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Effects of peatland drainage management on peak flows

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Abstract

Open ditch drainage has historically been a common land management practice in upland blanket peats, particularly in the UK. However, peatland drainage is now generally considered to have adverse effects on the upland environment, including increased peak flows. As a result, drain blocking has become a common management strategy in the UK over recent years, although there is only anecdotal evidence to suggest that this might decrease peak flows. The change in the hydrological regime associated with the drainage of blanket peat and the subsequent blocking of drains is poorly understood, therefore a new physics-based model has been developed that allows the exploration of the associated hydrological processes. A series of simulations is used to explore the response of intact, drained and blocked drain sites at field scales. While drainage is generally found to increase peak flows, the effect of drain blocking appears to be dependent on local conditions, sometimes decreasing and sometimes increasing peak flows. Based on insights from these simulations we propose guidelines for identifying those drains that would most greatly reduce peak flows if blocked.

1 Introduction

In the UK there are approximately 2.9 Mha of upland peatlands, with the majority of this present as blanket peatlands (Holden et al., 2004). These areas constitute approximately 15% of the blanket peatlands globally (Milne and Brown, 1997). Blanket peat deposits are typically found draped over gently-rolling terrain in areas with a cool climate, high rainfall and impeded substrate drainage. These conditions allow peat formation, which occurs when organic material decomposes slowly due to anaerobic conditions associated with waterlogging (Allaby, 2008). Although historically considered to be regions of low value, the importance of peatlands in terms of carbon sequestration, ecological value and water supply is now increasingly recognised (Bonn et al., 2009).

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The management of peatlands has therefore become a topic of interest for a number of different stakeholders.

Although peat itself consists of almost 90 % water, much of this water is tightly bound in the decaying organic material. As a consequence, the sponge analogy of peatlands is inaccurate, as although they hold a significant volume of water, its movement is heavily restricted, and these areas have very little ability to absorb and store additional water. As a consequence, water tables are observed to be within tens of centimetres from the surface throughout the year (Evans et al., 1999), and the runoff from these regions is characteristically flashy.

In the UK, almost half of the upland peatlands were drained during a period of agricultural intensification in the 1960s and 1970s (Milne and Brown, 1997). This was typically done via open ditch drainage, with drains across the surface angled between the site slope and the site contours. The intention was that water tables would be reduced in order to encourage vegetation cover more suitable for livestock grazing (Stewart and Lance, 1983). The reality is that drainage generally causes only localised drawdown of the water table (Robinson, 1986; Stewart and Lance, 1983), while also acting as a rapid conduit for runoff. In most reported cases, the runoff response from drained blanket peatlands is found to have reduced times to peak and increased peak flows (Ahti, 1980; Conway and Millar, 1960; Holden et al., 2006; Robinson, 1986; Stewart and Lance, 1991).

Not only does peatland drainage cause potentially detrimental changes in the runoff response, but the practice has also been observed to lead to greater erosion in these sensitive environments (Holden et al., 2007), to changes in local ecosystems and to increases in concentrations of dissolved organic carbon (DOC) in the runoff (Worrall et al., 2007b). Owing to the numerous problems observed with drainage, activities are now underway in the UK to attempt to restore these upland environments. Beginning in the 1980s, a programme of drain blocking in peatlands was started.

While there is some evidence that drain blocking has benefits for ecosystem services (such as the restoration of habitats and carbon sequestration e.g. Wallage et al., 2006;

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Worrall et al., 2007b) the impact on peak flows has not been determined conclusively. Cases have been noted where the occurrence of drain flow is reduced by up to as much as 70 % following drain blocking (Worrall et al., 2007a) but this is just within the drainage channels themselves and not at the catchment outlet. Other studies have shown that water tables have become closer to the surface following drain blocking (Price, 2003), and increased overland flow has been observed immediately after blocking (Shantz and Price, 2006).

Complete infilling of drains is uncommon, owing to the expense associated with the practice, therefore drains are typically blocked at intervals along their course (Armstrong et al., 2009). There are many different methods of doing this, including: peat dams, heather bales, plastic piling, corrugated Perspex, plywood, wooden planks, stones or some combination of the above (Armstrong et al., 2009). With the exception of heather bales, all practices aim to create a water-tight seal at a section or over a short length of the drain. Although plastic piling is generally found to be the most effective drain blocking technique, peat dams are the most commonly implemented, owing to reasons of cost, aesthetics and preferences of the land managers. When implemented effectively, water from behind the block diffuses over the downslope peat surface (Armstrong et al., 2009).

The change in hydrological regime associated with drainage management change is likely to have impacts on plant species and soil structure, and consequently on the predicted change in runoff response. For example, observations have been made that following drainage the prevalence of hydraulically rough species (such as Sphagnum) is reduced (Coulson et al., 1990) and it is assumed that following drain blocking that these species may also begin to recolonise. Following drainage, drains may become hydraulically smoother due to erosion processes, or rougher if plants colonise the drains. Soil structural changes are also observed with changes in peatland management (Ramchunder et al., 2009). Peatland drainage can be associated with both consolidation of peat as it dries leading to subsidence (Holden et al., 2004), as well increased macro-pore activity, propensity for desiccation cracking and soil pipe development (Holden

et al., 2006). The difference between the catotelm and acrotelm are primarily related to the fact that the catotelm is almost always saturated leading to anoxic conditions (Evans et al., 1999), therefore changes in water table heights may alter the relative thickness of these two layers. The recovery of these altered properties following drain blocking is uncertain.

