

1 **Estimating degree-day factors from MODIS for snowmelt**  
2 **runoff modeling**

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20 Manuscript submitted to *Hydrology and Earth System Sciences*

21 2014.11.06

22 **Abstract**

23 Degree-day factors are widely used to estimate snowmelt runoff in operational  
24 hydrological models. Usually, they are calibrated on observed runoff, and sometimes on  
25 satellite snow cover data. In this paper, we propose a new method for estimating the snowmelt  
26 degree-day factor (DDF<sub>s</sub>) directly from MODIS snow covered area (SCA) and ground-based  
27 snow depth data without calibration. Subcatchment snow volume is estimated by combining  
28 SCA and snow depths. Snow density is estimated as the ratio between observed precipitation  
29 and changes in the snow volume for days with snow accumulation. Finally, DDF<sub>s</sub> values are  
30 estimated as the ratio between changes in the snow water equivalent and difference between  
31 the daily temperature and the melt threshold value for days with snow melt. We compare  
32 simulations of basin runoff and snow cover patterns using spatially variable DDF<sub>s</sub> estimated  
33 from snow data with those using spatially uniform DDF<sub>s</sub> calibrated on runoff. The runoff  
34 performances using estimated DDF<sub>s</sub> are slightly improved, and the simulated snow cover  
35 patterns are significantly more plausible. The new method may help reduce some of the  
36 runoff model parameter uncertainty by reducing the total number of calibration parameters.  
37 This method is applied to the Lienz catchment in East Tyrol, Austria, which covers an area of  
38 1198 km<sup>2</sup>. Approximately 70% of the basin is covered by snow in the early spring season.

## 39 1 Introduction

40 Mountain watersheds serve as important water sources by providing fresh water for  
41 downstream human activities (Viviroli *et al.*, 2003; Langston *et al.*, 2011). As a result of  
42 snow and glacier melt, the magnitude and timing of runoff from these watersheds tend to be  
43 very sensitive to changes in the climate (Immerzeel *et al.*, 2009; Jeelani *et al.*, 2012). Changes  
44 of melt runoff may even affect the sustainable development of downstream cities in the long  
45 run (Verbunt *et al.*, 2003; Zhang *et al.*, 2012). Modeling snow and glacier melt runoff  
46 processes is therefore quite important for local water supply, hydropower management and  
47 flood forecasting (Klok *et al.*, 2001). However, melt runoff modeling in such regions faces  
48 two challenges: scarcity of meteorological data and uncertainty in parameter calibration due  
49 to limited understanding of the complex hydrological processes.

50 Melt runoff models generally fall into two categories: energy balance models, and  
51 temperature-index models (Rango and Martinec, 1979; Howard, 1996; Kane *et al.*, 1997;  
52 Singh *et al.*, 2000; Fierz *et al.*, 2003). Temperature-index models operating on a basin wide  
53 scale are much more popular for operational purposes due to the following four reasons  
54 (Hock, 2003): (1) wide availability of air temperature data, (2) relatively easy interpolation  
55 and forecasting possibilities of air temperature, (3) generally good model performance and (4)  
56 computational simplicity. The temperature index model is based on an assumed relationship  
57 between ablation and air temperature and calculates the daily snowmelt depth,  $M$  (mm/d), by  
58 multiplying the difference between daily temperature and the melt threshold value,  $T - T_o$  ( $^{\circ}\text{C}/$   
59  $\text{d}$ ), with the degree-day factor of snow,  $\text{DDF}_s$  (mm/d/ $^{\circ}\text{C}$ ) (Howard, 1996).  $T_o$  is a threshold  
60 temperature for snowmelt. The temperature index model implies a consistent contribution of  
61 each of the heat balance components (including radiation, sensible heat, latent heat and  
62 ground heat fluxes). Any changes in climate conditions and the underlying basin  
63 characteristics will affect the relative contributions of the heat balance components and cause  
64 variations of the  $\text{DDF}_s$  (Lang and Braun, 1990; Ohmura, 2001). The study of Kuusisto (1980)  
65 in Finland found  $\text{DDF}_s$  to increase sharply in early April, approximately doubling during this  
66 month due to increasing solar radiation. Singh and Kumar (1996) and Singh *et al.* (2000)  
67 demonstrated a seasonal decrease of  $\text{DDF}_s$  with increasing albedo due to seasonal changes of

68 land surface characteristics. Spatial variations of basin topography, such as elevation, terrain  
69 slope, aspect and terrain shading change the spatial energy conditions for snowmelt and lead  
70 to significant variations of DDF<sub>s</sub> (Marsh *et al.*, 2012; Bormann *et al.*, 2014). Generally,  
71 regions with a large contribution of sensible heat flux to the heat balance tend to have low  
72 degree-day factors (Hock, 2003). DDF<sub>s</sub> are expected to increase with increasing elevation and  
73 increasing snow density (Li and Williams, 2008). Forest regions often have lower values of  
74 DDF<sub>s</sub> than open regions (Rango and Martinec, 1995). The identification of DDF<sub>s</sub> has been an  
75 important yet complex issue for the application of the temperature-index model for snowmelt  
76 runoff modeling.

77 Quite a few studies estimated the degree-day factor from observed snow water  
78 equivalent (SWE) data. Martinec (1960) measured SWE with radioactive cobalt and  
79 computed the DDF<sub>s</sub> as the ratio between SWE and difference between daily temperature and  
80 the melt threshold value. Rango and Martinec (1979, 1995) obtained degree-day factors from  
81 empirical regressions with snow density. Kane *et al.* (1997) estimated degree-day factors by  
82 calibration against point-measured SWE in a 2.2 km<sup>2</sup> catchment. Daly *et al.* (2000) merged  
83 interpolated point-measured SWE with snow covered area derived from satellite data to  
84 obtain spatial snow water equivalent and estimated spatially distributed DDF<sub>s</sub> by calibration  
85 to spatial snow water equivalent. Bormann *et al.* (2013, 2014) coupled the method developed  
86 by Sturm *et al.* (2010) to estimate snow density as the ratio between point-measured SWE and  
87 snow depth data with the empirical relationship between DDF<sub>s</sub> and snow density of Rango  
88 and Martinec (1995) to estimate daily variable DDF<sub>s</sub>. In these methods, detailed observations  
89 of snow water equivalent in the basin are needed. However, observations of snow water  
90 equivalent are only representative of a small subset of the spatial domain, and observations  
91 tend to be scarce at high elevations (Hamlet *et al.*, 2005).

92 Another method of estimating the DDF<sub>s</sub> is treating it as a hydrologic model parameter  
93 and calibrating it on observed hydrological data. Most commonly, runoff is used for  
94 calibrating DDF<sub>s</sub> (Hinzman and Kane, 1991; Klok *et al.*, 2001; Luo *et al.*, 2013). The  
95 drawback is that catchment runoff is not usually a good indicator of the spatial snow cover  
96 distribution (Blöschl *et al.*, 1991a,b; Bach *et al.*, 2003; Liu *et al.*, 2012 etc.). Advances in  
97 remotely sensing techniques help provide more practical information for the calibration of

98 DDF<sub>s</sub>. There have been numerous comparisons between satellite snow cover products (e.g.  
99 Hall *et al.*, 2000, 2002; Maurer *et al.*, 2003; Lee *et al.*, 2005; Hall and Riggs, 2007). In  
100 particular, MODIS snow covered area (SCA) products have been demonstrated to be of good  
101 quality and have been widely used in alpine hydrological modeling (Klein and Barnett, 2003;  
102 Dery *et al.*, 2005; Andreadis and Lettenmaier, 2006; Wang *et al.*, 2008; Georgievsky, 2009).  
103 Subsequently, a number of studies tested the potential of MODIS snow cover data for  
104 calibrating and validating snowmelt models (e.g. Dery *et al.* (2005), Tekeli *et al.* (2005),  
105 Udnaes *et al.* (2007), Parajka and Blöschl (2008a)). A review is provided by Parajka and  
106 Blöschl (2012). The authors generally found that including snow cover data in the model  
107 calibration improved the snow simulations. Most of these studies calibrated the DDF<sub>s</sub> on  
108 combined objective functions involving observed runoff and snow cover data. This makes it  
109 hard to obtain spatially variable DDF<sub>s</sub> because of the limited availability of spatially  
110 distributed runoff data. It is also important to note that the calibration of DDF<sub>s</sub> can be  
111 significantly affected by other model parameters due to the interdependency of the parameters  
112 and the nature of objective functions that reflect the joint effects of all the model parameters  
113 in a holistic way. The optimization procedures may there induce significant uncertainties in  
114 the parameter estimates (Kirchner, 2006), if insufficient attention is paid to the physical  
115 catchment characteristics (including elevation, vegetation coverage, and snow density etc.)  
116 affecting the value of DDF<sub>s</sub> (Bormann *et al.*, 2014).

117 In mountain watersheds, distributed hydrologic models are more widely applied than  
118 lumped models due to the large spatial variability. Degree-day factors estimated from point  
119 measurements or spatially uniform values from calibration are not likely representative for the  
120 entire catchment. An increasing need for spatially distributed estimation of DDF<sub>s</sub> has been  
121 identified (Hock, 1999; Nester *et al.*, 2011). However, only few studies have attempted to  
122 develop temperature-index methods in a distributed manner (Cazorzi and DallaFontana, 1996;  
123 Williams and Tarboton, 1999; Daly *et al.*, 2000 etc.). Most of them computed the DDF<sub>s</sub> as a  
124 function of a radiation index, snow albedo, rainfall rate, elevation, snow density or wind  
125 speed, which are heavily affected by topography, thus addressing the spatial variability of  
126 snowmelt in mountain terrain (Dunn and Colohan, 1999; Hock, 2003). However, due to the  
127 complex interactions between atmospheric and surface characteristics affecting the

128 degree-day factor, the relationship between  $DDF_s$  and these characteristics is still not very  
129 well understood.

130 The objective of this study is to propose a new method for estimating spatial patterns of  
131  $DDF_s$  from MODIS data in mountain catchments. In comparison to traditional methods, the  
132  $DDF_s$  is not calibrated to observed runoff and snow water equivalent data, but directly  
133 estimated from MODIS snow covered area and snow depth data alone. Snow depths can be  
134 more widely measured in the field than snow water equivalent. For example, Environment  
135 Canada gauges snow depth at 1556 sites, but snow water equivalent only at 27 sites. Similarly,  
136 the U.S. Weather Service and the Swiss Service measure many more depths than water  
137 equivalents (Johnson and Schaefer, 2002; Zhou *et al.*, 2005; Sturm *et al.*, 2010). The new  
138 proposed method differs from existing estimation methods of  $DDF_s$  in a number of ways:  
139 First, snow water equivalent is estimated from MODIS snow cover, snow depths and  
140 precipitation data, so there is no need for snow water equivalent measurements which are  
141 difficult to obtain in most mountain watersheds. Second,  $DDF_s$  is estimated on a  
142 subcatchment scale rather than on a point scale as in most traditional estimation methods.  
143 Third, the study extends the idea of partitioning hydrological time series to explore hidden  
144 hydrological information of He *et al.* (2014) to the case of snow data. The methodology is  
145 tested in a mountain basin in Austria.

146 The remainder of this paper is organized in the following way: Section 2 details the  
147 estimation method of spatial snow density and the snowmelt degree-day factor, as well as the  
148 stepwise calibration method for the model parameters. Section 3 contains a description of the  
149 geographic and hydrological characteristics of the study basin, including the main data  
150 sources and data preprocessing. Section 4 presents the main simulation results and  
151 comparisons between the hydrologic model performance using  $DDF_s$  estimated from snow  
152 data and  $DDF_s$  calibrated on runoff. Finally, section 5 provides a summary of the study, and  
153 discusses possible sources of uncertainty in the results and further applications of the new  
154 estimation methods of degree-day factors.

## 155 **2 Methodology**

156 The main idea of estimating the degree-day factor is as follows. The volume of snow for  
157 each subcatchment and each day is estimated using MODIS SCA data and ground-based snow

158 depth time series. The snow volume time series are partitioned in time into three groups,  
 159 based on the daily air temperatures: days with snow accumulation (when temperatures are  
 160 below a threshold), days with ablation (when temperatures are above a different threshold)  
 161 and days where both processes occur (when temperatures are between the thresholds). Snow  
 162 density is estimated from the days with snow accumulation as the ratio between measured  
 163 precipitation and changes in snow volume. The degree-day factor is estimated from the days  
 164 with ablation as the ratio between measured changes in snow water equivalent (product of  
 165 snow volume and density) and the difference between daily temperature and the threshold  
 166 value.

167 For comparison, DDF<sub>s</sub> is calibrated on runoff using a semi-distributed hydrological  
 168 model--THREW which has been applied in several studies (Tian *et al.*, 2006,2008,2012; Mou  
 169 *et al.*, 2008; Li *et al.*, 2012). The calibration follows the stepwise procedure developed by He  
 170 *et al.* (2014) but was slightly modified because of the local characteristic of the study basin  
 171 (see Section 2.2). The study basin is divided into 95 subcatchments for the simulations.

