967	0.459	0.592	0.933
LSSV1	1.376	1.754	0.41	1.211	1.508	0.599
LSSV2	1.22	1.499	0.554	1.213	1.422	0.606
LSSV3	1.811	2.209	0.027	1.791	2.144	0.07
LSSV4	1.163	1.476	0.573	1.078	1.31	0.663
LSSV5	0.987	1.253	0.69	0.894	1.085	0.777
LSSV6	0.462	0.601	0.933	0.646	0.799	0.916
LSSV7	0.47	0.609	0.932	0.591	0.713	0.928
MARS1	1.316	1.713	0.414	1.072	1.412	0.602
MARS2	1.012	1.318	0.653	1.098	1.299	0.683
MARS3	1.82	2.182	0.049	1.766	2.089	0.12
MARS4	0.917	1.23	0.698	0.947	1.176	0.735
MARS5	0.94	1.227	0.699	0.913	1.135	0.746
MARS6	0.501	0.641	0.918	0.762	0.929	0.91
MARS7	0.528	0.66	0.913	0.697	0.85	0.92
MLP1	1.308	1.707	0.418	1.073	1.413	0.596
MLP2	0.992	1.307	0.659	1.111	1.313	0.675
MLP3	0.994	1.316	0.654	1.108	1.312	0.675
MLP4	0.883	1.187	0.719	0.918	1.123	0.754
MLP5	0.686	0.91	0.835	0.728	0.958	0.825
MLP6	0.397	0.503	0.949	0.629	0.771	0.928
MLP7	0.522	0.681	0.907	0.53	0.638	0.936
SS	1.198	1.577	0.515	0.969	1.307	0.652
MLR	0.628	0.795	0.874	0.656	0.789	0.906

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646 Table 8. Comparisons of different models for predicting Ep at CQ.

CQ	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	0.466	0.859	0.815	0.28	0.397	0.958
ANFIS-GP2	0.82	1.189	0.645	0.693	0.959	0.748
ANFIS-GP3	0.539	0.722	0.869	0.537	0.679	0.876
ANFIS-GP4	0.416	0.786	0.845	0.316	0.398	0.959
ANFIS-GP5	0.369	0.492	0.939	0.242	0.329	0.968
ANFIS-GP6	0.225	0.29	0.979	0.224	0.312	0.976
ANFIS-GP7	0.187	0.244	0.985	0.203	0.3	0.978
FG1	0.467	0.805	0.837	0.294	0.375	0.963
FG2	0.611	0.881	0.805	0.571	0.691	0.873
FG3	0.474	0.672	0.887	0.479	0.607	0.905
FG4	0.385	0.704	0.876	0.303	0.384	0.96
FG5	0.297	0.402	0.959	0.273	0.19	0.944
FG6	0.275	0.359	0.968	0.3	0.407	0.955
FG7	0.195	0.25	0.984	0.182	0.28	0.981
GRNN1	0.437	0.746	0.861	0.284	0.374	0.963
GRNN2	0.574	0.845	0.823	0.507	0.651	0.883
GRNN3	0.453	0.652	0.893	0.473	0.61	0.902
GRNN4	0.328	0.645	0.897	0.285	0.37	0.962
GRNN5	0.221	0.308	0.976	0.24	0.327	0.968
GRNN6	0.145	0.203	0.99	0.177	0.24	0.983
GRNN7	0.227	0.308	0.977	0.234	0.297	0.975
LSSV1	0.714	1.028	0.81	0.6	0.734	0.961
LSSV2	0.552	0.825	0.829	0.503	0.65	0.888
LSSV3	0.687	0.862	0.887	0.625	0.765	0.906
LSSV4	0.543	0.873	0.833	0.449	0.58	0.94
LSSV5	0.336	0.48	0.942	0.292	0.372	0.959
LSSV6	0.314	0.496	0.94	0.219	0.284	0.977
LSSV7	0.317	0.49	0.942	0.22	0.292	0.976
MARS1	0.451	0.709	0.874	0.28	0.441	0.943
MARS2	0.555	0.822	0.83	0.498	0.651	0.889
MARS3	0.453	0.664	0.889	0.466	0.599	0.904
MARS4	0.363	0.624	0.902	0.33	0.441	0.95
MARS5	0.336	0.48	0.942	0.292	0.372	0.959
MARS6	0.273	0.426	0.954	0.219	0.299	0.974
MARS7	0.267	0.417	0.956	0.25	0.323	0.956
MLP1	0.419	0.733	0.865	0.27	0.371	0.96
MLP2	0.55	0.81	0.835	0.509	0.658	0.887
MLP3	0.568	0.845	0.82	0.502	0.637	0.893
MLP4	0.334	0.65	0.894	0.266	0.355	0.966
MLP5	0.252	0.348	0.97	0.218	0.296	0.975
MLP6	0.185	0.239	0.986	0.167	0.23	0.985
MLP7	0.161	0.211	0.989	0.189	0.265	0.985
SS	0.379	0.786	0.847	0.226	0.307	0.973
MLR	0.389	0.534	0.928	0.317	0.398	0.955

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648 Table 9. Comparisons of different models for predicting Ep at HZ station.