Although some anecdotal evidence is available, it is unclear how local conditions affect the changes that occur in the hydrological regime following drain blocking. Given the extent of peatland drain blocking currently occurring in the UK, there is a need for a predictive tool, or at least some best practice guidelines, to support land managers in the selection and prioritisation of which peatland drains to block and also to assess if drain blocking can really restore peatlands to a near-intact hydrological condition. With limited monitoring data, physics-based hydrological modelling is a tool that can be used to explore some of these changes and test drainage management scenarios. In this paper, an existing drained peatland model is adapted in order to represent the hydrological effects of drain blocking at the field scale. The original and adapted models are used to explore the effects of peatland drainage management (intact, drained and blocked drains) under varying site conditions. The results of the models are used to assess whether any generalisations about the change in runoff response following drainage and drain blocking can be made and to identify whether, and which, local conditions affect the magnitude and direction of these changes. Based on the results of the model outputs, we attempt to identify: those peatland systems that are most sensitive to drainage and drain blocking; which drained peatlands would experience the greatest reductions in peak flows if blocked; and what field data would most greatly assist in the reduction of prediction uncertainty.

2 Model development

The current research develops upon the field scale (200 m by 200 m) peatland model of Ballard et al. (2011). This is a physics-based model, where minor processes are either

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excluded or treated in a simplified manner, in order to avoid over-parameterisation. The model uses the Boussinesq equation to describe subsurface flows, and the kinematic wave equation to describe overland and channel flow. Overland flow roughness is parameterised based on information in Holden et al. (2008) for a range of typical peatland vegetation types. A depth-averaged hydraulic conductivity is used in order to represent the presence of a higher hydraulic conductivity upper layer (acrotelm) over a lower hydraulic conductivity deeper layer (catotelm). An impermeable lower boundary is assumed to be present at the depth of the drain beds. The partial differential equations describing the variation of flow depths with time, for each of the 1-D models, are discretised in space using finite differences. The resulting ordinary differential equations are then integrated in Matlab using the ode15s stiff ordinary differential equation solver (Shampine and Reichelt, 1997; Shampine et al., 1999). The solver uses an adaptive time grid, which limits the numerical error associated with each time step to within a user defined tolerance. The model was tested by Ballard et al. (2011) against data from a drained, unblocked site in the Yorkshire Dales and had good agreement with observations, particularly for higher flows. This model can also be used to describe intact peatlands by omitting all but the outlet drain. For the analysis reported in this paper, the model was extended to include the option of drain blocking.

Peatland drain blocking procedures vary at different sites, but current best practice is to construct a series of 'dams', such that during significant storm events the water overflows from the drain and downslope across the vegetated peat surface, rather than overtopping the dams and continuing down the drain (Armstrong et al., 2009). A conceptualisation of this process is shown in Fig. 1. In Fig. 1 (and Fig. 2), the z direction is vertical, the y direction is along the contours (which are assumed to be parallel), the x direction is the orthogonal downslope direction, and x' is the direction of the sloping ground surface. The drained peatland model was adapted to incorporate this conceptualisation by representing the blocked drains as a series of reservoirs. The dams are assumed to be infinitely thin, which leads to a slight overestimation of the storage volume of each reservoir. Once the reservoirs are full, water is assumed to

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spill downslope (in the x' direction): Fig. 1b demonstrates these flow paths. Except in the special case that the drain bed has zero slope, the spill is concentrated near the dams, and spill volumes vary along the length of the reservoir.

In the original peatland model of Ballard et al. (2011), a representative “soil section” is modelled between two drains using a number of independent “soil slices” (Fig. 2a). Each “soil slice” consists of coupled one-dimensional models of subsurface and overland flows. Flow depths in the drain act as the boundary conditions for the “soil slices”. Flows are accumulated along the length of the drain and routed to the collector drain (the drain running in the x' direction on the left of the block diagrams in Figs. 1 and 2) using a kinematic wave equation. This representation is not valid in the case of blocked drains, because the water from the blocked drains cascades downslope overland in the x' direction; therefore “soil sections” (as shown in Fig. 2a) cannot be assumed to be independent of one another. For the blocked scenarios calculations are made for a “soil section” that is as long as the site and one reservoir wide (Fig. 2b), and which consists of a number of “sub-sections” between reservoirs. The flow input to each “sub-section” includes the cumulative flow from all upslope spilling reservoirs as well as the rainfall directly on that “sub-section”. For the purpose of simulating the variability of the reservoir water level in the y -direction, and hence the boundary conditions for the “sub-sections”, each “sub-section” is discretised into “soil slices” (see Fig. 2b). The flow is then accumulated in the most downslope (unblocked) drain, where the water is then routed to the field outlet (Fig. 2b).

Both the drained and blocked drain models have a number of limitations, largely due to lack of data for model verification and due to assumptions required for model simplicity. In the blocked model, there is no mechanism for flow around the blocks into the downstream reservoirs; therefore the model assumes ideal drain blocking. All overland flow is assumed to run downslope in the x' direction. Because the flow spilling out of the drains is concentrated behind the dams, thus producing a cross-slope (y -direction) energy gradient due the differences in flow depths, the validity of the assumption that the flow gradients follow the direction of the hillslope is reduced.

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Likewise, across slope flow within the peat soil blocks has not been accounted for. However, this is likely to be significant only on very shallow slopes. Both models apply only to shallow open drains (<1 m deep); the needs for remediation for large gullies are different from those of typical peatland drains (Armstrong et al., 2009) and are not covered in this study. Although the original model was validated by Ballard et al. (2011) for unblocked drains, the blocked drain model was not validated against field observations, as no suitable datasets (including field outlet flows) appear to be published or readily available.