172 The estimated degree-day factors are tested by simulations of basin runoff and snow  
 173 cover patterns. The study period for which the analyses are performed is ten years, 2001-2010.  
 174 2001 to 2005 is the calibration period and 2006 to 2010 is the validation period.

## 175 2.1 Estimation of degree-day factor from snow data

176 The observed snow data used to estimate the degree-day factor, DDF<sub>s</sub>, are snow covered  
 177 area (SCA) products and ground-based snow depths. Firstly, we obtain the volume per area of  
 178 snow in each subcatchment and for each day by  $V_s = \text{SCA} \cdot D_s$ , where  $D_s$  is the average snow  
 179 depth. Since the average snow depths tend to overestimate the snow covered area, therefore  
 180 the multiplication with SCA is needed to compensate for the biases. In a next step, the change  
 181 of snow water equivalent (SWE) between two days,  $\frac{dSWE}{dt} = \rho_s \cdot \frac{dV_s}{dt}$ , is attributed to three  
 182 snow processes according to Eq. (1a-c).

$$183 \quad \rho_s \cdot \frac{dV_s}{dt} = \begin{cases} P, & \text{for } T < T_S & \text{Accumulation (1a)} \\ P_s - M, & \text{for } T_S \leq T \leq T_R & \text{Combination (1b)} \\ -DDF \cdot (T - T_m), & \text{for } T > T_R & \text{Ablation (1c)} \end{cases}$$

184 where,  $\rho_s$  is the snow density,  $P$  is daily precipitation,  $P_s$  is daily snowfall,  $M$  is daily  
 185 snowmelt depth,  $T_S$  is the temperature threshold below which all precipitation is in the form of

186 snowfall,  $T_R$  is the temperature threshold above which all precipitation is liquid, and  $T_m$  is the  
 187 temperature threshold controlling the occurrence of melt.  $T_m$  usually falls between  $T_S$  and  $T_R$ .  
 188 Rainfall and snowfall in the temperature window between  $T_S$  and  $T_R$  are simply estimated as  
 189 half of the total precipitation. The value of the three temperature thresholds are set as  $T_m = T_S =$   
 190  $0.0^\circ\text{C}$  and  $T_R = 2.5^\circ\text{C}$  in this study following Parajka *et al.* (2007). The  $V_s$  time series are  
 191 partitioned into three segments, i.e. accumulative segment, a combination segment and an  
 192 ablative segment according to Eq. 1a-c.

193 The snow density ( $\rho_s$ ) is calculated from the days with accumulation based on the  
 194 observed  $V_s$  and  $P$  according to Eq. 1a. As the snow cover volume can still change after  
 195 snowfall events due to gravity and condensation, snowfall events that produce a stable snow  
 196 cover volume are selected for the estimation of snow density. Therefore, snowfall events in  
 197 the accumulative segment that ended by at least three no-snowfall days, and where the  
 198 relative difference of the  $V_s$  value between the last three no-snowfall days is lower than 10%,  
 199 are selected for the calculation of snow density. In these events, the cumulative snowfall ( $\Delta P_s$ )  
 200 is the sum of the daily precipitation values, and the change of snow cover volume ( $\Delta V_s^*$ ) is the  
 201 difference of the  $V_s$  values between the last no-snowfall day and the first snowfall day. Snow  
 202 density in each event is obtained as  $\rho_s = \Delta P_s / \Delta V_s^*$ . This calculation is carried out for each  
 203 subcatchment. A representative value of the density for each subcatchment is estimated as the  
 204 average of all event values, neglecting any changes of density during snow melt. While this is  
 205 a simplification, it should be noted that the melt period is often interrupted by accumulation  
 206 events, thus the differences between accumulation and ablation densities are not considered to  
 207 be very large.

208 The snowmelt degree-day factor  $\text{DDF}_s$  is calculated from days with ablation based on  
 209 changes in the snow water equivalent and air temperatures according to Eq. 1c. The change of  
 210 snow water equivalent between days is calculated as  $\Delta V_s \cdot \rho_s$ , where the density  $\rho_s$  estimated  
 211 above is used. The degree-day temperature is calculated as the difference between the daily  
 212 temperature ( $T$ ) and the threshold value ( $T_m$ ). Daily  $\text{DDF}_s$  value are then estimated as  
 213  $\text{DDF}_s = \frac{dV_s}{dt} \cdot \frac{\rho_s}{T - T_m}$ . Again, a representative value of the degree-day factor for each  
 214 subcatchment is estimated as the average of all event values. Both the estimations of snow



215 density and  $DDF_s$  are carried out in the two sub-periods (2001-2005 and 2006 to 2010)  
216 separately.

## 217 **2.2 Calibration of degree-day factor on runoff by a hydrologic model**

218 The runoff generation processes simulated by the THREW model includes subsurface  
219 baseflow, rainfall runoff, snowmelt and glacier melt. Rainfall runoff is simulated by a  
220 Xin'anjiang module, which adopts a water storage capacity curve to describe the non-uniform  
221 distribution of water storage capacity in a subcatchment (Zhao, 1992). The storage capacity  
222 curve is determined by two parameters (spatial averaged storage capacity WM and shape  
223 coefficient B). Rainfall runoff is generated on areas where the storage capacity is reached.  
224 The remainder of the rainfall infiltrates into the soil and becomes an additional contribution to  
225 subsurface baseflow which is calculated by two outflow coefficients (KKA and KKD). Snow  
226 and glacier melt are simulated by a degree-day model with different degree-day factors  
227 ( $DDF_s$  and  $DDF_G$ , respectively). Precipitation in the snow covered areas is divided into  
228 rainfall and snowfall according to two threshold temperature values ( $0^\circ\text{C}$  and  $2.5^\circ\text{C}$  are  
229 adopted in this study). Between the two thresholds, mixed snow and rain is assumed to occur.  
230 Snow water equivalent in each subcatchment is updated daily with snowfall and snowmelt,  
231 while the glacier area is assumed to be stable during the study period. The model parameters  
232 are grouped according to the runoff generation mechanisms, i.e., a subsurface baseflow group  
233 (KKA and KKD), a snowmelt group ( $DDF_s$ ), a glacier melt group ( $DDF_G$ ) and a group where  
234 rainfall directly becomes runoff (WM and B) (see He *et al.* (2014)). Each parameter group is  
235 calibrated separately in a stepwise way by manual calibration. The stepwise calibration is  
236 similar to that proposed by He *et al.* (2014). In a first step, the hydrograph is partitioned  
237 according to three indices,  $S_i$ ,  $G_i$ ,  $D_i$ , which are defined as 0 or 1 (Eq. (2)-(4)) according to the  
238 water source for runoff generation on each day (subsurface baseflow, snowmelt, glacier melt  
239 and rainfall). Next, each parameter group is related to an individual hydrograph partition and  
240 calibrated on the corresponding partition separately.

$$S_i = \begin{cases} 1, & \text{if } \max_{j=1 \rightarrow 95} (T_j) \geq T_m \\ 0, & \text{otherwise} \end{cases} \quad \text{Snowmelt} \quad (2)$$

$$241 \quad G_i = \begin{cases} 1, & \text{if } \max_{j=1 \rightarrow n} (T'_j) \geq T_m \\ 0, & \text{otherwise} \end{cases} \quad \text{Glacier melt} \quad (3)$$

$$D_i = \begin{cases} 1, & \text{if } \max_{j=1 \rightarrow 95} (T_j) \geq T_s \wedge \sum_{j=1 \rightarrow 95} P_j \geq 0 \\ 0, & \text{otherwise} \end{cases} \quad \text{Rainfall runoff} \quad (4)$$

242 where,  $i$  is the day index,  $S_i$ ,  $G_i$  and  $D_i$  are the indices indicating the occurrence of snowmelt,  
 243 glacier melt and rainfall runoff, respectively. Values equal to 1 indicate that snowmelt, glacier  
 244 melt and rainfall runoff, respectively, can be a water source for runoff generation on that day.  
 245 Values equal to 0 indicate that this is not the case.  $T_j$  is the daily temperature in the  
 246 subcatchment  $j$ ,  $T'_j$  is the daily temperature in the glacier covered part of subcatchment  $j$ ,  $n$  is  
 247 the number of subcatchment that are covered with glacier, and  $P_j$  is the daily precipitation in  
 248 subcatchment  $j$ . Based on the daily values of the three indices, the daily hydrograph is  
 249 segmented into four partitions in Eq. (5):

$$250 \quad Q = \begin{cases} Q_{SB}, & \text{for } S_i + G_i + D_i = 0 \\ Q_{SB} + Q_{SM}, & \text{for } S_i - G_i - D_i = 1 \\ Q_{SB} + Q_{SM} + Q_{GM}, & \text{for } G_i - D_i = 1 \\ Q_{SB} + Q_{SM} + Q_{GM} + Q_R, & \text{for } D_i = 1 \end{cases} \quad (5)$$

251 where,  $Q_{SB}$  stands for the subsurface baseflow. It dominates the basin hydrograph when both  
 252 melt water and rainfall runoff do not occur ( $S_i + G_i + D_i = 0$ ).  $Q_{SM}$  represents snowmelt,  $Q_{GM}$   
 253 represents glacier melt water and  $Q_R$  represents the direct rainfall runoff. The partition is  
 254 based on the assumption that the convergence time of drainage in the basin is no longer than  
 255 one day.

256 The parameter groups are calibrated on different partitions in a stepwise way: The  
 257 parameter group controlling subsurface baseflow is first calibrated on the  $Q_{SB}$  partition. Then,  
 258 the degree-day factors for snowmelt and glacier melt are calibrated on the  $Q_{SB} + Q_{SM}$  and  
 259  $Q_{SB} + Q_{SM} + Q_{GM}$  partitions separately. Parameters for rainfall runoff are calibrated on the  
 260  $Q_{SB} + Q_{SM} + Q_{GM} + Q_R$  partition in a last step. We use  $\log RMSE$  as the goodness of fit measure  
 261 for the calibration of subsurface baseflow and  $RMSE$  for the calibration of degree-day factors  
 262 and rainfall runoff parameters. Finally, we combine the simulations of each partition to obtain

263 the entire daily simulation of basin discharge and evaluate it using  $NSE$ ,  $\log NSE$ ,  $VE$  and a  
 264 combined performance measure  $ME$  (Eq. (6)-(9)).

$$NSE = 1 - \frac{\sum_{i=1}^n (Q_{obs}(i) - Q_{sim}(i))^2}{\sum_{i=1}^n (Q_{obs}(i) - \bar{Q}_{obs}(i))^2} \quad (6)$$

$$\log NSE = 1 - \frac{\sum_{i=1}^n (\log Q_{obs}(i) - \log Q_{sim}(i))^2}{\sum_{i=1}^n (\log Q_{obs}(i) - \log \bar{Q}_{obs}(i))^2} \quad (7)$$

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$$VE = 1 - \frac{\sum_{i=1}^n |Q_{obs}(i) - Q_{sim}(i)|}{\sum_{i=1}^n Q_{obs}(i)} \quad (8)$$

$$ME = NSE + \log NSE + VE \quad (9)$$

$$RMSE = \sqrt{\frac{1}{n} \sum_{i=1}^n (Q_{obs}(i) - Q_{sim}(i))^2} \quad (10)$$

## 266 2.3 Evaluation of estimated DDF<sub>s</sub> from snow data

267 The estimated values of DDF<sub>s</sub> are evaluated in the study period by applying their value  
 268 in the THREW hydrological model and comparing the new simulations of runoff and snow  
 269 cover patterns with those obtained by DDF<sub>s</sub> calibrated on runoff. The evaluation is carried out  
 270 in three basins with different catchment area, elevation and glacier melt contributions to the  
 271 total runoff. The  $ME$  values of daily discharge simulation and  $RMSE$  values of the simulation  
 272 of the snowmelt dominated hydrograph partition ( $Q_{SB} + Q_{SM}$ ) in the three basins are used to  
 273 evaluate the performance of the runoff simulation. The fit between simulated and observed  
 274 SCA series and spatial snow cover patterns by MODIS is used to assess the simulations of  
 275 snow cover.

## 276 3 Data

### 277 3.1 Study area

278 The methodology is evaluated in the Lienz catchment which is located in East Tyrol,  
 279 Austria, and covers an area of 1198 km<sup>2</sup>. Its elevations range from 670 m a.s.l. to 3775 m  
 280 a.s.l., and approximately 7% of the region is covered by glacier (Fig. 1). Its annual mean  
 281 temperature is approximately 1.7 °C, and annual mean precipitation is about 1164 mm.  
 282 Snowmelt water is an important water source for local runoff generation, especially in the  
 283 spring season when approximately 70% of the basin is covered by snow (Blöschl *et al.*, 1990).

284 The topographic feature of the basin is depicted by a 25 m resolution Digital Elevation Model  
285 which is used to divide the study basins into subcatchment units. The three basins (Lienz,  
286 Waier and Innerschloess, see Fig. 1) in the study area are further divided into 95  
287 subcatchments, 29 subcatchments and 9 subcatchments respectively for the hydrological  
288 modeling. The runoff concentration time can be considered as approximately one day in this  
289 catchment (Blöschl *et al.*, 1990).