	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	0.532	0.698	0.87	0.451	0.605	0.903
ANFIS-GP2	0.72	1.001	0.734	0.728	0.965	0.754
ANFIS-GP3	0.937	1.164	0.64	0.991	1.178	0.694
ANFIS-GP4	0.377	0.521	0.928	0.333	0.448	0.948
ANFIS-GP5	0.357	0.482	0.938	0.311	0.397	0.961
ANFIS-GP6	0.272	0.356	0.966	0.329	0.427	0.965
ANFIS-GP7	0.242	0.312	0.974	0.347	0.453	0.949
FG1	0.519	0.686	0.875	0.438	0.59	0.908
FG2	0.62	0.817	0.822	0.626	0.786	0.837
FG3	0.943	1.151	0.648	1.01	1.188	0.699
FG4	0.358	0.485	0.938	0.299	0.397	0.959
FG5	0.344	0.462	0.943	0.29	0.373	0.965
FG6	0.269	0.347	0.968	0.295	0.375	0.974
FG7	0.26	0.36	0.966	0.278	0.369	0.964
GRNN1	0.519	0.68	0.878	0.457	0.607	0.904
GRNN2	0.556	0.733	0.859	0.581	0.736	0.86
GRNN3	0.926	1.127	0.664	1.02	1.197	0.705
GRNN4	0.322	0.438	0.949	0.314	0.409	0.957
GRNN5	0.238	0.327	0.972	0.295	0.404	0.961
GRNN6	0.232	0.3	0.977	0.275	0.346	0.969
GRNN7	0.223	0.295	0.978	0.335	0.445	0.956
LSSV1	0.593	0.801	0.87	0.572	0.731	0.903
LSSV2	0.715	0.984	0.778	0.733	0.97	0.799
LSSV3	0.996	1.214	0.638	1.074	1.267	0.678
LSSV4	0.413	0.594	0.924	0.399	0.548	0.94
LSSV5	0.398	0.554	0.929	0.376	0.509	0.953
LSSV6	0.278	0.378	0.964	0.3	0.372	0.968
LSSV7	0.292	0.406	0.959	0.338	0.441	0.957
MARS1	0.52	0.69	0.874	0.443	0.601	0.904
MARS2	0.534	0.686	0.875	0.524	0.673	0.881
MARS3	0.915	1.125	0.664	0.999	1.189	0.698
MARS4	0.339	0.449	0.946	0.273	0.362	0.966
MARS5	0.335	0.437	0.949	0.282	0.358	0.966
MARS6	0.286	0.37	0.964	0.318	0.393	0.976
MARS7	0.27	0.358	0.966	0.276	0.361	0.967
MLP1	0.529	0.691	0.873	0.449	0.598	0.906
MLP2	0.523	0.68	0.877	0.523	0.674	0.881
MLP3	0.908	1.124	0.664	0.992	1.181	0.698
MLP4	0.334	0.65	0.894	0.266	0.355	0.966
MLP5	0.333	0.446	0.947	0.279	0.348	0.968
MLP6	0.247	0.326	0.972	0.318	0.405	0.978
MLP7	0.244	0.319	0.973	0.263	0.34	0.977
SS	0.35	0.487	0.938	0.291	0.388	0.96
MLR	0.32	0.427	0.952	0.395	0.486	0.942

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650 Table 10. Comparisons of different models for predicting E_p at HK.