3 Intact, drained and blocked drain scenarios

Simulations were performed using the intact, drained and blocked drain models to investigate changes in flow response associated with drainage management. Because there is variability in peatland site properties, a Monte Carlo analysis framework was employed to investigate the flow responses from peatlands with a range of hydrological properties. The parameter ranges in Table 1 were selected to represent typical ranges of physical and hydrological properties observed in peatlands. The drain angle is defined as the angle between the drain and the contours of the site. Along with the site slope, the drain angle governs the drain slope and the geometry of the reservoirs in the blocked drains. The overland flow roughness is parameterised based on field observations made by Holden et al. (2008), where flow roughness was observed to vary both with plant cover and flow depth. This parameterisation is represented by the parameter b , which is a proxy for the Darcy Weisbach roughness coefficient (see Ballard et al. 2011 for the full derivation). The acrotelm and catotelm porosities (ε_a and ε_c) are set as functions of their respective hydraulic conductivities following the relationship presented by Letts et al. (2000) plus a random term between ± 0.05 to account for natural variability and uncertainty in this relationship. The drain depth is fixed at 0.6 m and the drains were blocked at 12.5 m intervals (typical average dam spacing, Armstrong et al., 2009).

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100 parameter sets were sampled from the prescribed ranges where each set can be considered to represent a possible peatland site. This does not account for any natural correlation of model parameters, for example a site might be likely to have a high hydraulic conductivity in the catotelm and acrotelm simultaneously, and this limitation must be considered when interpreting results.

This approach also assumes that there is no change in the physical properties of the peatland following changes in the drainage regime. However, as evidence in the literature suggests drainage management can be associated with physical changes in the peatlands, we also investigate the potential importance of these changes by testing the sensitivity of simulated flow peaks to expected non-stationarity in parameters. Five of the model parameters are assumed to potentially change: drain roughness, surface roughness, acrotelm thickness, and acrotelm and catotelm hydraulic conductivities (and therefore implicitly the acrotelm and catotelm porosities, the transmissivity and total soil storage). Table 2 indicates the assumed direction of change for each of the parameters that may occur following drainage management change.

Drainage management scenarios (intact, drained, blocked drains) were applied to each sampled site, and the change in flow response assessed using the simulation model. The flow responses were simulated for a 1 year period with outputs every 15 min. A five day warm up period was used to ensure that the responses were independent of the initial conditions. Rainfall data and evapotranspiration data are taken from a blanket peatland site in the Hodder catchment, UK, for the period 1 December 2008 to 31 November 2009. Rainfall data was from a rain gauge located at SD 63424 55801 at a 5 min resolution. This data was summed to create a 15 min resolution input for the model. Potential evapotranspiration was determined using the Penman-Monteith equation (Allen et al., 1998) assuming a reference crop and inputs of 15 min resolution AWS data from a station located at SD 63131 54971.

An events-based analysis has been used to investigate the impacts of drainage management change on peak flows. The time series were broken down into discrete events using a method similar to that of Pearce and Rowe (1981). Rainfall events were defined

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as a period of rain lasting less than 4 h followed by a 1 h dry period, or a longer period of rain followed by a 2 h dry period. As we are particularly interested in high rainfall events, we have discarded events where less than 5 mm of rain was recorded. This led to a total of 80 events in the 1 year period.

4 Sensitivity analysis – results

This section presents the results from the model simulations. The analysis focuses on the peak flow responses and the differences in these responses between drainage management scenarios for each of the 100 hypothetical peatland sites. The analysis starts with a general examination of the magnitude and variability in peak flow change for a large sample of rainfall events. We then use regression to identify which peatland properties govern peak flow magnitudes for the largest events and the differences in peak flow magnitudes following drainage management change. Finally, the significance of hydrological non-stationarity associated with drainage management is assessed.

4.1 Impact of drainage management – influence of event size

For each of the 80 rainfall events, and for each of the 100 hypothetical peatland sites, the peak flow for the intact, drained and drain blocked scenarios (q_i , q_d and q_b) was extracted, and the peak flow changes $\Delta q_{di} = q_d - q_i$, $\Delta q_{db} = q_d - q_b$, $\Delta q_{ib} = q_i - q_b$ were calculated. For each of these three changes, the 8000 samples of Δq were considered together, in order to assess the general impacts across a range of event magnitudes. Results are shown in Fig. 3. To develop this figure, the 8000 samples were ordered from the smallest to largest events, based on the magnitude of the peak flow as shown on the x-axis of Fig. 3. The sorted runoff was then split into 80 groups (each containing 100 events), for which the mean, 5th, 25th, 75th and 95th percentiles of Δq were calculated. Note that the 80 groups do not necessarily contain events from all of the hypothetical peatland sites; nevertheless the general trends are clear.

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Figure 3 indicates that the differences in runoff between drainage management types vary with the magnitude of the runoff peak. Drainage is observed to be effective in reducing flow peaks for some lower flow events (left hand side of Fig. 3a), but for most events consistently increases peak flows. Only for the very largest flows from drained peatlands are consistent decreases in peak flows observed following drain blocking (Fig. 3b). Figure 3c highlights the difference between intact and drain blocked peatlands, indicating that drain blocking does not recreate the hydrological response of intact peatlands: blocked drains consistently produce higher peak flows than intact peatland. The reason for this is discussed later.