### 290 **3.2 Snow data**

291 The MODIS snow covered area (SCA) data used in this study is the daily product, i.e.  
292 MOD10A1 and MYD10A1 (V005) (Hall *et al.*, 2006 a, b). It has been downloaded from the  
293 website of the National Snow and Ice Data Center (NSIDC, [www.nsidc.org](http://www.nsidc.org)). The used data  
294 set has a spatial resolution of 500 m and consists of daily snow cover maps from 1 January  
295 2001 to 31 December 2010. The original Terra and Aqua products were merged in space and  
296 time to reduce cloud coverage by Parajka and Blöschl (2008b). Only the MODIS SCA data  
297 for those days when the cloud coverage of the basin was less than 50% after the merging  
298 procedure are used. To obtain a continuous time series of SCA, we implemented a linear  
299 interpolation between two valid SCA values.

300 Snow depth data observed at 1091 stations in Austria (7 stations in the study area) are  
301 spatially interpolated by external drift kriging based on elevation. The resulting data product  
302 has a spatial resolution of 1 km. Snow depth in each subcatchment is the average value of all  
303 the  $1 \times 1$  km pixels inside.

### 304 **3.3 Hydrologic model inputs**

305 The daily precipitation data are spatially interpolated by external drift kriging from 1091  
306 stations in Austria (7 stations in the study area). The temperature data are interpolated by the  
307 least-squares trend prediction method from 221 stations in Austria (6 stations in the study  
308 area). Both methods using elevation as an auxiliary variable (see Parajka *et al.* (2005)). Daily  
309 streamflow data from three hydrological stations are used, Lienz, Waier and Innerschloess,  
310 which drain areas of 1198 km<sup>2</sup>, 285 km<sup>2</sup> and 39 km<sup>2</sup> respectively (see Fig. 1). The datasets  
311 used in this study consist of two sub-periods, the first is a calibration period from January 1,  
312 2001 to December 31, 2005 and the second is a validation period from January 1, 2006 to  
313 December 31, 2010.

## 314 4 Results

### 315 4.1 Snow density and DDF<sub>s</sub>

316 Based on Eq. (1a) and (1c), we obtained the snow densities and snowmelt degree-day  
317 factors (DDF<sub>s</sub>) for each subcatchment in the Lienz basin. For example, Figs 2 and 3 show the  
318 spatial distribution of the snow density and DDF<sub>s</sub> estimated in the calibration period. Figure 2  
319 indicates that subcatchments in upstream have higher snow density and DDF<sub>s</sub> values than that  
320 in downstream. Figure 3 represents the relationships between snow density and elevation, and  
321 DDF<sub>s</sub> and elevation. Leaf area index (LAI) data from MODIS land cover products are used to  
322 describe the vegetation coverage in each subcatchment in Fig. 3. Each dot stands for a  
323 subcatchment, and its size reflects the annual mean LAI over the study period of the  
324 corresponding subcatchment. The estimated values of snow density range from approximately  
325 0.1 to 0.6 g/cm<sup>3</sup> with a mean value of 0.3 g/cm<sup>3</sup>. The estimated values of DDF<sub>s</sub> range from  
326 about 1.6 to 4.5 mm/d/°C with an average of 2.7 mm/d/°C. DDF<sub>s</sub> values in the medium sized  
327 Waier basin mainly fall into a range of 2.0-3.0 mm/d/°C, while in the smallest basin, the  
328 Innergschloess, they fall into a range of 2.0-4.0 mm/d/°C (see Fig. 2). Generally, both the  
329 snow density and DDF<sub>s</sub> values increase with increasing elevation (see Fig. 3), as would be  
330 expected. The value of snow density can be affected by the duration of the snow cover. In  
331 high elevation subcatchments, temperatures tend to be lower which leads to more snowfall  
332 and more opportunity for compaction and settling which, in turn, tends to result in higher  
333 snow densities (Rango and Martinec, 1995). The spatial pattern of DDF<sub>s</sub> can be attributed to  
334 the interaction of climate and basin topography as well as vegetation: At higher elevations,  
335 soils tend to be thin and air temperatures tend to be low, which are unfavorable conditions for  
336 the growth of vegetation. Therefore, the share of latent heat of transpiration in the energy  
337 balance is lower. Lower temperatures at higher elevation also reduce the share of sensible  
338 heat (Musselman *et al.*, 2012). Coupling with a stronger solar radiation due to lower  
339 cloudiness, stronger snowmelt is produced at higher elevations relative to the difference  
340 between daily temperature ( $T$ ) and the threshold value ( $T_m$ ). Higher elevations are also  
341 associated with steep terrain which reinforces the melt rate by increasing the solar incident  
342 angle on the south facing slopes (Blöschl *et al.*, 1991a,b; Blöschl and Kirnbauer, 1992). At  
343 lower elevations, climate conditions are favorable for the growth of vegetation, which

344 produce a higher share of latent heat by transpiration and restrain the snowmelt. On the other  
345 hand, higher vegetation canopies may contribute to higher soil water contents which may  
346 increase the albedo of the land surface and may reduce the energy available for snowmelt  
347 (Kuusisto, 1980). The moist soil can also enhance the temperature gradient and create sharp  
348 gradients in sensible heat fluxes (Entekhabi *et al.*, 1996) and allow fast redistribution of soil  
349 moisture at small scales (Western *et al.*, 1998). Changes of the heat conditions in the near  
350 surface atmosphere in turn may change the soil moisture state and may promote vegetation  
351 growth. The spatial variability of snow density and DDF<sub>s</sub> is likely the combined result of a  
352 number of factors, including slope aspect, wind speed and shading, in addition to elevation  
353 and vegetation.

#### 354 **4.2 Transferability in time of the estimated DDF<sub>s</sub>**

355 The data set used in this study has been divided into two sub-periods: calibration period  
356 from 1 January 2001 to 31 December 2005 and validation period from 1 January 2006 to 31  
357 December 2010. The average annual precipitation is 1126 mm in the calibration period, and  
358 1238 mm in the validation period. The mean daily temperature is 2.28°C in the calibration  
359 period, and 2.59°C mm in the validation period. Mean daily snow coverage from MODIS is  
360 approximately 10% in the calibration period, and about 12% in the validation period.  
361 Although the difference of the climate and snow cover conditions in the two periods is small,  
362 it can still play a role in the snowmelt processes. Therefore, we re-estimated the value of  
363 snow density and DDF<sub>s</sub> using the climate data and MODIS snow data in the validation period  
364 and compared the new estimated DDF<sub>s</sub> set with that estimated using data in the calibration  
365 period in Fig. 4. The comparison shows that the two estimated sets of DDF<sub>s</sub> and snow density  
366 (SD) are slight different due to the different climate and snow cover conditions in the two  
367 sub-periods. However, the correlation coefficients between the two estimated DDF<sub>s</sub> sets and  
368 that between the two SD sets are both high, i.e. 0.802 for the DDF<sub>s</sub> and 0.720 for the SD (see  
369 Fig. 4), which indicates that both the two estimated DDF<sub>s</sub> sets and two SD sets are consistent  
370 in the two sub-periods. There is no significant systematic bias for the estimated DDF<sub>s</sub> and SD.  
371 This suggests the transferability in time of the estimated DDF<sub>s</sub> in the whole study period. To  
372 further test its transferability in time, we applied DDF<sub>s</sub> values estimated in one period for the  
373 simulation of basin discharge and snow cover in the other period. For example, in the

374 following Section 4.4, we used the  $DDF_S$  set estimated by snow data in the calibration period  
375 (2001 to 2005) for the model simulation in the validation period (2006 to 2010).

### 376 **4.3 Stepwise calibration**

377 Model parameters in the three basins are calibrated on the corresponding hydrograph  
378 partitions separately (see He *et al.* (2014)). After the calibration, we combined the simulations  
379 of the four partitions and obtained the entire simulation of daily discharge. As an example, the  
380 simulation in each step in the largest basin, the Lienz basin, is shown in Fig. 5, using the  
381 calibrated degree-day factors for snowmelt and glacier melt as  $2.6\text{mm/d/}^\circ\text{C}$  and  $3.5\text{mm/d/}^\circ\text{C}$   
382 respectively, as shown in Table 1. The  $\log RMSE$  and  $RMSE$  values in Fig. 5 suggest that the  
383 simulations of each hydrograph partition are very reasonable. The calibrated parameter set  
384 was also tested for the validation period (2006-2010), as shown in Fig. 6. Again, the  
385 performance is very reasonable as indicated by  $NSE$  and  $\log NSE$ . For example, in the Lienz  
386 basin  $NSE$  values are 0.817 and 0.833 in the calibration and validation periods, respectively,  
387 indicating the suitability of the calibrated parameter set. The simulation performances for the  
388 two sub-basins (Waier and Innergschloess) are also shown in Table 1.

389 The calibrated  $DDF_S$  and  $DDF_G$  are slight different in the three basins.  $DDF_S$  ranges  
390 from 1.0 to  $2.6\text{mm/d/}^\circ\text{C}$ , and  $DDF_G$  ranges from 3.5 to  $6.0\text{mm/d/}^\circ\text{C}$ . The calibrated  $DDF_S$  in  
391 the Lienz and Waier basins are similar to those estimated from MODIS and snow depth data  
392 in Sect. 4.1, while the calibrated value,  $1.0\text{mm/d/}^\circ\text{C}$ , in the Innergschloess basin is clearly  
393 different from the estimated values that range from 2.0 to  $4.0\text{mm/d/}^\circ\text{C}$ . Given the role of  
394 radiation in this high elevation basin, the value of  $1.0\text{mm/d/}^\circ\text{C}$  seems far too low, and the  
395 snow data based estimate is much more reasonable.

396 The runoff simulations in the medium basin (Waier) are the best with an  $NSE$  value of  
397 0.832 in the calibration period and 0.863 in the validation period. Runoff simulations in the  
398 smallest basin (Innergschloess) exhibit a slightly lower performance with an  $NSE$  value of  
399 0.726 in the validation period. This may be partly due to the remarkably low value of the  
400 calibrated  $DDF_S$ , i.e.  $1.0\text{mm/d/}^\circ\text{C}$ . The calibration of  $DDF_S$  relies heavily on the observed  
401 hydrographs, which may introduce uncertainties in the  $DDF_S$  estimates in some cases.

### 402 **4.4 Evaluation of estimated $DDF_S$**

403 To evaluate the estimated  $DDF_S$ , we replaced the calibrated  $DDF_S$  in the model with the

404 ones estimated from snow data, and reran the hydrological simulation. The other model  
405 parameters remained the same as those calibrated in Sect. 4.3. The new simulation results in  
406 the three basins are summarized in Table 1. The simulations using the spatially variable  $DDF_s$   
407 estimated from snow data tend to perform better than those using the calibrated, spatially  
408 uniform  $DDF_s$ . In the Lienz and Waier basins, the new simulations are similar to those shown  
409 in Sect. 4.3, as demonstrated by the  $ME$  values in Table 1. For example, Fig. 7 presents the  
410 new simulation for the Lienz basin with an  $NSE$  value of 0.810 in the calibration period and  
411 0.826 in the validation period. Both are very similar to the  $NSE$  values shown in Fig. 6. The  
412 mean value of the estimated  $DDF_s$  in these two basins are  $2.7\text{mm/d/}^\circ\text{C}$  and  $2.6\text{mm/d/}^\circ\text{C}$   
413 respectively, both are similar to the calibrated value of  $2.6\text{mm/d/}^\circ\text{C}$ . It is worth noting that the  
414 new simulation in the smallest Innergschloess basin is significantly better, especially in the  
415 validation period, considering the  $ME$  values in Table 1. The mean value of the estimated  
416  $DDF_s$  in this basin is  $3.2\text{mm/d/}^\circ\text{C}$  which is clearly different from the calibrated value. This  
417 suggests that the calibrated  $DDF_s$  value of  $1.0\text{mm/d/}^\circ\text{C}$  in this small, high elevation basin  
418 may not be accurate.

419 As the  $DDF_s$  value has the most sensitive effect on the snowmelt dominated hydrograph  
420 partition ( $Q_{SB}+Q_{SM}$ ), we focus on the simulation of this partition by the two  $DDF_s$  sets in Fig.  
421 8. The simulation performance is evaluated using  $RMSE$ . The first two rows in Fig. 8 show  
422 the simulations using calibrated (Fig. 8a-c) and estimated (Fig. 8d-f)  $DDF_s$  in the calibration  
423 period, and the last two rows present the simulations in the validation period (Fig. 8g-i is for  
424  $DDF_s$  calibrated on runoff and Fig. 8j-l is for  $DDF_s$  estimated from snow data). The  
425 differences of the  $RMSE$  values obtained by the two  $DDF_s$  sets in the Lienz basin (first  
426 column) range from 0.132 to 0.347  $\text{m}^3\text{s}$ . Considering the relatively higher levels of the  
427 discharge, the two simulations can still be regarded as very close. As to the Waier basin  
428 (second column), the  $RMSE$  value obtained by the estimated  $DDF_s$  in the calibration period is  
429 slightly higher (0.04  $\text{m}^3\text{s}$  higher) but much lower (0.263  $\text{m}^3\text{s}$  lower) in the validation period.  
430 In Innergschloess basin (third column), the  $RMSE$  values in the calibration period are as close  
431 as a slight difference of 0.016  $\text{m}^3\text{s}$ , while in the validation period the  $RMSE$  value obtained  
432 by the estimated  $DDF_s$  is 0.118  $\text{m}^3\text{s}$  lower than that obtained by the calibrated  $DDF_s$ .  
433 Comparisons of the simulations of the  $Q_{SB}+Q_{SM}$  hydrograph partition show a similar



434 performance in the calibration period but a better performance of estimated  $DDF_s$  in the  
435 validation period. Overall, the comparisons for the three basins shown in Table 1 and Fig. 8  
436 suggest that the  $DDF_s$  values estimated from snow data by the new method tend to produce a  
437 somewhat better runoff simulation performance.