HK	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	0.528	0.688	0.814	0.669	0.8	0.854
ANFIS-GP2	0.741	0.964	0.634	0.802	0.97	0.742
ANFIS-GP3	0.619	0.798	0.749	0.482	0.61	0.851
ANFIS-GP4	0.488	0.646	0.836	0.66	0.796	0.861
ANFIS-GP5	0.46	0.597	0.86	0.494	0.609	0.891
ANFIS-GP6	0.388	0.501	0.901	0.809	0.93	0.919
ANFIS-GP7	0.286	0.379	0.943	0.428	0.555	0.925
FG1	0.506	0.661	0.828	0.662	0.792	0.858
FG2	0.716	0.914	0.671	0.793	0.94	0.784
FG3	0.612	0.768	0.768	0.503	0.63	0.85
FG4	0.471	0.626	0.846	0.659	0.786	0.875
FG5	0.451	0.591	0.863	0.485	0.596	0.895
FG6	0.39	0.496	0.903	0.718	0.849	0.92
FG7	0.381	0.494	0.904	0.452	0.566	0.886
GRNN1	0.505	0.666	0.829	0.673	0.81	0.854
GRNN2	0.699	0.902	0.681	0.786	0.929	0.776
GRNN3	0.6	0.759	0.775	0.511	0.642	0.845
GRNN4	0.452	0.605	0.859	0.65	0.771	0.879
GRNN5	0.405	0.535	0.889	0.484	0.589	0.892
GRNN6	0.408	0.538	0.894	0.539	0.651	0.916
GRNN7	0.241	0.342	0.956	0.415	0.512	0.917
LSSV1	0.51	0.671	0.826	0.659	0.791	0.859
LSSV2	0.717	0.924	0.665	0.788	0.934	0.78
LSSV3	0.614	0.781	0.766	0.519	0.643	0.852
LSSV4	0.481	0.64	0.841	0.661	0.789	0.87
LSSV5	0.446	0.583	0.867	0.483	0.596	0.891
LSSV6	0.414	0.528	0.891	0.625	0.748	0.919
LSSV7	0.313	0.41	0.935	0.419	0.529	0.918
MARS1	0.505	0.662	0.828	0.665	0.79	0.862
MARS2	0.664	0.862	0.708	0.858	1.023	0.766
MARS3	0.603	0.758	0.774	0.5	0.632	0.845
MARS4	0.438	0.581	0.867	0.733	0.899	0.869
MARS5	0.426	0.547	0.882	0.536	0.691	0.891
MARS6	0.407	0.517	0.895	0.682	0.807	0.917
MARS7	0.322	0.414	0.932	0.397	0.515	0.927
MLP1	0.512	0.671	0.823	0.657	0.793	0.855
MLP2	0.686	0.878	0.697	0.822	0.979	0.792
MLP3	0.707	0.903	0.679	0.821	0.973	0.79
MLP4	0.47	0.623	0.847	0.657	0.779	0.878
MLP5	0.421	0.542	0.884	0.485	0.594	0.897
MLP6	0.431	0.554	0.88	0.671	0.786	0.916
MLP7	0.34	0.444	0.923	0.386	0.491	0.930
SS	0.523	0.683	0.827	0.64	0.773	0.823
MLR	0.328	0.431	0.927	0.396	0.505	0.927

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Table 11. Accuracy ranks of the soft computing models in estimating Ep .

Stations	ANFIS-GP	FG	GRNN	LSSVR	MARS	MLP	MLR
HEB	2	3	4	6	5	1	7
ALT	3	4	6	2	5	1	7
MQ	3	2	4	7	5	1	6
BJ	4	5	3	2	6	1	7
LSA	6	5	1	3	4	2	7
CQ	6	3	2	4	5	1	7
HZ	6	4	2	5	3	1	7
HK	6	7	3	5	4	1	2
ALL	4	5	2	3	6	1	7
Total	40	38	27	37	43	10	57

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695 Table 12. Comparisons of different models for predicting Ep at all stations.