4.2 Peatland properties controlling peak flows

The wide uncertainty bounds in Fig. 3 demonstrate the importance of considering the properties of the peatland when predicting impacts of drainage management. A sensitivity analysis developed some insight into the important peatland properties. For each of the hypothetical peatland sites, the rainfall events that led to the 10 largest peak runoff events (r) were identified (including only the largest peaks in the sample is considered suitable in the context of flooding), then the mean peak flow produced by this vector of events was calculated ($\bar{q}(r)$). The vector r was determined for each hypothetical site, and there was some variation between the 100 vectors, with a total of 16 different events represented. The sensitivity of $\bar{q}(r)$ to each of the model parameters can be quantified by conducting a regression analysis with the peatland properties (i.e. the model parameters) as the regressors (Saltelli et al., 2004).

The model parameter values were standardised to lie in the range -0.5 to 0.5 (i.e. for a given parameter vector θ , $\theta_{\text{std}} = (\theta - \theta_{\text{min}}) / (\theta_{\text{max}} - \theta_{\text{min}}) - 0.5$, where θ_{max} and θ_{min} are given in Table 1) to ensure that all parameters have equal variance and a zero mean (within the sampling error). Standardising the regressors allows the regression coefficients to act as relative measures of the parameter sensitivity (Saltelli et al., 2004). Three extra regressors were based on combinations of the model parameters to represent additional physically relevant properties. These were the transmissivity (T , the

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hydraulic conductivity integrated over the depth), the drain slope (β_d , based on the site slope and drain angle), and the total soil storage (S , the porosity integrated over the depth). A stepwise multiple linear regression was performed for each of the drainage management scenarios to predict $\bar{q}(r)$, where parameters with p-values less than 0.05 were added, and parameters with p-values greater than 0.1 were removed. Table 3 shows the significant parameters (θ) and their regression coefficients (in increasing order of significance) as well as the R^2 values corresponding to the progressive addition of parameters.

The results from these regressions provide further understanding about the dominant flow mechanisms in each of the drainage management scenarios. The peak flow response from the intact sites is dominated by the parameters governing overland flow. As intact peatlands tend to have higher water tables (Holden et al., 2004), there is generally very little subsurface storage to accommodate large influxes of rainfall. The excess rainfall runs off the surface, and the magnitude of the peaks is related to the travel time along overland flow paths, which is governed by both the slope and the overland flow roughness. For the drained scenarios, parameters related to the speed of delivery in the drains are important. In contrast to the intact sites, the response from drained sites also has some dependency on subsurface properties. Drawdown caused by drains is observed to be quite localised, therefore a combination of closer spaced drains and higher transmissivity will lead to a greater increase in subsurface storage between rainfall events, and therefore an increased capability to accommodate incoming rainfall and lower flow peaks. For the blocked scenarios, the dominant peak flow path shifts back to being along the peatland surface, which is indicated by the sensitivity to both the site slope and flow roughness. However, a strong dependence on the transmissivity remains, for the same reasons as for the drained scenarios.

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4.3 Impacts of peatland drainage management - sensitivity to peatland properties

The type of peatlands most amenable to drainage management, in terms of potential for reducing downstream flood peaks, can also be explored using regression. The change in event peak flows associated with drainage management ($\Delta\bar{q}(r)$) is defined as:

$$\Delta\bar{q}_{d-i}(r) = \frac{\bar{q}_d(r) - \bar{q}_i(r)}{\bar{q}_d(r)} \times 100 \quad (1)$$

$$\Delta\bar{q}_{d-b}(r) = \frac{\bar{q}_d(r) - \bar{q}_b(r)}{\bar{q}_d(r)} \times 100 \quad (2)$$

where subscripts i, d, and b indicate values for intact, drained and blocked drain simulations.

Values of $\Delta\bar{q}_{d-i}(r)$ and $\Delta\bar{q}_{d-b}(r)$ were calculated for each of the 100 hypothetical peatland sites. $\Delta\bar{q}_{d-i}(r)$ ranges from -6.9% to 41.8% , with an average change of 26.6% (positive indicates an increase in peak flows following drainage). For 98 of the hypothetical peatland sites $\Delta\bar{q}_{d-i}(r)$ was greater than zero and for 83 of these sites all 10 events showed an increase in flow peaks. For drain blocking, $\Delta\bar{q}_{d-b}(r)$ varied between -24.6% and 29.9% , with an average change of 4% (where positive values indicate a reduction in peak flow following drain blocking). $\Delta\bar{q}_{d-b}(r)$ for 67 of the sites was greater than zero (i.e. blocking had reduced flood peaks) and for 44 of these all 10 events showed a reduction in flood peaks. Of the remaining 33 sites, none showed a consistent increase in flood peaks following drain blocking.

A regression was conducted in order to predict $\Delta\bar{q}(r)$ using the model parameters (and T , β_d and S) as regressors. The R^2 values corresponding to the progressive addition of parameters into the regression are shown in Table 4. The parameters and their regression coefficients are shown in increasing order of significance, as determined

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through the stepwise regression. Comparing Tables 3 and 4, note that some parameters which significantly affect flood peak magnitude for individual drainage scenarios do not significantly affect the impact of a *change* in drainage management. Figure 4 shows the goodness of fit for the regressions.

5 The regression shows that the greatest increase in peak flows following drainage of peatlands occurs when the new drains are smooth, at a steeper angle and with larger spacing and when the peat itself has low transmissivity, hydraulically rougher plant species and a low site slope. The roughness and the angle of the drain both lead to quick drain flows. Lower transmissivity and higher drain spacing cause the peat
10 drainage to be very ineffective, and a low slope and rough plant cover indicates that peak flows from the site prior to drainage were already well attenuated.