438 We also assess the suitability of the estimated  $DDF_s$  values by examining the snow cover  
439 simulations in the study basins. The match between simulated snow cover and observed snow  
440 cover from MODIS is illustrated in Fig. 9 to Fig.12. The THREW model simulates snow  
441 water equivalent (SWE) in each subcatchment. To obtain the snow covered area (SCA) in the  
442 basin, we define a threshold value for the simulated SWE ( $SWE_T$ ), above which the sub unit  
443 of the basin (i.e. subcatchment) is considered to be fully covered by snow, and below it the  
444 subcatchment is considered snow free. Subsequently, we obtain the simulated time series of  
445 SCA of the study basin. For example, Fig. 9 shows the comparison of simulated SCA using  
446  $DDF_s$  calibrated on runoff and  $DDF_s$  estimated from snow data, and the observed SCA from  
447 MODIS in both calibration and validation periods in the Lienz basin. Fig. 10 shows a similar  
448 figure for Innergschloess. The black dots in Figs. 9 and 10 are the MODIS observed SCA  
449 values on days when the observed cloud coverage in the basin was lower than 20%. The  
450 similarity of the simulated SCA and observed SCA (just for the days when MODIS was  
451 available) is evaluated using  $RMSE$ , where  $RMSE_c$  relates to the simulations using calibrated  
452  $DDF_s$  and  $RMSE_e$  relates to the simulations using estimated  $DDF_s$ . We determine the  $SWE_T$   
453 threshold by optimizing the  $RMSE_c$  values in the calibration period in the Lienz basin which  
454 resulted in a value of 18 mm. Parajka and Blöschl (2008a) give details on how the threshold  
455 can be chosen.

456 Generally, the simulated snow covered areas by the two  $DDF_s$  sets are similar and both  
457 are close to those observed by MODIS in the Lienz basin. The similarity can be attributed to  
458 the similar value of estimated and calibrated  $DDF_s$  in this basin. It is interesting that the  
459 simulation of SCA by estimated  $DDF_s$  (green lines) still has a higher performance as  
460 indicated by the lower  $RMSE_e$  values in both calibration and validation periods. As to the  
461 simulation in Innergschloess shown in Fig. 10, the simulated SCA using estimated  $DDF_s$   
462 (green lines) matches the MODIS observed SCA significantly better than that simulated by  
463 calibrated  $DDF_s$  (red lines) in both calibration and validation periods. The  $RMSE_e$  values are

464 approximately 0.07 lower than the *RMSEc* values (Fig. 10). This result suggests that the  
465  $DDF_s$  values estimated from snow data in this basin represent the snowmelt pattern better  
466 than the value calibrated on runoff.

467 Several days with available MODIS data (black dots in Fig. 9) were selected to analyze  
468 the snow patterns in Figs. 11-12. The selected days include April 29<sup>th</sup>, May 7<sup>th</sup> and June 10<sup>th</sup>  
469 in 2003, and April 27<sup>th</sup>, May 7<sup>th</sup> and May 27<sup>th</sup> in 2008. The snow patterns are expressed as the  
470 spatial distribution of simulated SWE using calibrated  $DDF_s$  and estimated  $DDF_s$ , and the  
471 spatial distribution of SCA observed by MODIS. Figs. 11 and 12 show the results for the  
472 calibration period and validation period, respectively. Sub-catchments are covered with snow  
473 refers to purple surfaces in Figs. 11 and 12. The intensity of the purple color increases with  
474 the increasing of the value of snow coverage (SCA) from MODIS or simulated SWE. The  
475 green surface in the two figures refers to areas where SCA value from MODIS or the  
476 simulated SWE value is zero, i.e. non-snow covered areas. Generally, a higher simulated  
477 SWE value corresponds to a higher MODIS SCA value in that subcatchment. All the three  
478 snow patterns show a clear snow ablation process from late April to late May. In April, most  
479 of the basin area is covered by snow, and the snow water equivalent can be as high as  
480 600-700mm, while snow cover almost disappears in late May 2003. May is a snowmelt flood  
481 month which is also indicated in Fig. 6 by the abrupt increase of discharge in this month.  
482 However, there are some differences between the three snow patterns. In the upstream  
483 subcatchments the simulated snow water equivalent using calibrated  $DDF_s$  is higher than that  
484 using estimated  $DDF_s$ . Correspondingly, the simulated sub-catchments are covered with snow  
485 using calibrated  $DDF_s$  are more than those observed from MODIS (see Figs. 11 and 12 on  
486 June 10<sup>th</sup>, 2003 and May 27<sup>th</sup>, 2008). In the downstream subcatchments, simulated snow  
487 covered sub-catchments by the two  $DDF_s$  sets are both less than the observed ones (see Figs.  
488 11 and 12 on April 29<sup>th</sup>, 2003 and May 7<sup>th</sup>, 2008). Overall, the similarity between the spatial  
489 distribution of snow covered sub-catchments simulated using estimated  $DDF_s$  and the spatial  
490 distribution observed by MODIS is higher than that simulated using calibrated  $DDF_s$ , which  
491 can be seen for May 7<sup>th</sup>, June 10<sup>th</sup> in 2003, and April 27<sup>th</sup> and May 27<sup>th</sup> in 2008. MODIS data  
492 were one of the inputs to estimating  $DDF_s$ , so this result shows the consistency and usefulness  
493 of the estimates.

## 494 5 Discussion and conclusions

495 This study proposes a method for estimating snowmelt degree-day factor (DDF<sub>s</sub>) based  
496 on MODIS snow cover data and snow depth data. DDF<sub>s</sub> is estimated in each subcatchment of  
497 the study basin separately. The spatial distribution of DDF<sub>s</sub> shows a strong correlation with  
498 elevation. Subcatchments with high elevations are associated with higher DDF<sub>s</sub> values, which  
499 can be partly attributed to the interactions of climate conditions, topography and vegetation.  
500 The comparisons between simulations using DDF<sub>s</sub> estimated from snow data and DDF<sub>s</sub>  
501 calibrated on runoff in terms of discharge and snow cover patterns show that the estimated  
502 DDF<sub>s</sub> are indeed more plausible than the calibrated DDF<sub>s</sub>. The better performance can be  
503 attributed to two advantages of the estimation method: First, using spatially variable snow  
504 cover data from MODIS and snow depth data, it is possible to estimate DDF<sub>s</sub> in a spatially  
505 distributed fashion, while the calibrated DDF<sub>s</sub> are lumped values and therefore spatially  
506 uniform. Second, the values of DDF<sub>s</sub> are estimated directly from observed snow cover data,  
507 accounting for snow density, without involving runoff processes. The direct estimation should  
508 have a stronger physical basis than the calibration in which the value of DDF<sub>s</sub> is influenced  
509 by a number of hydrological processes and the interactions of hydrological model parameters  
510 (Merz *et al.*, 2011). However, the modeling improvement when using the spatially distributed  
511 DDF<sub>s</sub> should indeed be different for different modeling scales. The modeling scale, i.e. size  
512 of fundamental computational unit (sub-catchment in this study), can have a significant  
513 influence on the simulation, considering the spatial resolution of MODIS data and the spatial  
514 density of gauge stations for precipitation and temperature. Adopting different sub-catchment  
515 sizes in the model could be a potential way to analyze the scale effect on the simulation,  
516 which can be an issue for further study.

517 The estimated values of snow density and DDF<sub>s</sub> are fully consistent with those estimated  
518 by Kuusisto (1980), Rango and Martinec (1995), Parajka *et al.* (2005) and Sturm *et al.* (2010).  
519 The values of snow density estimated in Sturm *et al.* (2010) in Canada and the United States  
520 fell into a range of 0.19 to 0.51 g/cm<sup>3</sup>, and the DDF<sub>s</sub> of snowmelt estimated in Parajka *et*  
521 *al.*(2005) in Austria ranged from approximately 0.5 to 5.0 mm/d/°C. The simulations of snow  
522 cover patterns show an obvious snow ablation process from late April to late May in the study  
523 basin, which was also indicated by Blöschl *et al.* (1990). The performance of the runoff

524 simulations in this study is also very reasonable ( $NSE$  almost always  $>0.8$ ). For example, the  
525 runoff simulations of Parajka *et al.* (2007) in 320 catchments in Austria based on automatic  
526 calibration gave  $NSE$  mean values of about 0.75 in calibration period and 0.70 in validation  
527 period. Considering that high  $NSE$  values are relatively easier to be reached in snowmelt  
528 affected basins, the performance of the stepwise calibration method should be evaluated in  
529 further studies. It is believed that the actual model performance is similar to that of automatic  
530 methods, yet the parameter estimates may be more plausible as different parameter groups are  
531 estimated separately, which reduces the problem of parameter interdependence in the  
532 calibration process.

533 It should be noted that the estimated values of snow density and  $DDF_s$  are associated  
534 with a number of uncertainty sources: the temperature threshold values that determine the  
535 occurrence of snowmelt ( $T_m$ ) and the transition between liquid and solid precipitation (i.e.  $T_S$   
536 and  $T_R$ ) and also the spatial interpolation method of the snow depth data. Usually, the value of  
537  $T_m$  falls in between the values of  $T_S$  and  $T_R$  in mountain basins. As long as the temperature is  
538 higher than  $T_R$ , the change of snow water equivalent (SWE) can be attributed to snowmelt  
539 alone. When the temperature is lower than  $T_S$ , basin snow water equivalent will be affected by  
540 snowfall alone. The proposed estimation method can be used in mountain basins with variable  
541 values of  $T_m$ ,  $T_S$  and  $T_R$  in different basins. Reliable snow depth data are important for  
542 estimating snow density and  $DDF_s$  well. To obtain the spatial distribution of snow depth,  
543 measured data in 7 stations in the study area were interpolated here. The interpolation method  
544 can play a significant role. Importantly, in this paper we made the assumption that snow  
545 density during days of accumulation and ablation is similar. Snow density generally increases  
546 with the increasing of snow age. We know that there is in fact a hysteresis in the relationship  
547 between snow water equivalent and snow depth (Magand *et al.*, 2014): During accumulation  
548 days, snowfall occurs all over the catchment, and the mean snow depth tends to increase  
549 quickly and uniformly over the catchment. By contrast, during the ablation days, snowmelt  
550 tends to occur in preferential locations due to variability of topography and vegetation in the  
551 catchment. The mean snow depth decreases gradually with the reduction of snow water  
552 equivalent as snow stays longer at high elevations and small hollows. The effect of this  
553 hysteresis on the estimated value of degree-day factor for snowmelt for different

554 sub-catchment scales needs further analysis on the basis of detailed snow data. Also the  
555 analysis of the sensitivity of the results to other uncertainty sources could be the topic of  
556 future work.

557 **Acknowledgements**

558 This study was supported by the National Science Foundation of China (NSFC 51190092,  
559 U1202232, 51222901) and the foundation of the State Key Laboratory of Hydroscience and  
560 Engineering of Tsinghua University (2014-KY-01). We would like to thank the International  
561 Communication Fellowship of Tsinghua University for financial support. We also thank  
562 Thomas Nester and Jürgen Komma for their helpful suggestions on the hydrological modeling  
563 in Austria, and Magdalena Rogger for providing the hydrogeology data in the study area.