	MAE	RMSE	R^2	MAE	RMSE	R^2
ANFIS-GP1	1.204	1.681	0.739	1.022	1.378	0.804
ANFIS-GP2	1.906	2.522	0.412	1.768	2.345	0.437
ANFIS-GP3	1.913	2.377	0.478	1.877	2.262	0.475
ANFIS-GP4	0.994	1.446	0.807	0.88	1.228	0.847
ANFIS-GP5	0.917	1.341	0.834	0.782	1.113	0.872
ANFIS-GP6	0.606	0.846	0.934	0.601	0.833	0.933
ANFIS-GP7	0.517	0.738	0.95	0.486	0.666	0.957
FG1	1.208	1.676	0.74	1.028	1.377	0.805
FG2	1.883	2.511	0.417	1.741	2.332	0.443
FG3	1.8	2.221	0.544	1.812	2.148	0.524
FG4	0.936	1.378	0.824	0.821	1.154	0.865
FG5	0.883	1.294	0.845	0.753	1.072	0.882
FG6	0.589	0.834	0.936	0.607	0.842	0.931
FG7	0.518	0.744	0.949	0.495	0.678	0.956
GRNN1	1.193	1.669	0.743	1.013	1.373	0.806
GRNN2	1.859	2.49	0.427	1.716	2.311	0.453
GRNN3	1.772	2.216	0.549	1.773	2.127	0.532
GRNN4	0.819	1.234	0.86	0.733	1.075	0.884
GRNN5	0.724	1.114	0.886	0.642	0.963	0.905
GRNN6	0.458	0.674	0.958	0.489	0.723	0.947
GRNN7	0.265	0.425	0.984	0.364	0.573	0.967
LSSV1	1.198	1.667	0.743	1.017	1.371	0.807
LSSV2	1.85	2.495	0.425	1.703	2.312	0.453
LSSV3	1.854	2.314	0.506	1.858	2.215	0.493
LSSV4	0.935	1.386	0.823	0.806	1.149	0.866
LSSV5	0.933	1.369	0.827	0.8	1.134	0.867
LSSV6	0.824	1.148	0.879	0.774	1.023	0.893
LSSV7	0.494	0.719	0.952	0.476	0.657	0.958
MARS1	1.198	1.666	0.744	1.021	1.373	0.806
MARS2	1.793	2.428	0.455	1.676	2.268	0.476
MARS3	1.782	2.209	0.549	1.788	2.131	0.532
MARS4	1.025	1.439	0.808	0.929	1.235	0.845
MARS5	0.925	1.324	0.838	0.804	1.113	0.873
MARS6	0.783	1.032	0.902	0.76	0.963	0.909
MARS7	0.692	0.933	0.920	0.654	0.829	0.932
MLP1	1.196	1.663	0.744	1.02	1.373	0.806
MLP2	1.835	2.485	0.429	1.689	2.304	0.457
MLP3	1.842	2.491	0.426	1.695	2.302	0.458
MLP4	0.836	1.256	0.854	0.74	1.086	0.882
MLP5	0.774	1.181	0.871	0.649	0.98	0.902
MLP6	0.529	0.758	0.947	0.531	0.77	0.943
MLP7	0.279	0.398	0.985	0.314	0.405	0.988
SS	1.107	1.544	0.785	1.007	1.336	0.823
MLR	0.905	1.235	0.859	0.86	1.091	0.88

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699 **Figure captions:**

700 Fig.1. Schematic architecture of: a) MLP neural network; b) GRNN.

701 Fig.2. Schematic architecture of network-based ANFIS.

702 Fig.3. The geographical locations of the stations in different climatic zones.

703 Fig.4. The annual variations of Ep and associated climatic parameters in each station.

704 Fig.5. Monthly variations of Ep and associated climatic parameters in each station.

705 Fig.6. Comparison of the observed and estimated Ep using the optimal ANFIS-GP model
706 during the testing period.

707 Fig.7. Comparison of the observed and estimated Ep using the optimal FG model during the
708 testing period.

709 Fig.8. Comparison of the observed and estimated Ep using the optimal GRNN model during
710 the testing period.

711 Fig.9. Comparison of the observed and estimated Ep using the optimal LSSVM model during
712 the testing period.

713 Fig.10. Comparison of the observed and estimated Ep using the optimal MARS model during
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715 Fig.11. Comparison of the observed and estimated Ep using the optimal MLP model during
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717 Fig.12. Comparison of the observed and estimated Ep using the optimal SS model during the
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719 Fig.13. Comparison of the observed and estimated Ep using the optimal MLR model during
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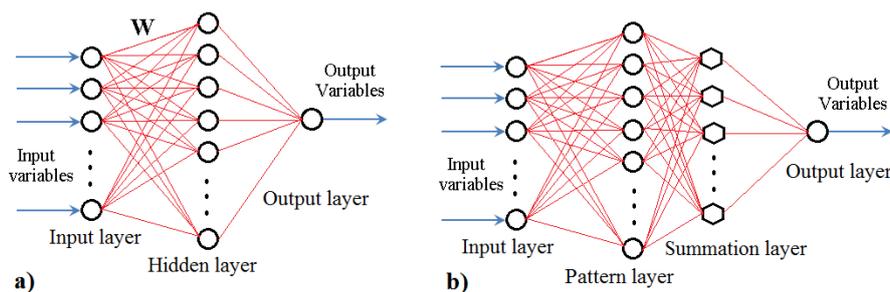
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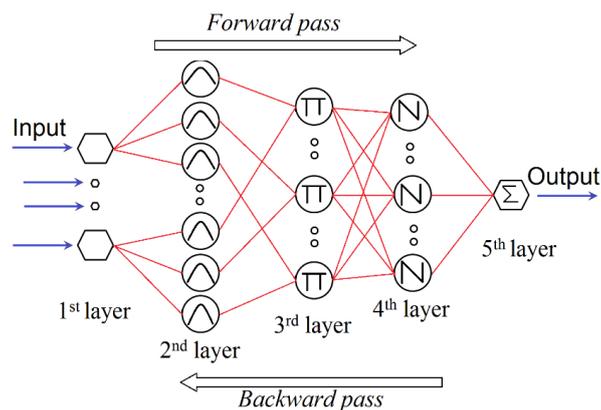
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742 Fig. 1. Schematic architecture of: a) MLP neural network; b) GRNN.