The regression also indicates that the best drains to block in terms of greatest reduction in peak flows are at sites with larger drain spacing, steeper drain angle, rougher plant cover, smoother drains and lower transmissivity. At larger drain spacing, any additional soil storage capacity produced by the drains is minimised, due to the localised
15 effects of drawdown in low hydraulic conductivity peatlands. A steeper drain angle combines with the site slope to give a steeper drain slope. Along with low hydraulic roughness of the drain, this leads to faster conveyance of water in the drain network. If the peatland surface has high hydraulic roughness, the speed of the new flow paths
20 from the blocked drains down the peatland surface can be slower than those in the drains.

4.4 Impacts of peatland drainage management - sensitivity to non-stationarity of peatland properties

25 The analysis to this point has assumed that the drain, soil and vegetation properties do not change with drainage management. This is addressed here by simulating the effects of parameter non-stationarity. We assume that peak flow response to parameter perturbations can be adequately represented with the linear regression model. The high R^2 values achieved using the regressions indicate that the linear approximation

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is useful at least within the sampled range of flows. Using the regression models rather than the physics based models allows us to examine effects of a wider sample of parameter perturbations, due to its significantly lower computational time.

The regression models specified in Table 4 are based on the assumption that the same parameter set applies before and after the drainage management change. However, because the regression models specified in Table 3 simulate the before and after responses independently, they can be used to introduce non-stationarity into the parameter values. $\Delta\bar{q}(r)$ can be indirectly calculated using the mean peak flows predicted from the regression in Table 3 (denoted from here on as $\bar{q}(r)$) in Eqs. (1) and (2). An intercept adjustment (k) is also added to Eqs. (1) and (2) to maximise the goodness of fit to the observed $\Delta\bar{q}(r)$ for each pair of scenarios. This introduces a small error in the calculation of $\Delta\bar{q}(r)$ relative to the direct regression presented in Table 4, increasing the root mean square errors from 3.7% to 3.9% and 4.0% to 4.3% for the drained-intact and drained-blocked scenarios respectively.

1000 random perturbation vectors were created based on the directions of change shown in Table 2 and absolute values of perturbations ($\Delta\theta$) less than or equal to 0.1 (when using the standardised parameter values). The 1000 perturbed parameter sets ($\theta + \Delta\theta$) were then applied to each of the 100 hypothetical sites. Based on these simulations, the change in $\Delta\bar{q}(r)$ related to non-stationarity in physical properties, $d(\Delta\bar{q}(r))$, is calculated as:

$$d(\Delta\bar{q}_{d-i}(r)) = \left(\frac{\bar{q}_d(\theta, r) - \bar{q}_i(\theta, r)}{\bar{q}_d(\theta, r)} - \frac{\bar{q}_d(\theta + \Delta\theta, r) - \bar{q}_i(\theta, r)}{\bar{q}_d(\theta + \Delta\theta, r)} \right) \times 100 \quad (3)$$

$$d(\Delta\bar{q}_{d-b}(r)) = \left(\frac{\bar{q}_d(\theta, r) - \bar{q}_b(\theta, r)}{\bar{q}_d(\theta, r)} - \frac{\bar{q}_d(\theta, r) - \bar{q}_b(\theta + \Delta\theta, r)}{\bar{q}_d(\theta, r)} \right) \times 100 \quad (4)$$

Note that the intercept adjustment values, k , cancel out when calculating the difference. The variation in $d(\Delta\bar{q}(r))$, plotted across the range of $\Delta\bar{q}(r)$, is shown in Fig. 5.

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The median value of $d(\Delta\bar{q}(r))$ for the drained minus intact scenario is approximately zero, indicating that the general effect of non-stationarity is unpredictable in this case. This is largely related to the uncertainty in the direction of change of the channel roughness with time, which is a particularly important control on the impact of drainage, as explained previously. For drain blocking, the median value of $d(\Delta\bar{q}(r))$ is consistently above zero, indicating that peak flows following drain blocking are generally overestimated when assuming parameter stationarity and that reductions in peak flows greater than those predicted by the regression in Table 4 could be expected. This effect decreases with increasing $\Delta\bar{q}(r)$.

5 Discussion

A new model has been developed to represent the hydrological response following the blocking of open ditches in upland blanket peatlands. A series of virtual experiments has been performed using a peatland hydrological model in order to investigate the potential changes in hydrological regime, and in particular peak flows, following management interventions. Sensitivity analysis has been conducted in order to investigate the sensitivity of both the responses and the impacts of drainage management to the peatland properties (as represented by the model parameters).

These virtual experiments indicate that peatland drainage almost consistently increases flow peaks, although the magnitude of the change is variable dependent on properties of both the drainage network and the peat itself. This is consistent with observations of the impacts of peatland drainage on peak flows reported in the literature (Ahti, 1980; Conway and Millar, 1960; Holden et al., 2006; Robinson, 1986; Stewart and Lance, 1991). The low hydraulic conductivities of peatlands mean that drawdown caused by drainage is small (Robinson, 1986; Stewart and Lance, 1983), and takes a long period to develop; therefore drainage of peatlands is only observed to be efficient for attenuating very small peak flows that occur after periods without rain.