564 **References**

- 565 Andreadis, K. M. and Lettenmaier, D. P.: Assimilating remotely sensed snow observations  
566 into a macroscale hydrology model, *Adv. Water Resour.*, 29, 872-886, 2006.
- 567 Bach, H., Braun, M., Lampart, G. and Mauser, W.: Use of remote sensing for hydrological  
568 parameterisation of Alpine catchments, *Hydrol. Earth Syst. Sci.*, 7, 862-876, 2003.
- 569 Blöschl, G., Gutknecht, D. and Kirnbauer, R.: Distributed snowmelt simulations in an Alpine  
570 catchment.2. Parameter study and model predictions, *Water Resour. Res.*, 3181-3188,  
571 1991b.
- 572 Blöschl, G. and Kirnbauer, R.: An analysis of snow cover patterns in a small Alpine  
573 catchment, *Hydrol. Process.*, 6, 99-109, 1992.
- 574 Blöschl, G., Kirnbauer, R. and Gutknecht, D.: Distributed snowmelt simulations in an Alpine  
575 catchment.1. model evaluation on the basis of snow cover patterns, *Water Resour. Res.*,  
576 27, 3171-3179, 1991a.
- 577 Blöschl, G., Kirnbauer, R. and Gutknecht, D.: Modelling snowmelt in a mountainous river  
578 basin on an event basis, *J. Hydrol.*, 113, 207-229, 1990.
- 579 Bormann, K. J., Evans, J. P. and McCabe, M. F.: Constraining snowmelt in a  
580 temperature-index model using simulated snow, *J. Hydrol.*, Available online 11 June  
581 2014, in press, doi: 10.1016/j.jhydrol.2014.05.073, 2014.
- 582 Bormann, K. J., Westra, S., Evans, J. P. and McCabe, M. F.: Spatial and temporal variability  
583 in seasonal snow density, *J. Hydrol.*, 484, 63-73, 2013.
- 584 Cazorzi, F. and DallaFontana, G.: Snowmelt modelling by combining air temperature and a  
585 distributed radiation index, *J. Hydrol.*, 181, 169-187, 1996.
- 586 Daly, S. F., Davis, R., Ochs, E. and Pangburn, T.: An approach to spatially distributed snow  
587 modelling of the Sacramento and San Joaquin basins, California, *Hydrol. Process.*, 14,  
588 3257-3271, 2000.
- 589 Dery, S. J., Salomonson, V. V., Stieglitz, M., Hall, D. K. and Appel, I.: An approach to using  
590 snow areal depletion curves inferred from MODIS and its application to land surface  
591 modelling in Alaska, *Hydrol. Process.*, 19, 2755-2774, 2005.
- 592 Dunn, S. M. and Colohan, R.: Developing the snow component of a distributed hydrological  
593 model: a step-wise approach based on multi-objective analysis, *J. Hydrol.*, 223, 1-16,

594 1999.

595 Entekhabi, D., Rodriguez-Iturbe, I. and Castelli, F.: Mutual interaction of soil moisture state  
596 and atmospheric processes, *J. Hydrol.*, 184, 3-17, 1996.

597 Fierz, C., Riber, P., Adams, E. E., Curran, A. R., Fohn, P., Lehning, M. and Pluss, C.:  
598 Evaluation of snow-surface energy balance models in alpine terrain, *J. Hydrol.*, 282,  
599 76-94, 2003.

600 Georgievsky, M. V.: Application of the Snowmelt Runoff model in the Kuban river basin  
601 using MODIS satellite images, *Environ. Res. Lett.*, 4, doi:10.1088/1748-9326/4/4/0450,  
602 2009.

603 Hall, D. K. and Riggs, G. A.: Accuracy assessment of the MODIS snow products, *Hydrol.*  
604 *Process.*, 21, 1534-1547, 2007.

605 Hall, D. K., Riggs, G. A., Salomonson, V. V., DiGirolamo, N. E. and Bayr, K. J.: MODIS  
606 snow-cover products, *Remote Sensing of Environment*, 83, 181-194, 2002.

607 Hall, D. K., Tait, A. B., Foster, J. L., Chang, A. and Allen, M.: Intercomparison of  
608 satellite-derived snow-cover maps, *Annals of Glaciology* 31, 2000, 31, 369-376, 2000.

609 Hall, D. K., V. V. Salomonson, and G. A. Riggs. 2006a. MODIS/Terra Snow Cover Daily L3  
610 Global 500m Grid. Version 5. Boulder, Colorado USA: National Snow and Ice Data  
611 Center.

612 Hall, D. K., V. V. Salomonson, and G. A. Riggs. 2006b. MODIS/Aqua Snow Cover Daily L3  
613 Global 500m Grid. Version 5. Boulder, Colorado USA: National Snow and Ice Data  
614 Center.

615 Hamlet, F., Mote, W., Clark, P. and Lettenmaier, P.: Effects of Temperature and Precipitation  
616 Variability on Snowpack Trends in the Western United States, *Journal of Climate*, 18,  
617 4545-4561, 2005.

618 He, Z., Tian, F., Hu, H. C., Gupta, H. V. and Hu, H. P.: Diagnostic calibration of a  
619 hydrological model in an alpine area, *Hydrol. Earth Syst. Sci. Discuss.*, 11, 1253-1300,  
620 doi:10.5194/hessd-11-1253-2014, 2014, 2014.

621 Hinzman, L. D. and Kane, D. L.: Snow hydrology of a headwater arctic basin-2. conceptual  
622 analysis and computer modeling, *Water Resour. Res.*, 27, 1111-1121, 1991.

623 Hock, R.: Temperature index melt modelling in mountain areas, *J. Hydrol.*, 282, 104-115,



624 2003.

625 Hock, R.: A distributed temperature-index ice- and snowmelt model including potential direct  
626 solar radiation, *Journal of Glaciology*, 45, 101-111, 1999.

627 Howard, C.: Revisiting the degree-day method for snowmelt computations - Discussion,  
628 *Water Resources Bulletin*, 32, 411-413, 1996.

629 Immerzeel, W. W., Droogers, P., de Jong, S. M. and Bierkens, M. F. P.: Large-scale  
630 monitoring of snow cover and runoff simulation in Himalayan river basins using remote  
631 sensing, *Remote Sensing of Environment*, 113, 40-49, 2009.

632 Jeelani, G., Feddema, J. J., van der Veen, C. J. and Stearns, L.: Role of snow and glacier melt  
633 in controlling river hydrology in Liddar watershed (western Himalaya) under current and  
634 future climate, *Water Resour. Res.*, 48, W12508, doi:10.1029/2011WR011590., 2012.

635 Johnson, J. B. and Schaefer, G. L.: The influence of thermal, hydrologic, and snow  
636 deformation mechanisms on snow water equivalent pressure sensor accuracy, *Hydrol.*  
637 *Process.*, 16, 3529-3542, 2002.

638 Kane, D. L., Gieck, R. E. and Hinzman, L. D.: Snowmelt modeling at small Alaskan arctic  
639 watershed, *Journal of Hydrologic Engineering*, 2, 204-210, 1997.

640 Kirchner, J. W.: Getting the right answers for the right reasons: Linking measurements,  
641 analyses, and models to advance the science of hydrology, *Water Resour. Res.*, 42,  
642 W03S04, doi:10.1029/2005WR004362, 2006.

643 Klein, A. G. and Barnett, A. C.: Validation of daily MODIS snow cover maps of the Upper  
644 Rio Grande River Basin for the 2000-2001 snow year, *Remote Sensing of Environment*,  
645 86, 162-176, 2003.

646 Klok, E. J., Jasper, K., Roelofsma, K. P., Gurtz, J. and Badoux, A.: Distributed hydrological  
647 modelling of a heavily glaciated Alpine river basin, *Hydrological Sciences Journal*, 46,  
648 553-570, 2001.

649 Kuusisto, E.: On the values and variability of degree-day melting factor in Finland, *Nordic*  
650 *Hydrology*, 11, 235-242, 1980.

651 Lang, H. and Braun, L.: On the information content of air temperature in the context of snow  
652 melt estimation, In: Molnar, L., (Ed.), *Hydrology of Mountainous Areas*, Proceedings of  
653 the Strbske Pleso Symposium 1990: IAHS Publ. no. 190, pp. 347-354, 1990.

654 Langston, G., Bentley, L. R., Hayashi, M., McClymont, A. and Pidlisecky, A.: Internal  
655 structure and hydrological functions of an alpine proglacial moraine, *Hydrol. Process.*,  
656 25, 2967-2982, 2011.

657 Lee, S. W., Klein, A. G. and Over, T. M.: A comparison of MODIS and NOHRSC  
658 snow-cover products for simulating streamflow using the Snowmelt Runoff Model,  
659 *Hydrol. Process.*, 19, 2951-2972, 2005.

660 Li, H. Y., Sivapalan, M. and Tian, F. Q.: Comparative diagnostic analysis of runoff  
661 generation processes in Oklahoma DMIP2 basins: The Blue River and the Illinois River,  
662 *J. Hydrol.*, 418, 90-109, 2012.

663 Li, X. G. and Williams, M. W.: Snowmelt runoff modelling in an arid mountain watershed,  
664 Tarim Basin, China, *Hydrol. Process.*, 22, 3931-3940, 2008.

665 Liu, T., Willems, P., Feng, X. W., Li, Q., Huang, Y., Bao, A. M., Chen, X., Veroustraete, F.  
666 and Dong, Q. H.: On the usefulness of remote sensing input data for spatially distributed  
667 hydrological modelling: case of the Tarim River basin in China, *Hydrol. Process.*, 26,  
668 335-344, 2012.

669 Luo, Y., Arnold, J., Liu, S. Y., Wang, X. Y. and Chen, X.: Inclusion of glacier processes for  
670 distributed hydrological modeling at basin scale with application to a watershed in  
671 Tianshan Mountains, northwest China, *J. Hydrol.*, 477, 72-85, 2013.

672 Magand, C., Ducharne, A., Moine, N. L., and Gascoïn, S.: Introducing Hysteresis in Snow  
673 Depletion Curves to Improve the Water Budget of a Land Surface Model in an Alpine  
674 Catchment, *J. Hydrometeor.*, 15, 631-649, 2014.

675 Martinec, J.: The degree-day factor for snowmelt-runoff forecasting, IAHS Publication, No.  
676 51, *Surface Waters*, 468-477, 1960.

677 Maurer, E. P., Rhoads, J. D., Dubayah, R. O. and Lettenmaier, D. P.: Evaluation of the  
678 snow-covered area data product from MODIS, *Hydrol. Process.*, 17, 59-71, 2003.

679 Marsh, C. B., Pomeroy, J. W. and Spiteri, R. J.: Implications of mountain shading on  
680 calculating energy for snowmelt using unstructured triangular meshes, *Hydrol. Process.*,  
681 26, 1767-1778, 2012.

682 Merz, R., Parajka, J. and Blöschl, G.: Time stability of catchment model parameters:  
683 Implications for climate impact analyses. *Water Resources Research*, 47, W02531,

684 doi:10.1029/2010WR009505, 2011.

685 Mou, L., Tian, F., Hu, H. and Sivapalan, M.: Extension of the Representative Elementary  
686 Watershed approach for cold regions: constitutive relationships and an application,  
687 *Hydrol. Earth Syst. Sci.*, 12, 565-585, 2008.

688 Musselman, K. N., Molotch, N. P., Margulis, S. A., Kirchner, P. B. and Bales, R. C.:  
689 Influence of canopy structure and direct beam solar irradiance on snowmelt rates in a  
690 mixed conifer forest, *Agricultural and Forest Meteorology*, 161, 46-56, 2012.

691 Nester, T., Kirnbauer, R., Gutknecht, D. and Blöschl, G.: Climate and catchment controls on  
692 the performance of regional flood simulations, *J. Hydrol.*, 402, 340-356, 2011.

693 Ohmura, A.: Physical basis for the temperature-based melt-index method, *Journal of Applied*  
694 *Meteorology*, 40, 753-761, 2001.

695 Parajka, J. and Blöschl, G.: The value of MODIS snow cover data in validating and  
696 calibrating conceptual hydrologic models, *J. Hydrol.*, 358, 240-258, 2008a.

697 Parajka, J. and Blöschl, G.: Spatio-temporal combination of MODIS images - potential for  
698 snow cover mapping, *Water Resour. Res.*, 44, 2008b.

699 Parajka, J., Merz, R. and Blöschl, G.: Uncertainty and multiple objective calibration in  
700 regional water balance modelling: case study in 320 Austrian catchments, *Hydrol.*  
701 *Process.*, 21, 435-446, 2007.

702 Parajka, J., Merz, R. and Blöschl, G.: A comparison of regionalisation methods for catchment  
703 model parameters, *Hydrol. Earth Syst. Sci.*, 9, 157-171, 2005.

704 Parajka, J. and Blöschl, G.: MODIS-based Snow Cover Products, Validation, and Hydrologic  
705 Applications. Chapter 9 in *Multi-scale Hydrological Remote Sensing: Perspectives and*  
706 *Applications*, ed. By N.B. Chang and Y. Hong, CRC Press, Boca Raton, 185-212, 2012.

707 Rango, A. and Martinec, J.: Application of a snowmelt-runoff model using Landsat data,  
708 *Nordic Hydrology*, 10, 225-238, 1979.

709 Rango, A. and Martinec, J.: Revisiting the degree-day method for snowmelt computations,  
710 *Water Resources Bulletin*, 31, 657-669, 1995.

711 Singh, P. and Kumar, N.: Determination of snowmelt factor in the Himalayan region,  
712 *Hydrological Sciences Journal*, 41, 301-310, 1996.

713 Singh, P., Kumar, N. and Arora, M.: Degree-day factors for snow and ice for Dokriani

714 Glacier, Garhwal Himalayas, *J. Hydrol.*, 235, 1-11, 2000.

715 Sturm, M., Taras, B., Liston, G. E., Derksen, C., Jonas, T. and Lea, J.: Estimating Snow  
716 Water Equivalent Using Snow Depth Data and Climate Classes, *Journal of*  
717 *Hydrometeorology*, 11, 1380-1394, 2010.