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785 Fig. 2. Schematic architecture of network-based ANFIS.

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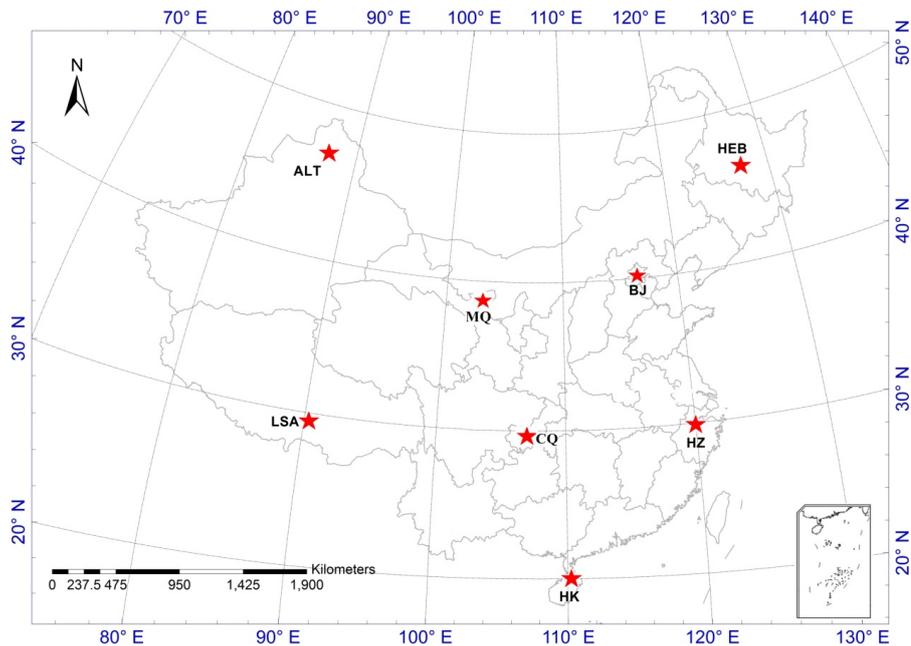
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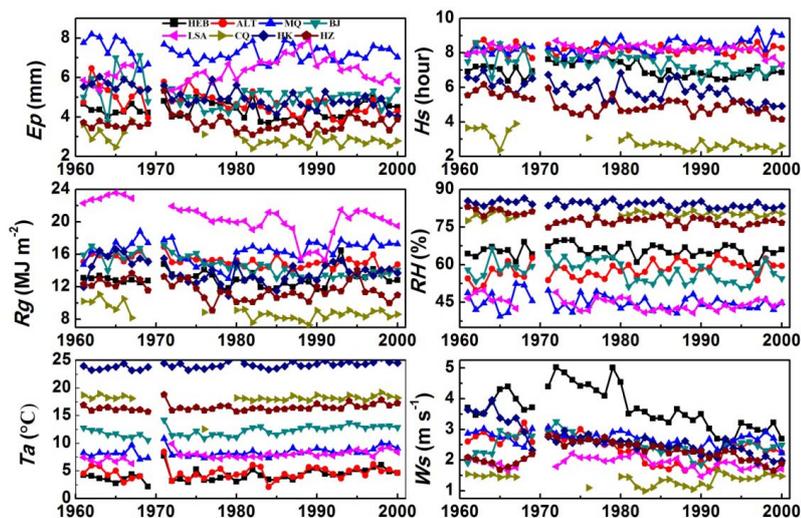


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Fig.3. The geographical locations of the stations in different climatic zones.



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848 Fig.4. The annual variations of Ep and associated climatic parameters in each station.