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Our virtual experiments also show that peatland drain blocking does not always reduce flow peaks. Owing to the low rates of evaporation and high rates of rainfall typical of peatland areas, the storage created by the blocked drains is significant only for small events, and/or after long periods without rain. In these cases, the peak flows can be dramatically decreased following drain blocking. The largest events, as defined by simulated peak flow under drained conditions in Fig. 3b, indicate that drain blocking consistently reduces peak flows, however interpretation of Fig. 3b is not as straightforward as this: drained sites that were less flashy produced relatively lower peak flows even for the large rainfall events, and hence are included in the samples towards the left of Fig. 3b. In many of these cases, implementing drain blocking scenarios led to increases in peak flows. This is because the *relative* speed that water can exit the model domain via the overland and drain flow paths governs the difference in response. When the drains are blocked, flow paths switch as shown in Fig. 1 and are directed overland, hence the more critical pathway is the overland flow path. Overland flow velocities are dependent on the depth-dependent surface roughness, the depth and slope of the site. Even if overland flow roughnesses are greater than those in the drains, the velocities of the overland flow compared with those in the ditches can be greater if the drain angle is low such that the drain slope is significantly shallower than the downslope flow path. As steeper slopes increase flow velocities both in the drains and for the overland flow, in the regression analysis shown in Table 4 the slope was not found to be a significant parameter. The angle, however, was significant, as this governs the relative difference in slopes between the drains and the overland flow paths.

Comparison between the intact and drain blocked peatland scenarios indicates that peatland drain blocking does not lead to conditions equivalent to intact peatlands. This is due to the way that the overflowing blocked ditches focus the water spilling onto the downslope peatland. Deeper water tends to move faster (Manning's equation), and furthermore the hydraulic roughness of peatlands is observed to decrease with increasing depth (Holden et al., 2008); therefore this concentrated stream can flow more rapidly than natural flows across the surface of an intact peatland. This effect

also compounds as the flows cascade downslope.

The parameter sampling initially used in the virtual experiments did not take into account the change in the parameter values with time, and therefore could be considered to be indicative of the systems immediately following drainage management change.

To explore longer term effects, perturbation analysis was used to investigate the impact of non-stationary drain, soil and vegetation conditions. The factor most affecting the long-term impact of installing drainage is the drain roughness value. If the drains revegetate, the regression equation in Table 4 will tend to overestimate the increase in peak flows following drainage, and if the drains erode and become smoother with time, the equation will underestimate the increase in peak flows. The variation in $\Delta\bar{q}(r)$ following drain blocking is mostly sensitive to changes in peatland vegetation, where colonisation by hydraulically rougher species leads to a greater reduction in peak flows. This highlights the importance of actively undertaking activities to support the recolonisation of species such as Sphagnum in conjunction with drain blocking.

The results presented in this analysis are based on parameters that were selected independently of each other from the prior ranges given in Table 1. However, in reality, correlation of some of the parameter values would be expected. Observations have shown that natural re-vegetation tends to occur in drains with shallow slopes (Holden et al., 2007), and that erosion is more common on more steeply sloped drains, thereby suggesting correlation between drain slope and drain roughness. At low drain spacings and higher hydraulic conductivities, the effect of water table drawdown is more significant, therefore reducing the total cover of the most hydraulically rough plant species (i.e. sphagnum) (Coulson et al., 1990). There is also likely to be a relationship between the peatland surface roughness and the drain roughness; it seems unlikely that the drains would be highly vegetated if the surface is not; however, there seems to be no published evidence to support this speculation.

The principal limitations of the numerical experiments reported in this paper are: (1) the results are, by design, generalisations, with considerable variability over the range of sites considered, and any site-specific analysis would need to be supported

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by sufficient data to estimate suitable model parameter values. In particular, there is high uncertainty in the hydraulic roughnesses of both drains and land surface, which are critical parameters when predicting impacts. (2) The model structure has been validated only to a drained peatland site (Ballard et al., 2011)). If such data were available, the model should be tested against field observations from a range of sites including some which are intact and some with blocked drains. (3) The range of analysed rainfall events did not include any extreme flood events, with the maximum flood peak having an estimated return period of only 1.4 years. Further research should include more extreme events, with the hypothesis that drainage management has less impact for larger events. (4) There is scope for extending the range of peatland management questions. For example the model could also be used to investigate a range of drain block spacings, in order to provide some guidance to practitioners.

6 Conclusions

The results from this study suggest that drainage of peatlands will increase peak flows and that drain blocking will not necessarily always reduce peak flows, with some cases showing negligible changes in runoff and other cases actually indicating an increase in peak flows. However, with a view to reducing downstream flood risk, the results from this preliminary study could be used in order to prioritise works for drain blocking. Drains that are steeper and smoother are most likely to show the greatest reduction in peak flows following drain blocking. Drains in this state are also most likely to benefit from drain blocking in terms of reducing sediment transport and erosion. The analysis also suggests that if drains are already highly vegetated, that it is possible that blocking them could actually increase peak flows. A perturbation analysis has shown that greater reductions in peak flows following drain blocking will be observed with time as hydraulically rougher peatland species begin to recolonise, although the magnitude of these changes will be dependent on the degree of recolonisation and the state of the vegetation prior to drain blocking. Field studies are needed to provide data which

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would constrain the model uncertainty and allow more site-specific conclusions to be drawn.

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Table 1. Parameter ranges for scenario Monte Carlo simulations.

Parameter	Ranges for Monte Carlo Simulations		
		Lower Value	Upper Value
Acrotelm hydraulic conductivity (m d^{-1})	K_{sa}	0.05	1
Catotelm hydraulic conductivity (m d^{-1})	K_{sc}	0.001	0.05
Thickness of acrotelm (m)	d_{a}	0.075	0.2
Drain angle (degrees)	α	5	25
Surface slope (degrees)	β	2	12
Plant cover (overland flow roughness)	b	Sphagnum & Juncus (roughest, 1.91)	Eriophorum (smoothest, 5.05)
Manning's n (drain roughness)	n	0.05	0.6
Drain spacing (m)	W	10	25

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Table 2. Predicted direction of change of parameter values following drainage management change.