718 Tekeli, A. E., Akyurek, Z., Sorman, A. A., Sensoy, A. and Sorman, A. U.: Using MODIS  
719 snow cover maps in modeling snowmelt runoff process in the eastern part of Turkey,  
720 *Remote Sensing of Environment*, 97, 216-230, 2005.

721 Tian, F. Q., Hu, H. P. and Lei, Z. D.: Thermodynamic watershed hydrological model:  
722 Constitutive relationship, *Science in China Series E-Technological Sciences*, 51,  
723 1353-1369, 2008.

724 Tian, F. Q., Li, H. Y. and Sivapalan, M.: Model diagnostic analysis of seasonal switching of  
725 runoff generation mechanisms in the Blue River basin, Oklahoma, *J. Hydrol.*, 418,  
726 136-149, 2012.

727 Tian, F., Hu, H., Lei, Z. and Sivapalan, M.: Extension of the Representative Elementary  
728 Watershed approach for cold regions via explicit treatment of energy related processes,  
729 *Hydrol. Earth Syst. Sci.*, 10, 619-644, 2006.

730 Udnaes, H. C., Alfnes, E. and Andreassen, L. M.: Improving runoff modelling using  
731 satellite-derived snow covered area? *Nordic Hydrology*, 38, 21-32, 2007.

732 Verbunt, M., Gurtz, J., Jasper, K., Lang, H., Warmerdam, P. and Zappa, M.: The hydrological  
733 role of snow and glaciers in alpine river basins and their distributed modeling, *J. Hydrol.*,  
734 282, 36-55, 2003.

735 Viviroli, D., Weingartner, R. and Messerli, B.: Assessing the hydrological significance of the  
736 world's mountains, *Mountain Research and Development*, 23, 32-40, 2003.

737 Wang, X. W., Xie, H. J. and Liang, T. G.: Evaluation of MODIS snow cover and cloud mask  
738 and its application in Northern Xinjiang, China, *Remote Sensing of Environment*, 112,  
739 1497-1513, 2008.

740 Western, A. W., Blöschl, G. and Grayson, R. B.: How well do indicator variograms capture  
741 the spatial connectivity of soil moisture? *Hydrol. Process*, 12, 1851-1868, 1998.

742 Williams, K. S. and Tarboton, D. G.: The ABC's of snowmelt: a topographically factorized  
743 energy component snowmelt model, *Hydrol. Process.*, 13, 1905-1920, 1999.

744 Zhang, S. Q., Gao, X., Ye, B. S., Zhang, X. W. and Hagemann, S.: A modified monthly  
745 degree-day model for evaluating glacier runoff changes in China. Part II: application,  
746 Hydrol. Process., 26, 1697-1706, 2012.

747 Zhao, R. J.: The Xin'anjiang model applied in China, J. Hydrol,135,371-381,1992.

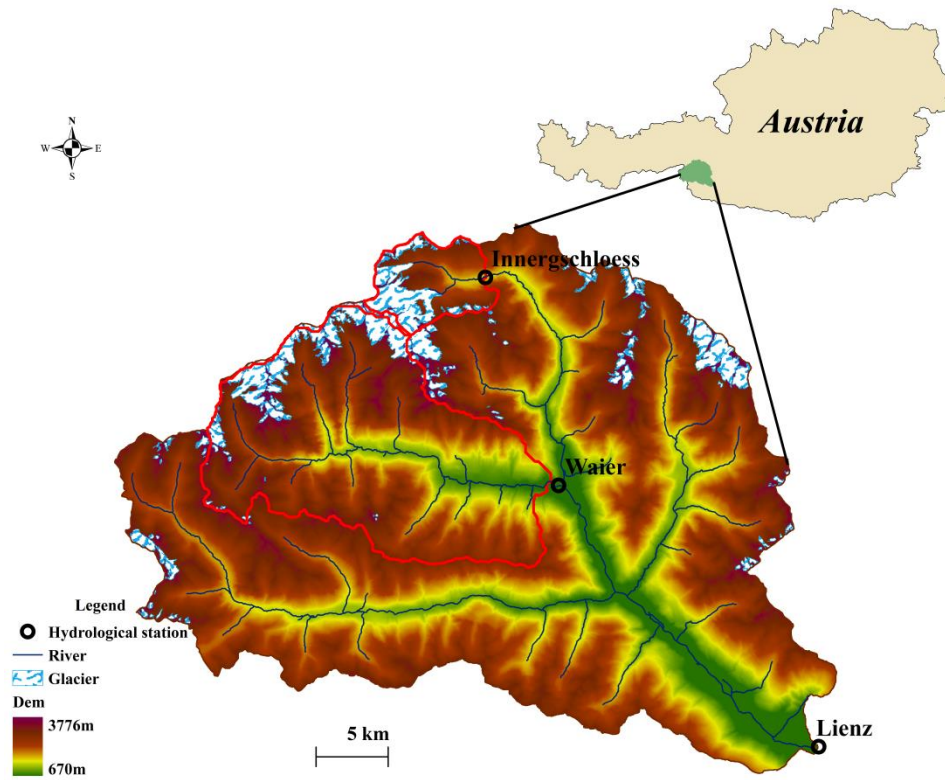
748 Zhou, X. B., Xie, H. J. and Hendrickx, J.: Statistical evaluation of remotely sensed  
749 snow-cover products with constraints from streamflow and SNOTEL measurements,  
750 Remote Sensing of Environment, 94, 214-231, 2005.

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752 Table 1. Performance of discharge simulations in three basins.  $DDF_S$  is the snowmelt degree-day factor  
753 and  $DDF_G$  is the glacier melt degree-day factor.  $ME$  is the sum of  $NSE$ ,  $\log NSE$  and  $VE$ . The value of  
754  $DDF_S$  estimated from snow data is expressed as the spatial mean value +/- the mean difference of the  
755 highest and the lowest value (in space) from the mean value.  $DDF_S$  values estimated by the proposed  
756 method are shown in bold.

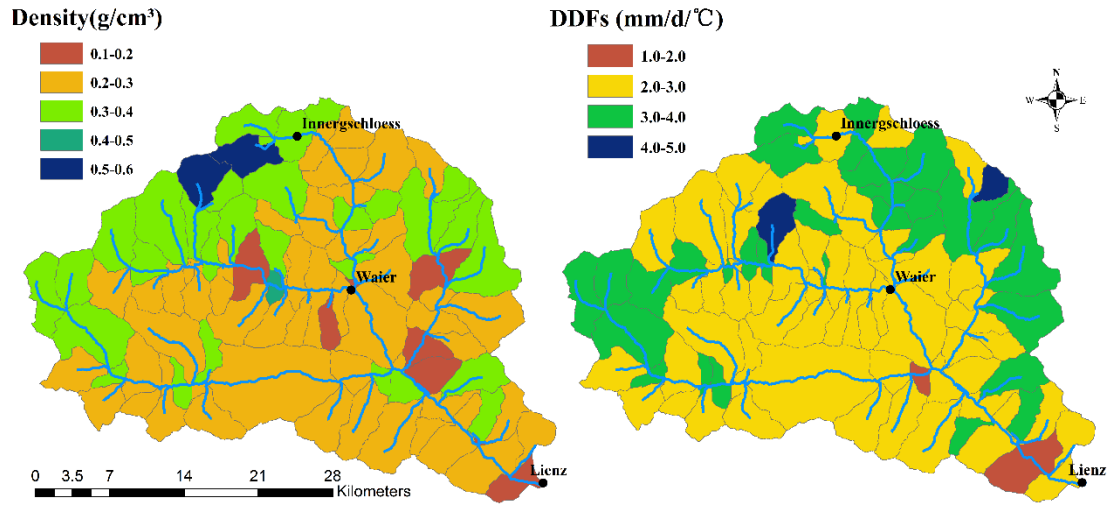
		Lienz		Waier		Innergshloess	
		Calibration	Validation	Calibration	Validation	Calibration	Validation
		Period	Period	Period	Period	Period	Period
DDF <sub>S</sub> calibrated on runoff	DDF <sub>S</sub> (mm/d/°C)	2.6	2.6	2.6	2.6	1.0	1.0
	DDF <sub>G</sub> (mm/d/°C)	3.5	3.5	4.2	4.2	6.0	6.0
	<i>NSE</i>	0.817	0.833	0.832	0.863	0.804	0.726
	<i>logNSE</i>	0.851	0.873	0.849	0.871	0.825	0.871
	<i>VE</i>	0.762	0.758	0.739	0.770	0.654	0.585
	<i>ME</i>	2.430	2.464	2.420	2.504	2.283	2.182
DDF <sub>S</sub> (mm/d/°C)		<b>2.7 +/-1.1</b>	<b>2.7 +/-1.1</b>	<b>2.6 +/-0.9</b>	<b>2.6 +/-0.9</b>	<b>3.2 +/-0.3</b>	<b>3.2 +/-0.3</b>
DDF <sub>S</sub> estimated from snow data	DDF <sub>G</sub> (mm/d/°C)	3.5	3.5	4.2	4.2	6.0	6.0
	<i>NSE</i>	0.810	0.826	0.835	0.845	0.801	0.768
	<i>logNSE</i>	0.845	0.867	0.845	0.869	0.826	0.885
	<i>VE</i>	0.751	0.746	0.740	0.760	0.648	0.628
	<i>ME</i>	2.406	2.439	2.420	2.474	2.275	2.281

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Figure 1. Location of the study area in Austria. Three catchments are analyzed, Lienz, Waier and Innerschloess, with areas of 1190 km<sup>2</sup>, 285 km<sup>2</sup> and 39 km<sup>2</sup>, respectively. The glacier coverage in the three basins is approximately 7%, 13% and 29%.

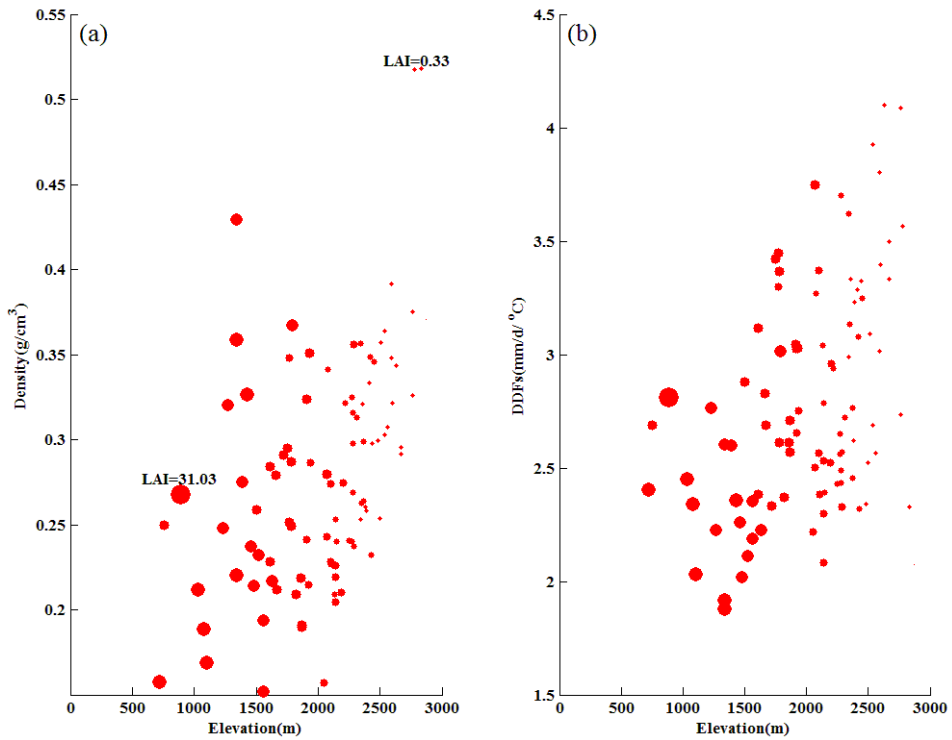


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763 Figure 2. Spatial distribution of the snow density and the snowmelt degree-day factor (DDFs) estimated

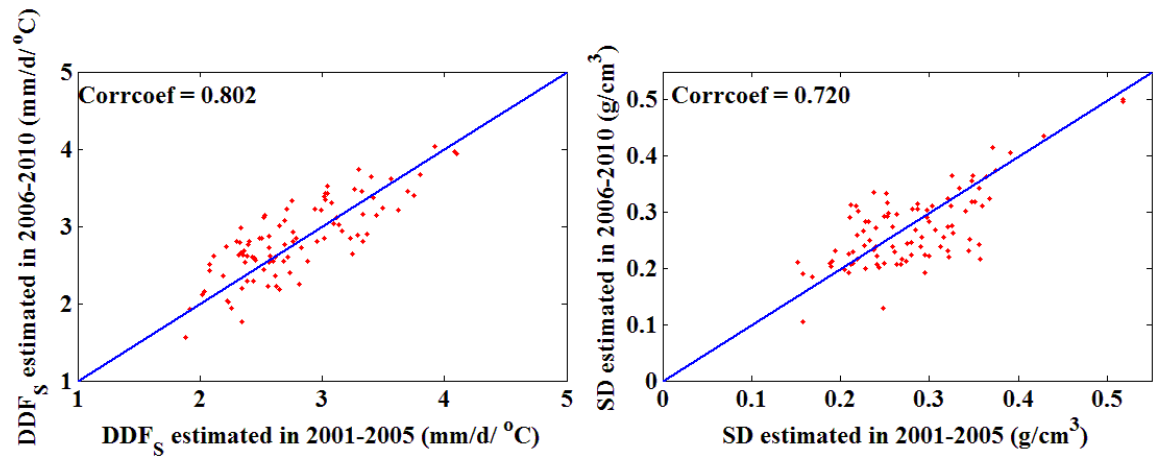
764 by the proposed method in the Lienz basin. Black dots indicate the stream gauges.