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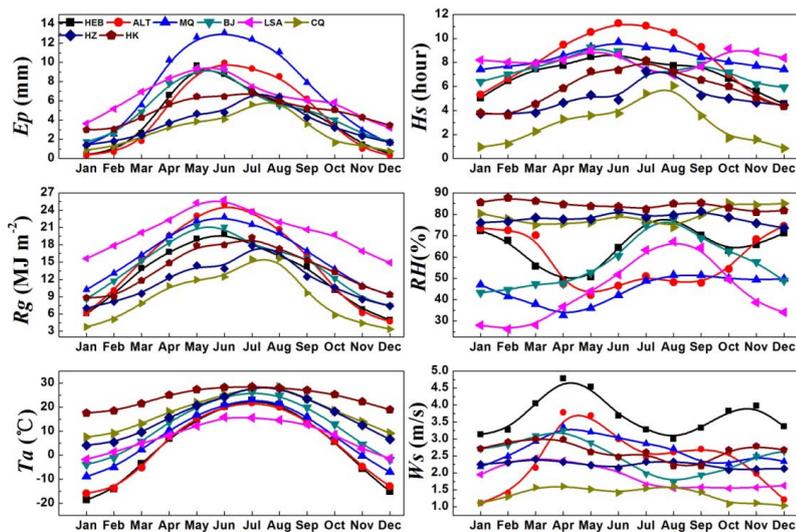
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877 Fig.5. Monthly variations of Ep and associated climatic parameters in each station.

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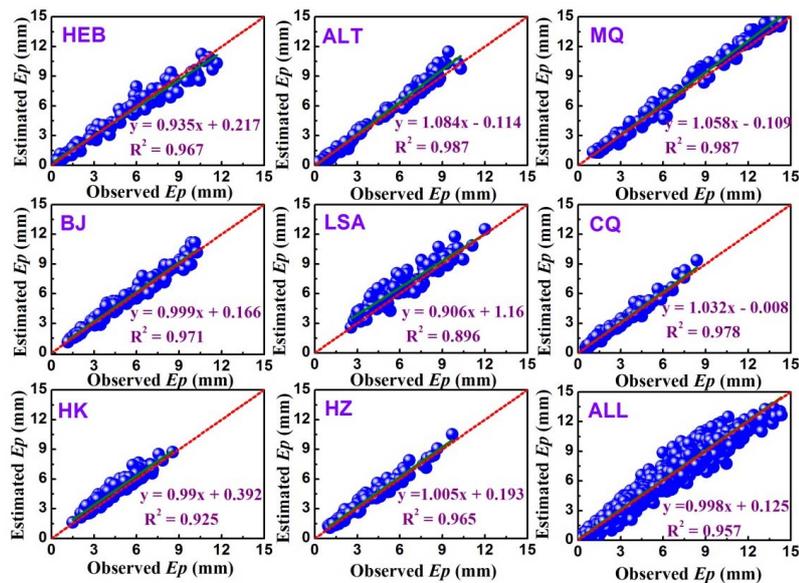
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900 Fig.6. Comparison of the observed and estimated Ep using the optimal ANFIS-GP model

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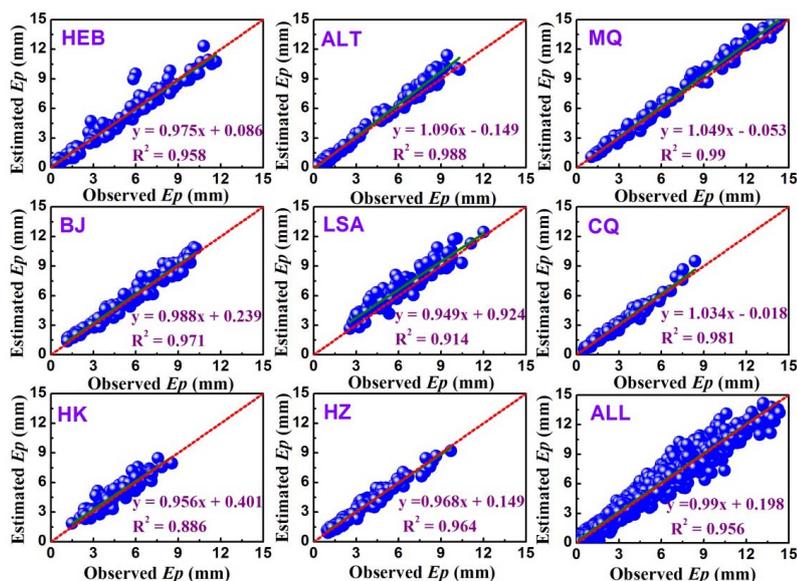
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925 Fig.7. Comparison of the observed and estimated Ep using the optimal FG model during the