Paramete Name	Drainage	Drain Blocking
Drain roughness	↓↑	↑
Surface roughness	↑	↓
Acrotelm thickness	↑	↓
Acrotelm hydraulic conductivity	↓↑	↓↑
Catotelm hydraulic conductivity	↓↑	↓↑

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Table 3. Regression models for Intact, Drained and Blocked values of $\bar{q}(r)$.

Intact			Drained			Blocked		
θ	Coeff.	R^2	θ	Coeff.	R^2	θ	Coeff.	R^2
β	1.69	0.46	n	-2.52	0.52	b	1.90	0.52
b	1.56	0.83	T	-1.46	0.60	T	-1.48	0.66
n	0.69	0.91	β_d	1.05	0.72	β	1.19	0.82
			W	0.95	0.86	W	0.41	0.86
			b	0.67	0.90	K_c	0.22	0.87
			β	0.58	0.91			
Intercept	4.44		Intercept	6.56		Intercept	6.12	

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Table 4. Regression models to predict $\Delta\overline{q_{d-i}}(r)$ and $\Delta\overline{q_{d-b}}(r)$.

Drained minus Intact			Drained minus Blocked drains		
θ	Coeff.	R^2	θ	Coeff.	R^2
n	-14.87	0.21	n	-31.13	0.66
T	-13.16	0.30	b	-13.57	0.76
β	-12.28	0.49	W	8.60	0.86
b	-12.25	0.62	α	5.48	0.88
W	8.43	0.79	T	-3.44	0.89
K_c	-4.83	0.82			
α	4.16	0.84			
Intercept	26.6		Intercept	4.00	

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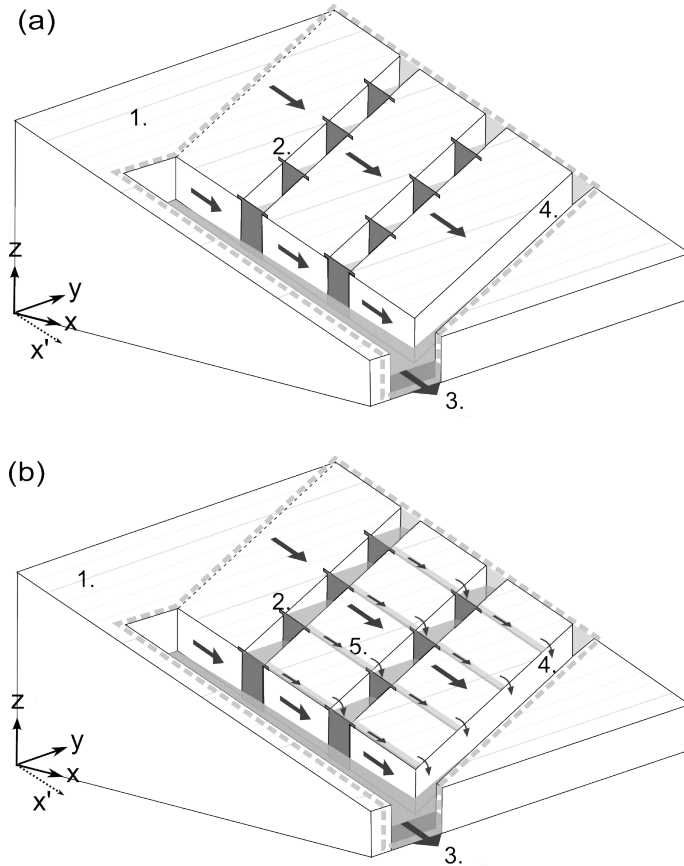


Fig. 1. Conceptualisation of flow paths in a blocked drain peatland; **(a)** as the blocked drains are filling and **(b)** as the blocked drains are overflowing. Annotated items: (1) hillslope contours, (2) drain dams, (3) field outlet, (4) unblocked drain, (5) overflow from the blocked drains.

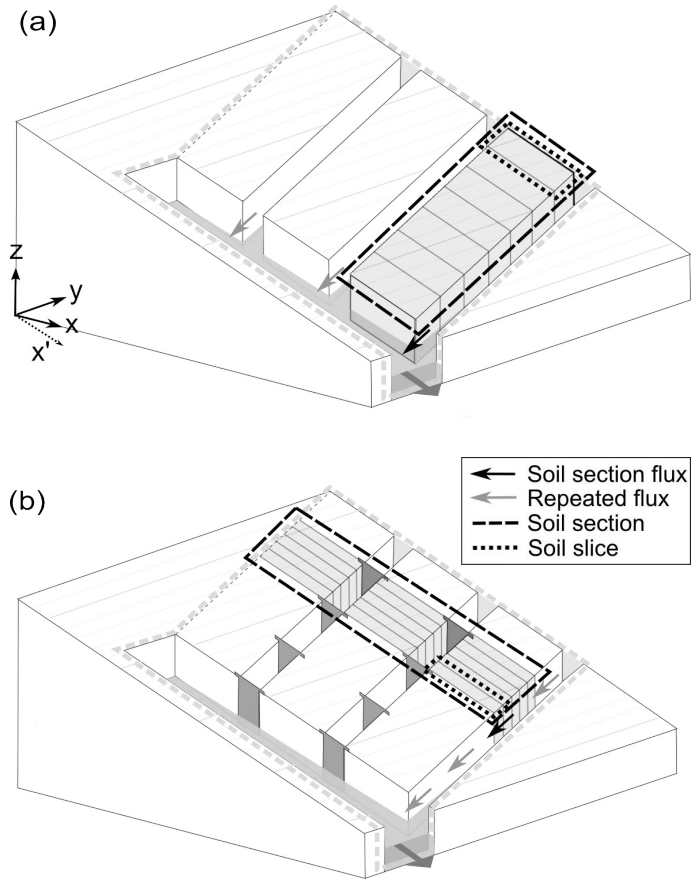


Fig. 2. Schematic of numerical representation of drained **(a)** and blocked drain **(b)** hillslope, demonstrating the concepts of soil sections and soil slices and the location of repeated fluxes