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Figure 3. Snow density and snowmelt degree-day factor (DDF<sub>s</sub>) estimated by the proposed method plotted against elevation in the Lienz basin. Each dot represents a sub-catchment in the basin. The size of dots increases with increasing of mean leaf area index (LAI) over the study period (2001-2010) which is derived from MODIS. LAI values in the basin range between 0.33 and 31.03.

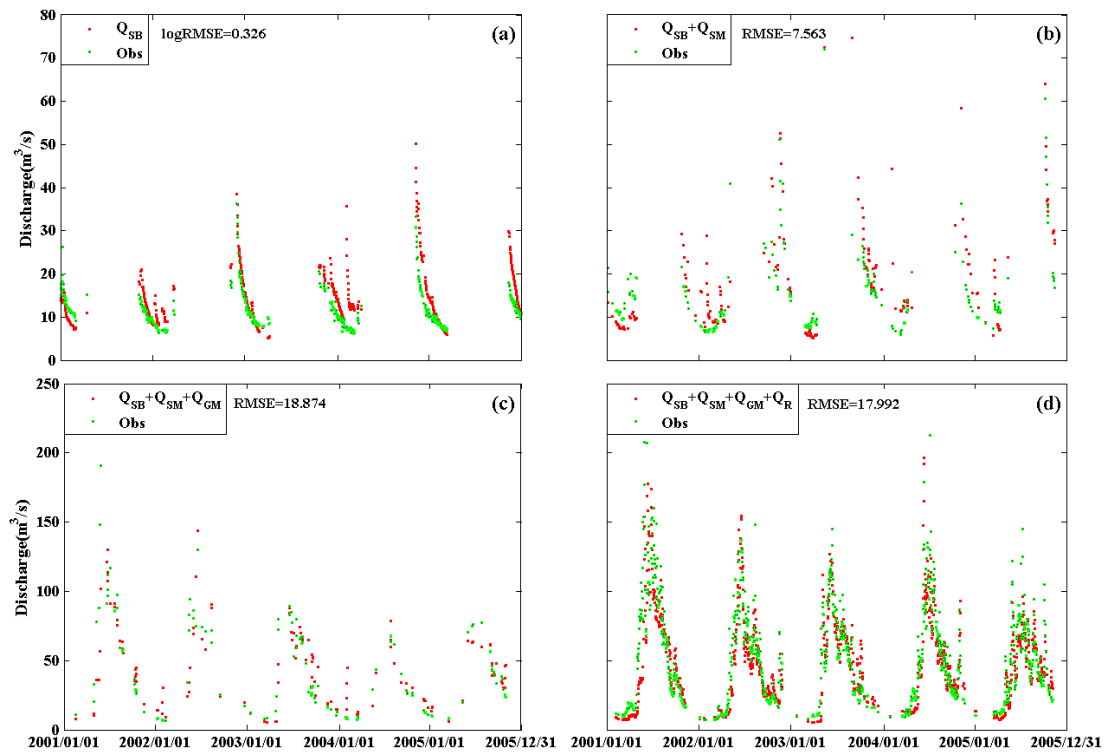


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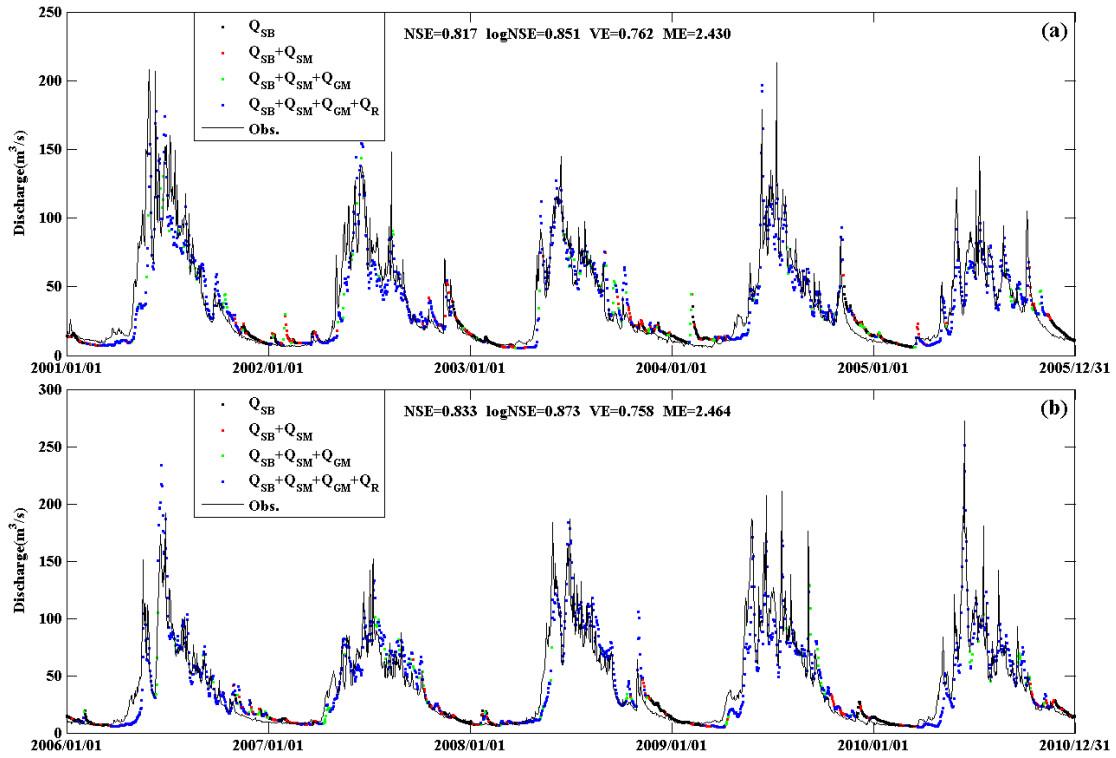
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Figure 4. Comparison of the estimated degree-day factor for snowmelt (DDF<sub>s</sub>) and snow density (SD) in two sub-periods. “Corrcoef” is the value of correlation coefficient between two estimated sets.



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Figure 5. Stepwise calibration results for the Lienz basin in the calibration period. (a) is the first calibration step in which the parameters controlling groundwater baseflow are calibrated, (b) to (d) are the subsequent three steps of calibrating melt factors and rainfall runoff parameters.  $Q_{SB}$ ,  $Q_{SM}$ ,  $Q_{GM}$  and  $Q_R$  are the simulated discharges that are generated by baseflow, snowmelt, glacier melt and rainfall, respectively.



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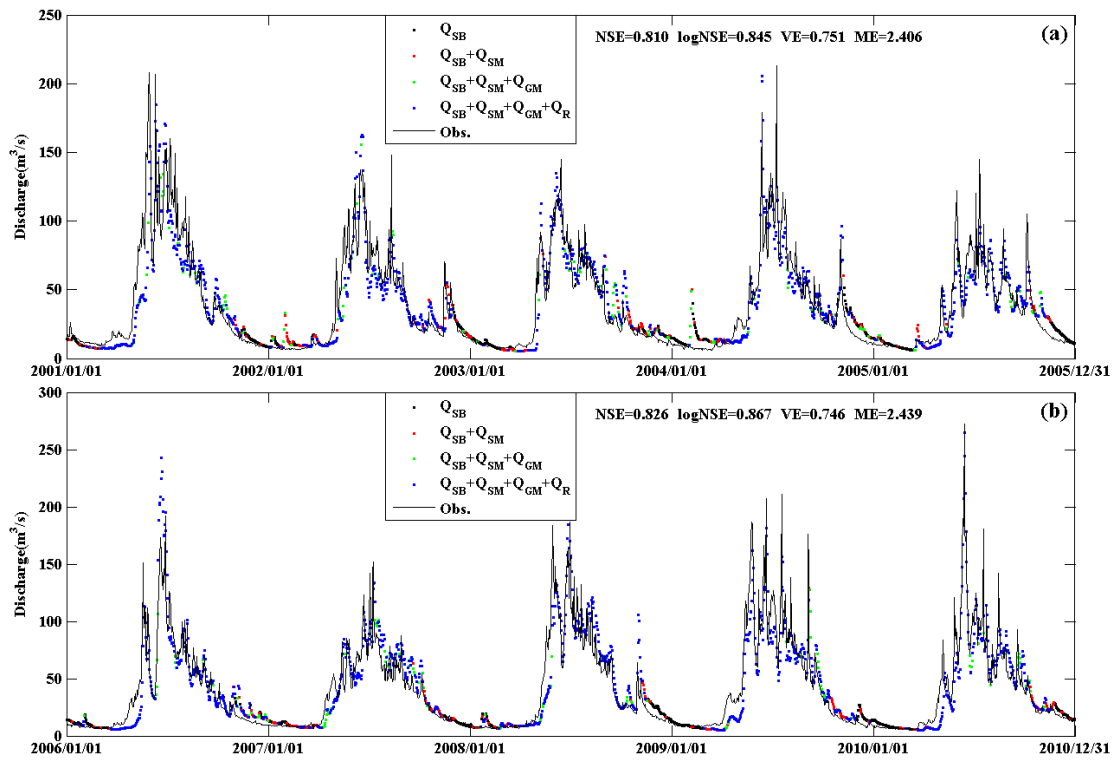
Figure 6. Simulation of daily discharge in the Lienz basin using the snowmelt degree-day factor calibrated on runoff. (a) is for the calibration period and (b) is for the validation period. The entire daily simulated discharge hydrograph has been combined from the simulations of different runoff segments.

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$Q_{SB}$  stands for the simulated runoff generated by groundwater baseflow,  $Q_{SM}$  and  $Q_{GM}$  indicate simulated runoff generated by snow and glacier melt, and  $Q_R$  is the simulated runoff generated by rainfall directly. Performance measures of the simulations are shown at the top of each panel.