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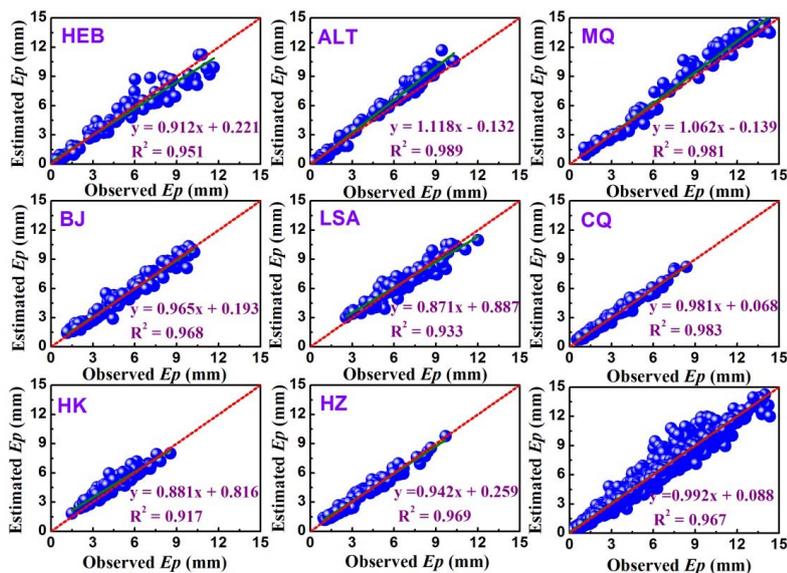
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948 Fig.8. Comparison of the observed and estimated Ep using the optimal GRNN model during
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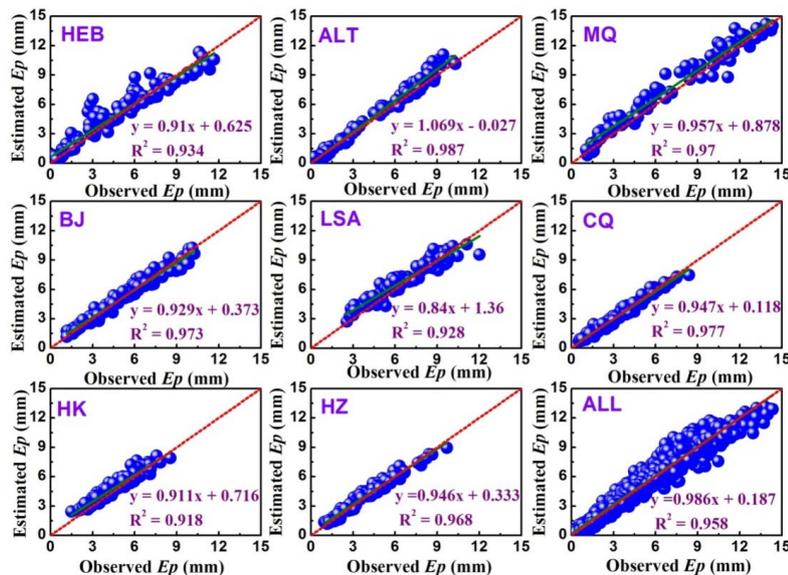
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973 Fig.9. Comparison of the observed and estimated Ep using the optimal LSSVM model during
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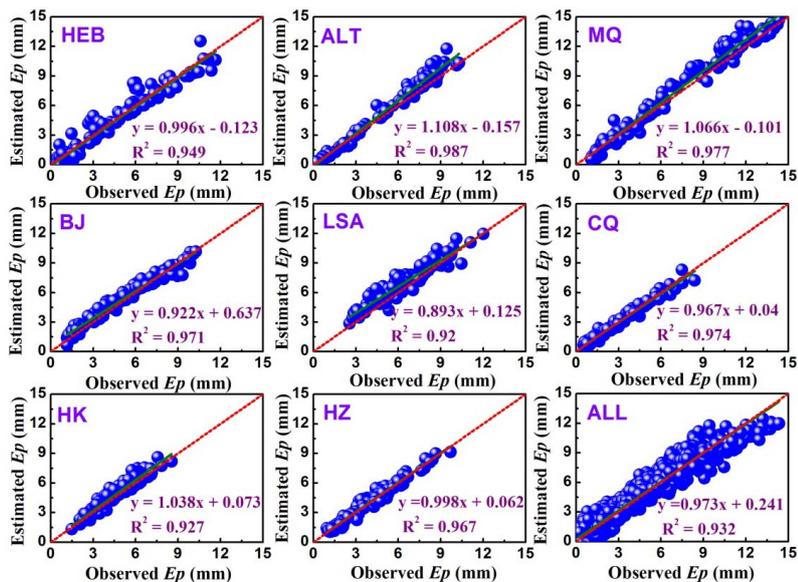
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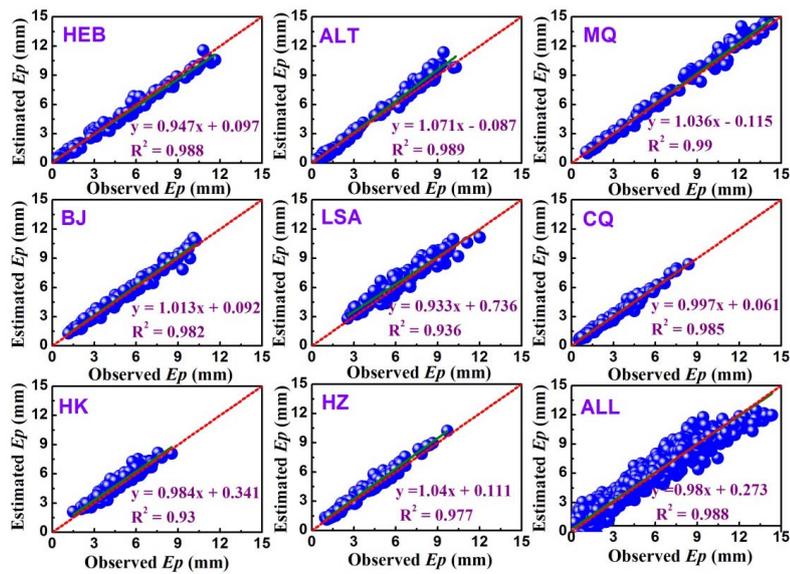