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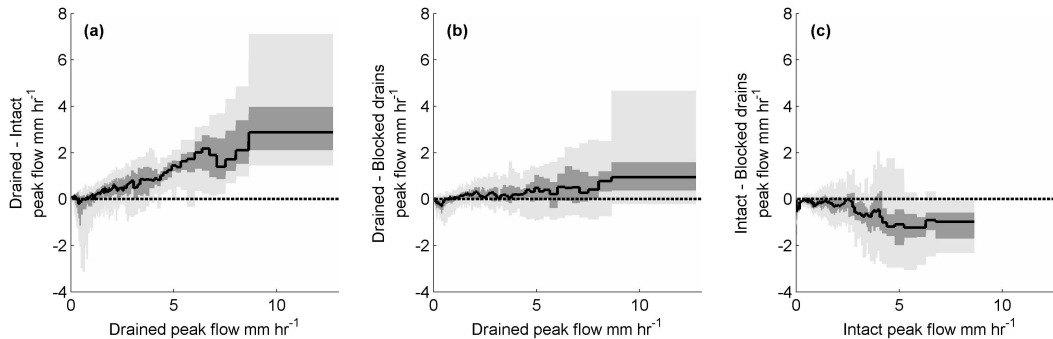


Fig. 3. Increase in peak flow when: **(a)** going from intact peatland to drained peatland; **(b)** going from drained peatland to blocked drains; **(c)** going from intact peatland to blocked drains. Light grey areas are the 5–95 % range, dark grey areas are the 25–75 % range, and the heavy black line is the median difference.

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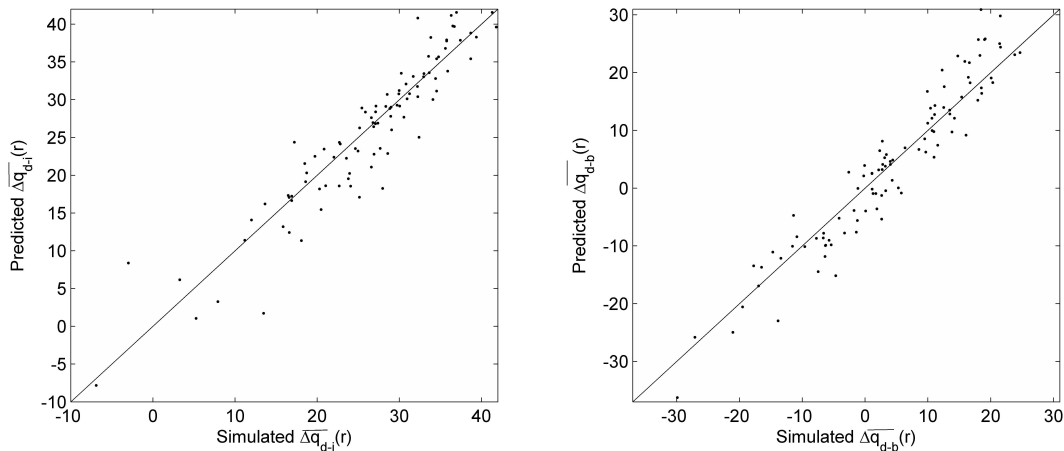


Fig. 4. Regression estimates of $\Delta\bar{q}(r)$ versus the corresponding simulated values.

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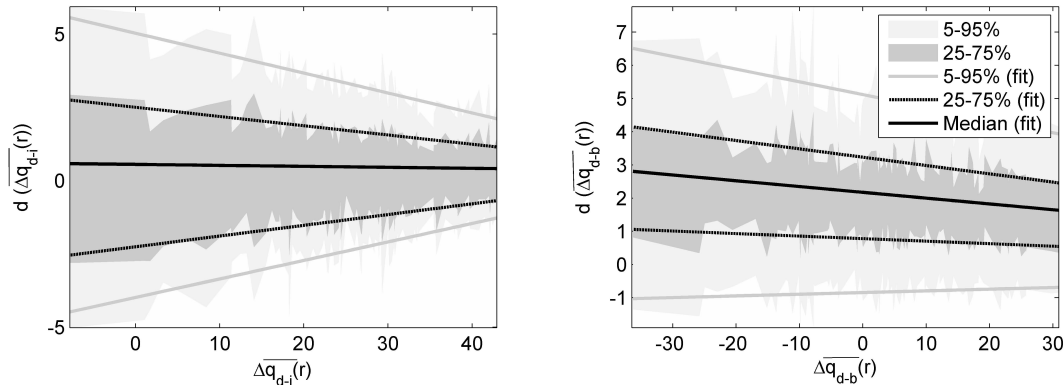


Fig. 5. $\Delta\bar{q}(r)$ versus $d(\Delta\bar{q}(r))$ following parameter perturbation when **(a)** going from intact peatland to drained peatland and **(b)** going from drained peatland to blocked drains. Light grey areas: 5–95 % range; dark grey areas: 25–75 % range. The heavy black line is the best fit of the median, the dashed black lines are the best fit of the 25–75 % range and the light grey lines are the best fit for the 5–95 % range.

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