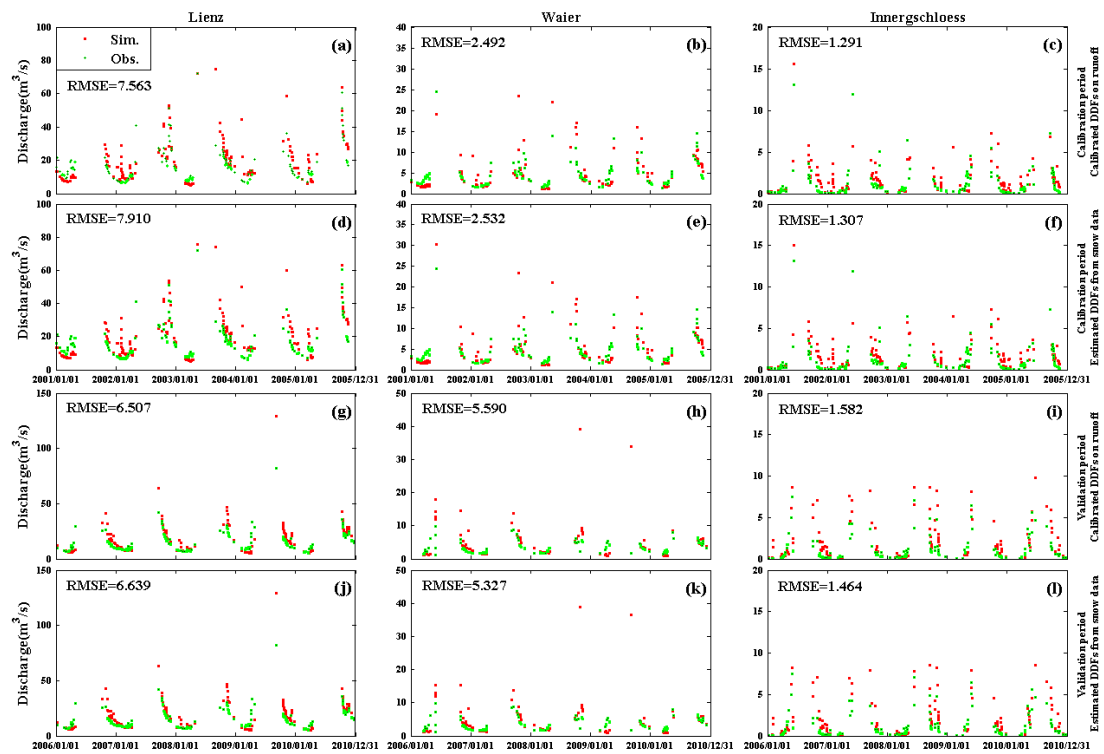
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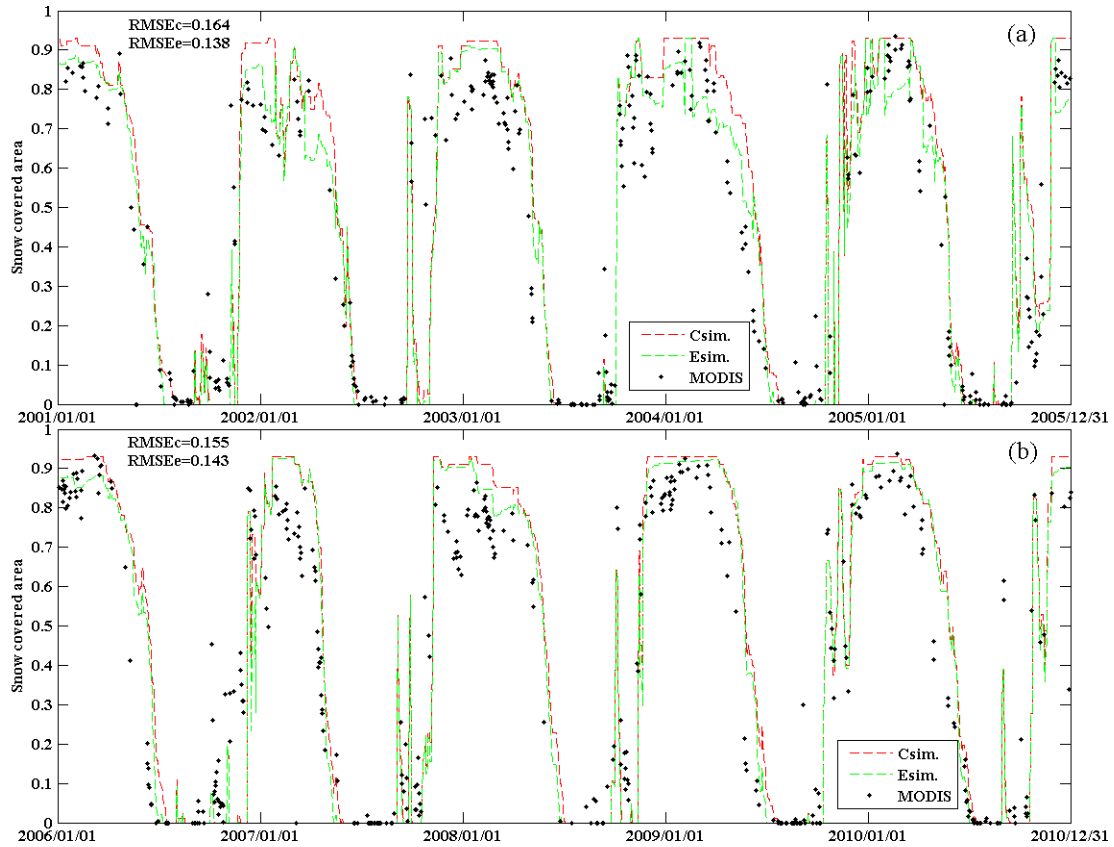
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Figure 7. Same as Fig. 5 but using snowmelt degree-day factors estimated from snow data.



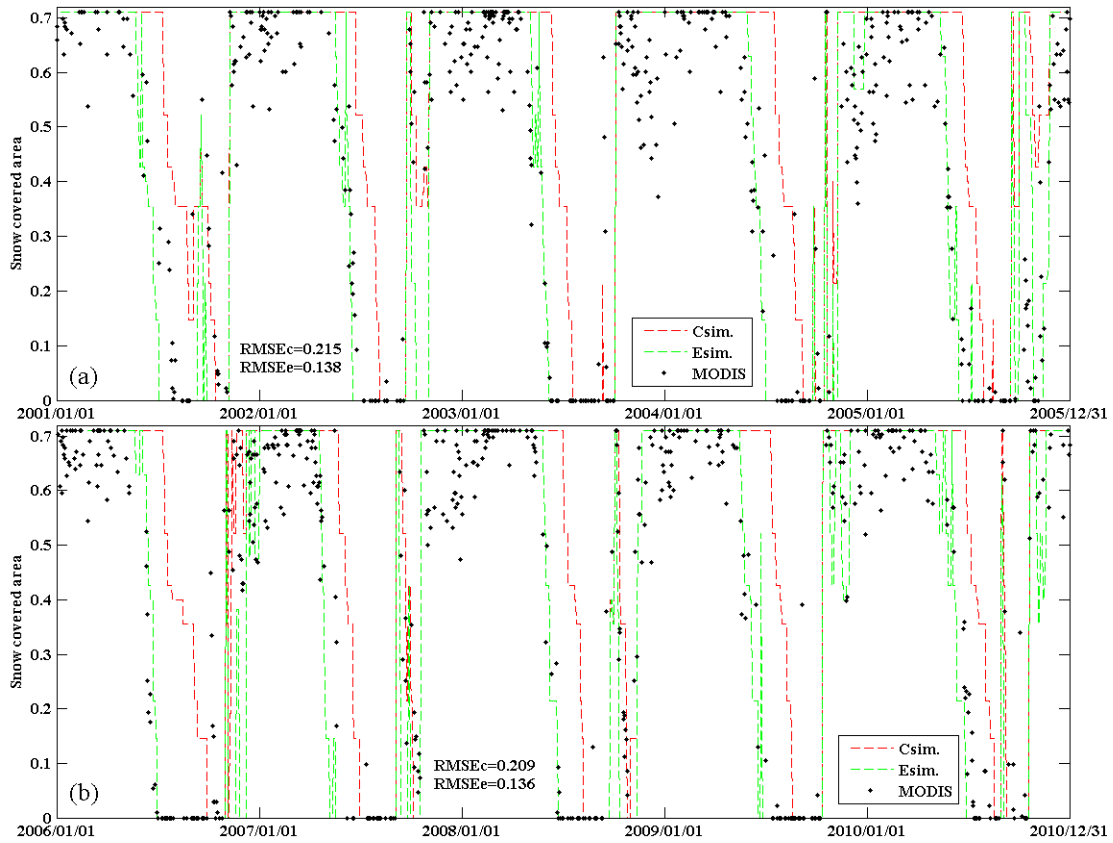
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Figure 8. Simulations of discharge segments generated by groundwater baseflow ( $Q_{SB}$ ) and snowmelt ( $Q_{SM}$ ) in the three basins. (a)-(c) are simulations for the calibration period using  $DDF_S$  calibrated on runoff, (d)-(f) are simulation for the calibration period using  $DDF_S$  estimated from snow data, (g)-(i) are simulations for the validation period using  $DDF_S$  calibrated on runoff, (j)-(l) are simulations for the validation period using  $DDF_S$  estimated from snow data. The discharge simulations are evaluated using the  $RMSE$  ( $m^3/s$ ).



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796 Figure 9. Simulations of the snow covered area (SCA) time series for the Lienz basin (1190 km<sup>2</sup>). Red  
 797 lines (Csim.) represent the SCA simulation using the snowmelt degree-day factor (DDF<sub>s</sub>) calibrated on  
 798 runoff; green lines (Esim.) represent the SCA simulation using snowmelt degree-day factors estimated  
 799 from snow data. Black dots are the MODIS observed SCA values. (a) is for the calibration period and  
 800 (b) is for the validation period. The simulations are evaluated by *RMSE<sub>c</sub>* for the calibrated DDF<sub>s</sub> and  
 801 *RMSE<sub>e</sub>* for the estimated DDF<sub>s</sub>.



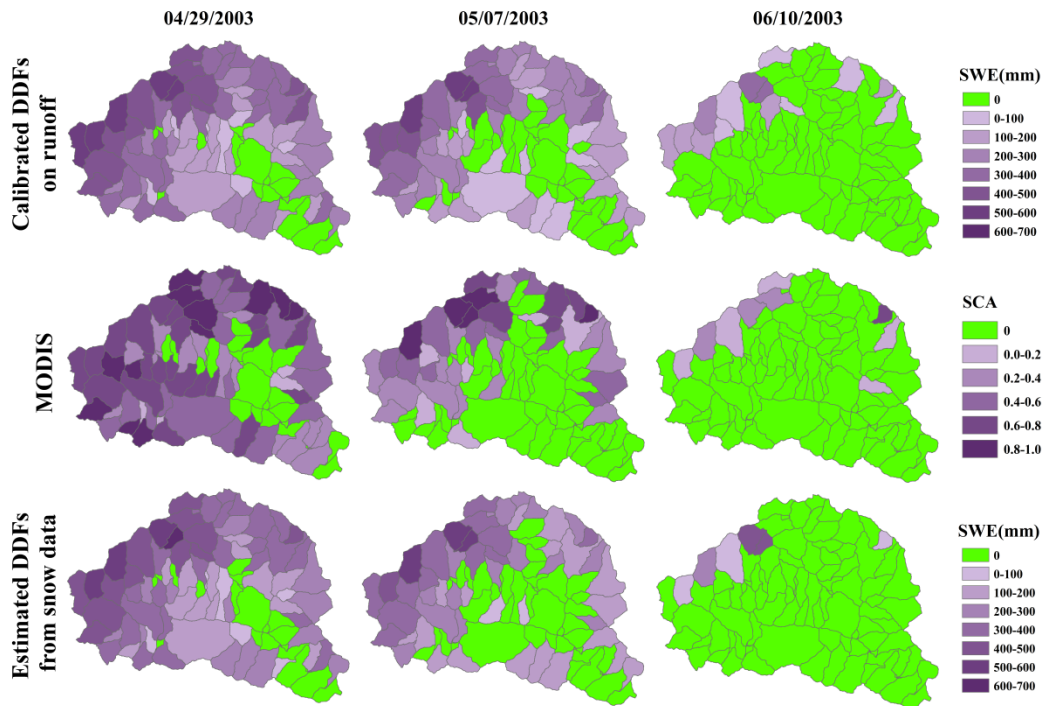
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Figure 10. Same as Fig. 8 but for the Innerschloess basin (39 km<sup>2</sup>).

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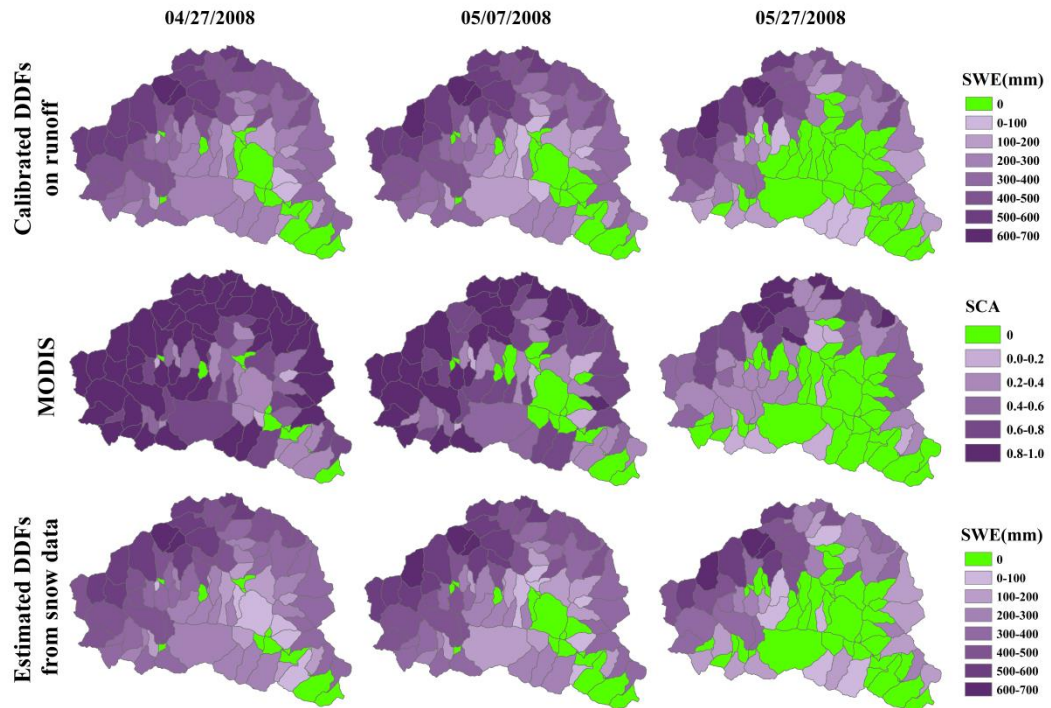
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806 Figure 11. Simulations of snow patterns on three days within the calibration period (April 29<sup>th</sup>, May 7<sup>th</sup>

807 and June 10<sup>th</sup>, 2003). The top row shows simulated snow water equivalent (SWE) using DDF<sub>s</sub>

808 calibrated on runoff, the middle row shows snow covered area (SCA) observed by MODIS, and the

809 bottom row shows simulated snow water equivalent using DDF<sub>s</sub> estimated from snow data.



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811 Figure 12. Same as Fig. 10 but for three days within the validation period (April 27<sup>th</sup>, May 7<sup>th</sup> and May

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27<sup>th</sup>, 2008).