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1000 Fig. 10. Comparison of the observed and estimated Ep using the optimal MARS model during
1001 the testing period.

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1024 Fig.11. Comparison of the observed and estimated E_p using the optimal MLP model during
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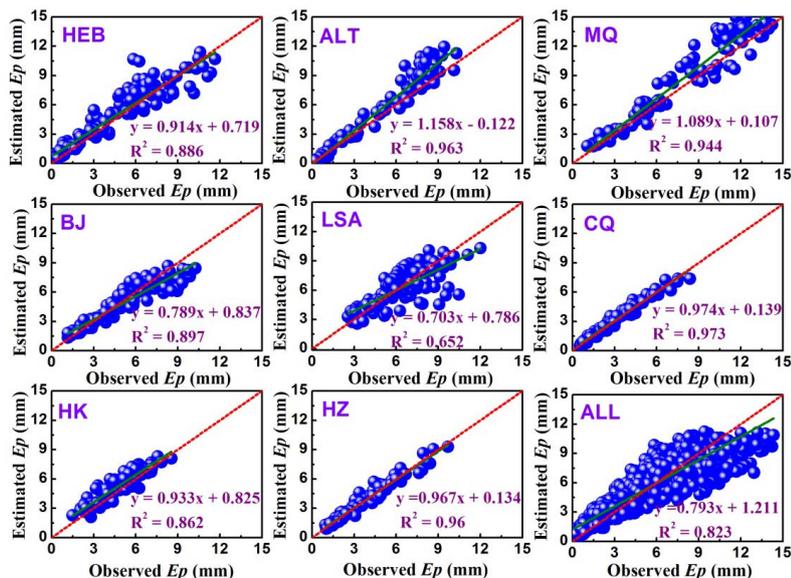
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1047 Fig.12. Comparison of the observed and estimated E_p using the optimal SS model during the
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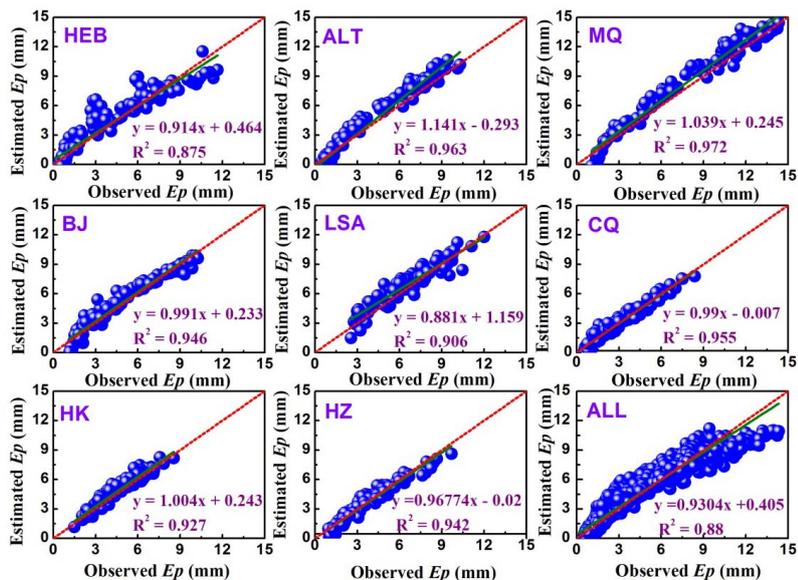
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1073 Fig.13. Comparison of the observed and estimated Ep using the optimal MLR model during
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